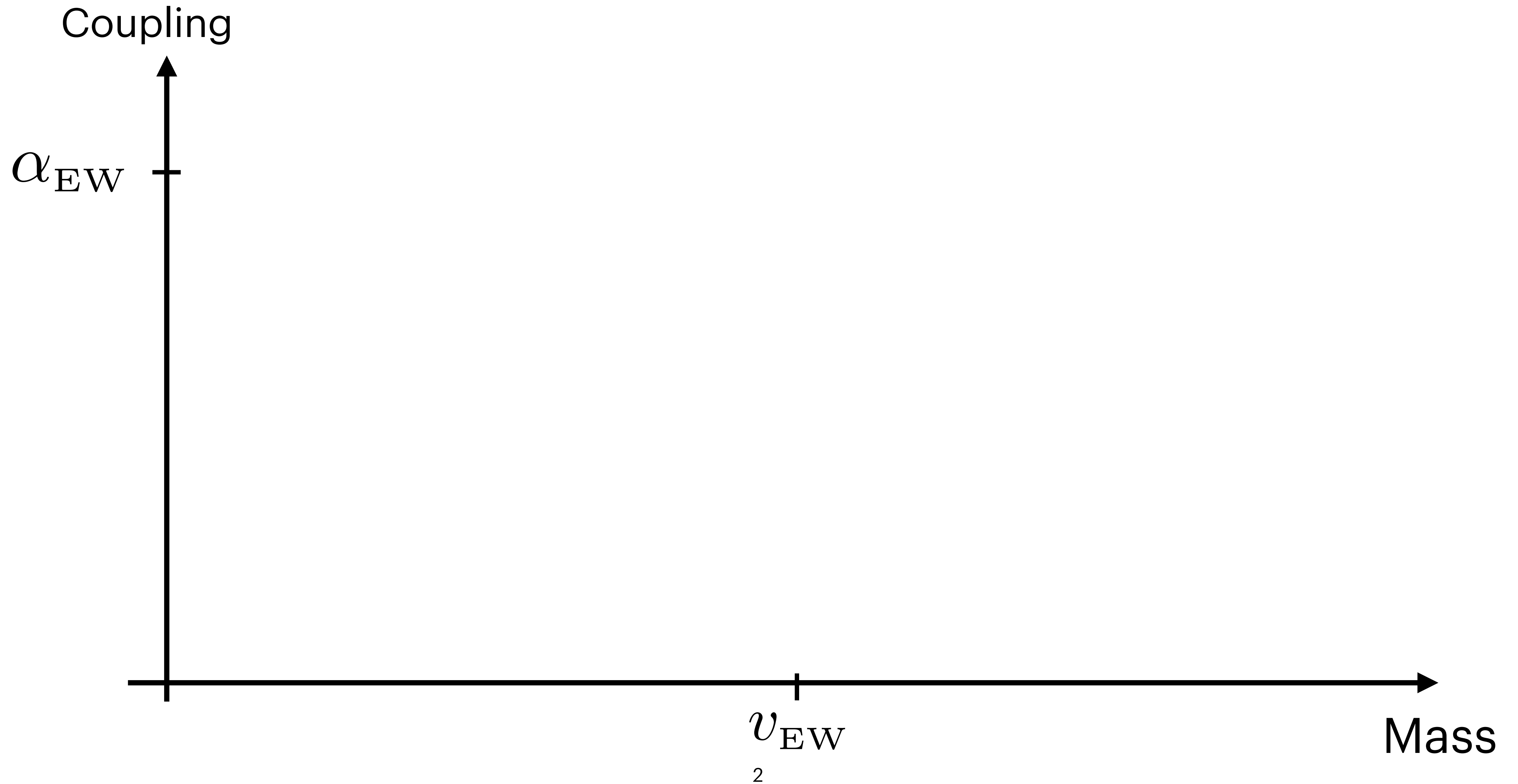


Flavor @ FASER: Discovering Light Scalars Beyond Minimal Flavor Violation

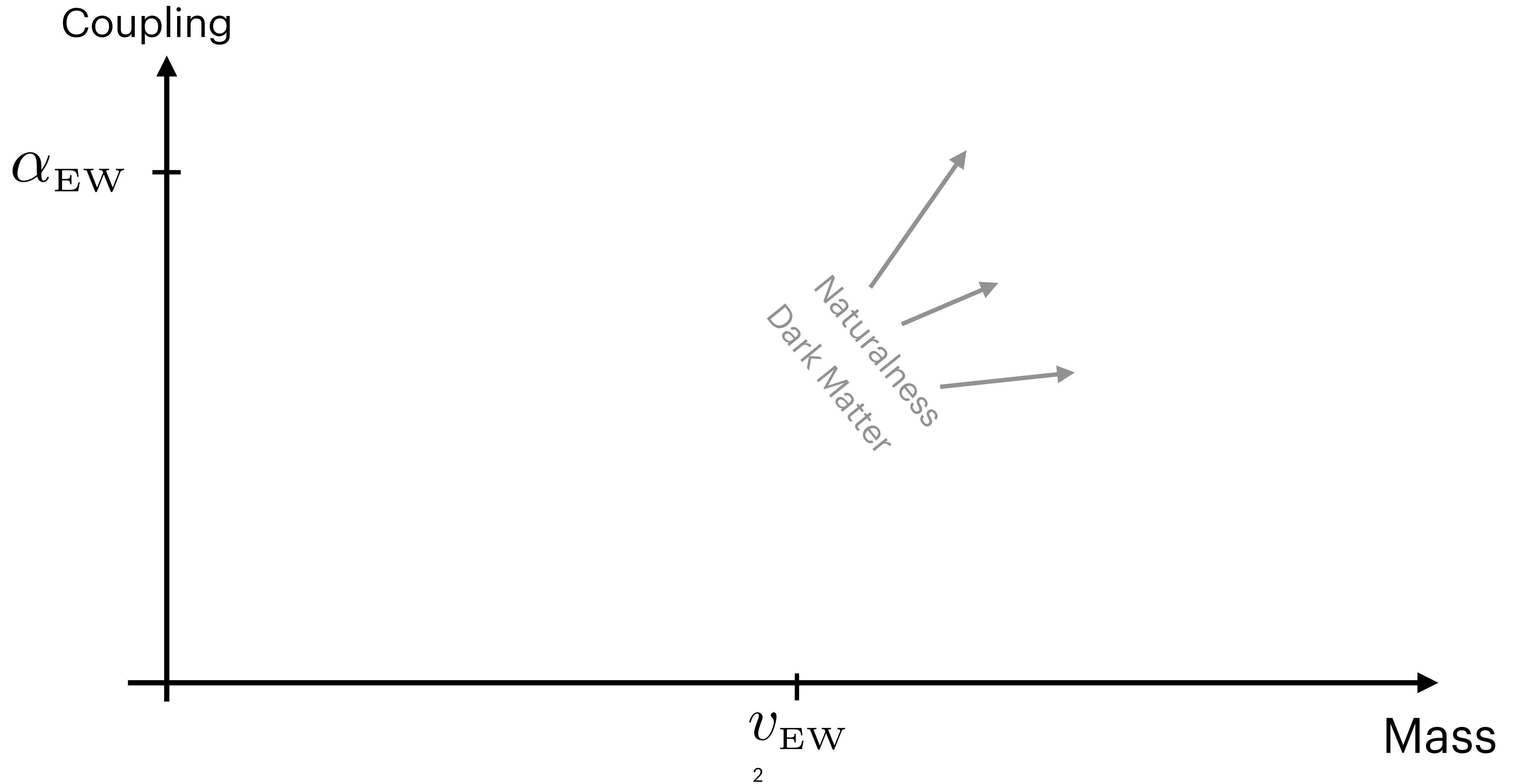
Reuven Balkin
UC Santa Cruz

Based on 2412.15197 (soon in JHEP) with
Noam Burger, Jonathan L. Feng and Yael Shadmi

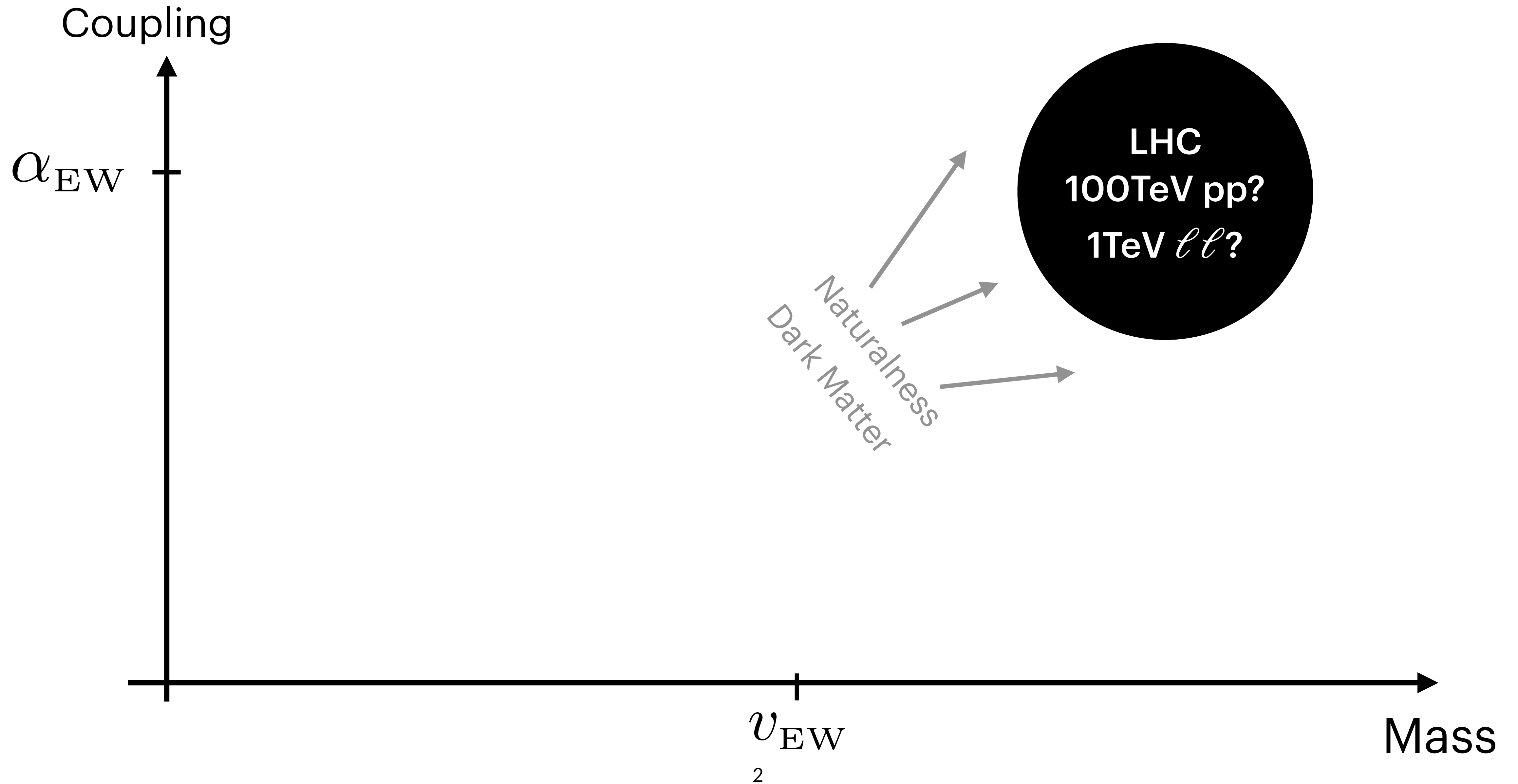
Motivation



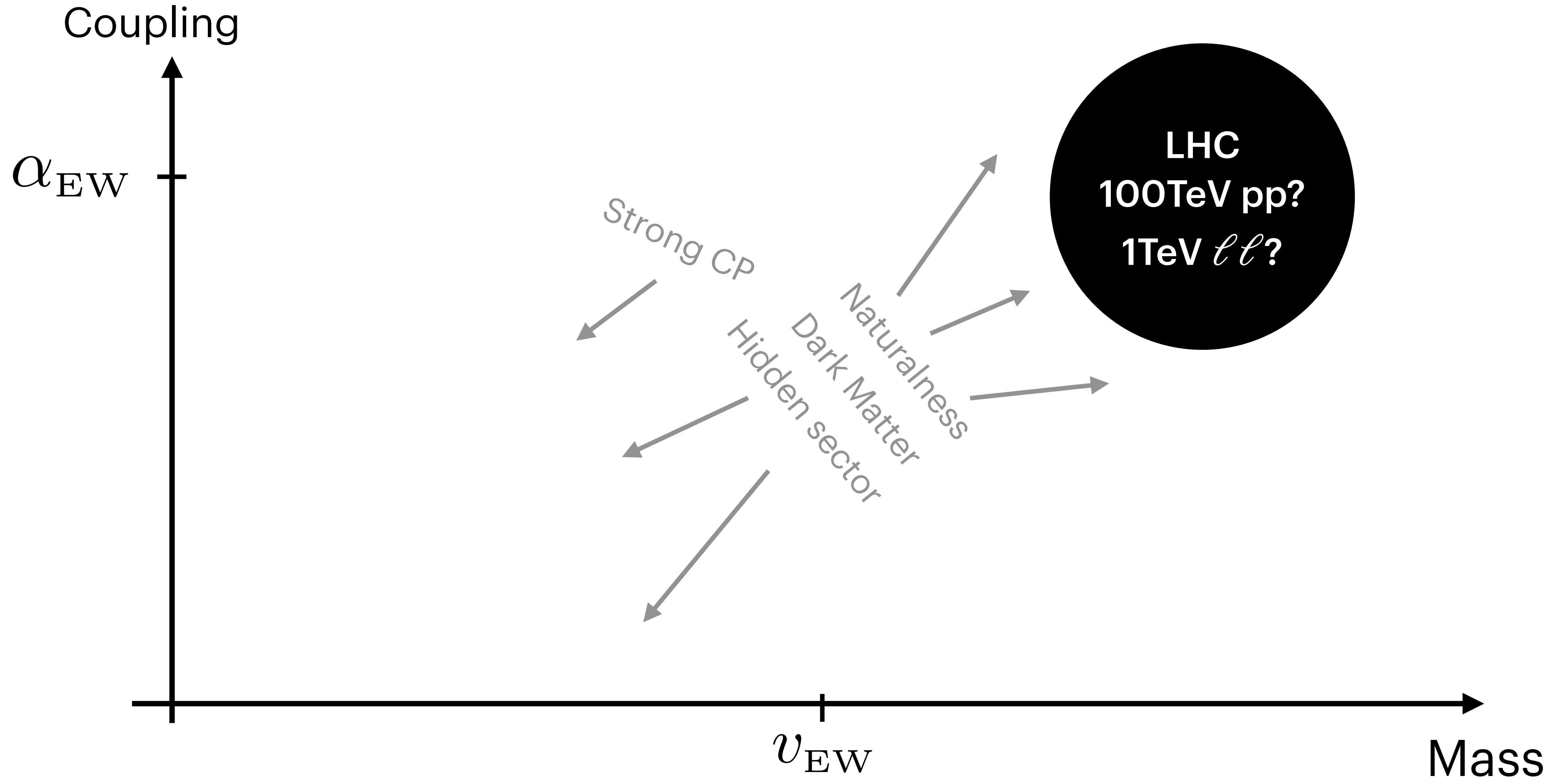
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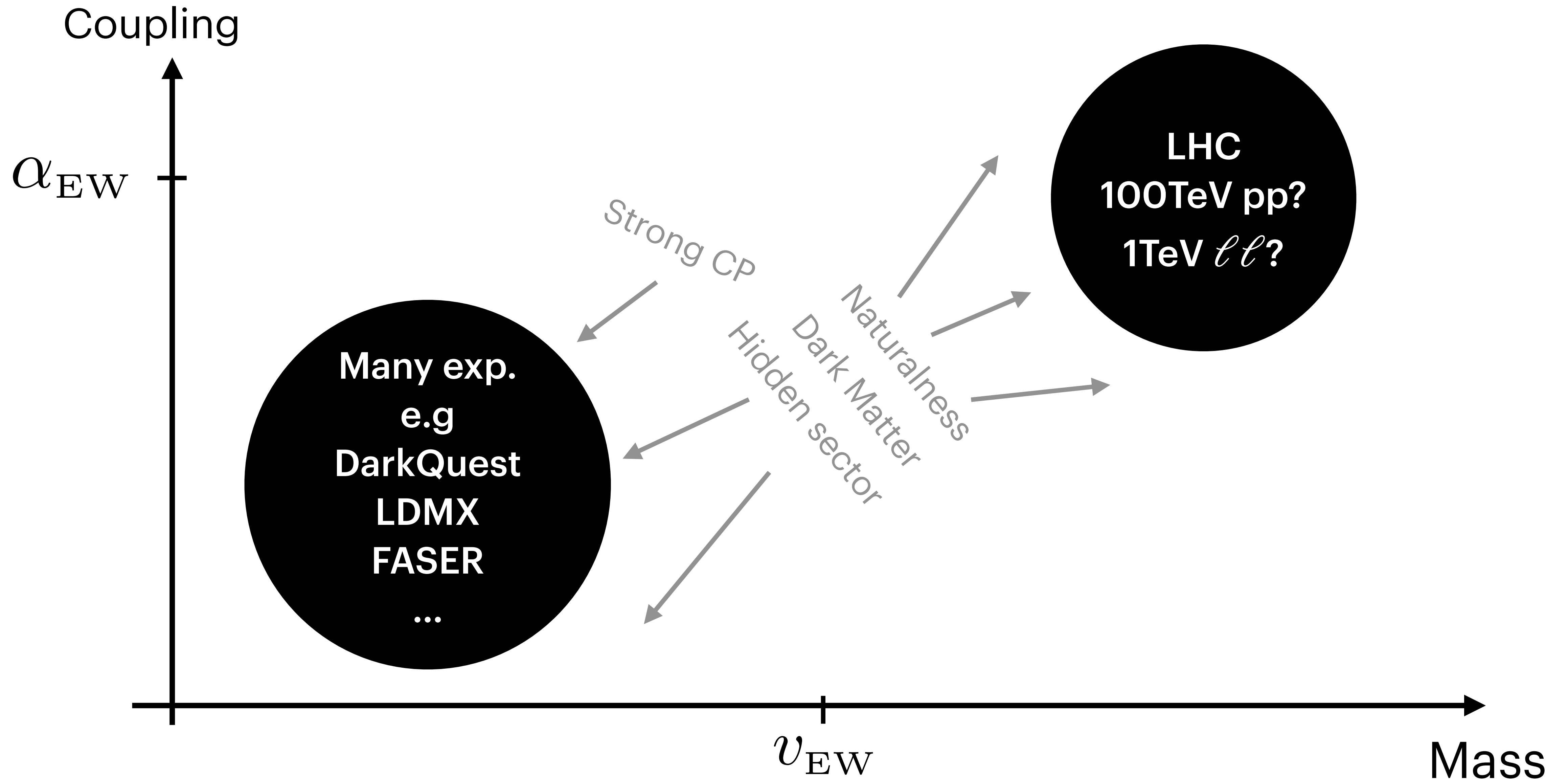
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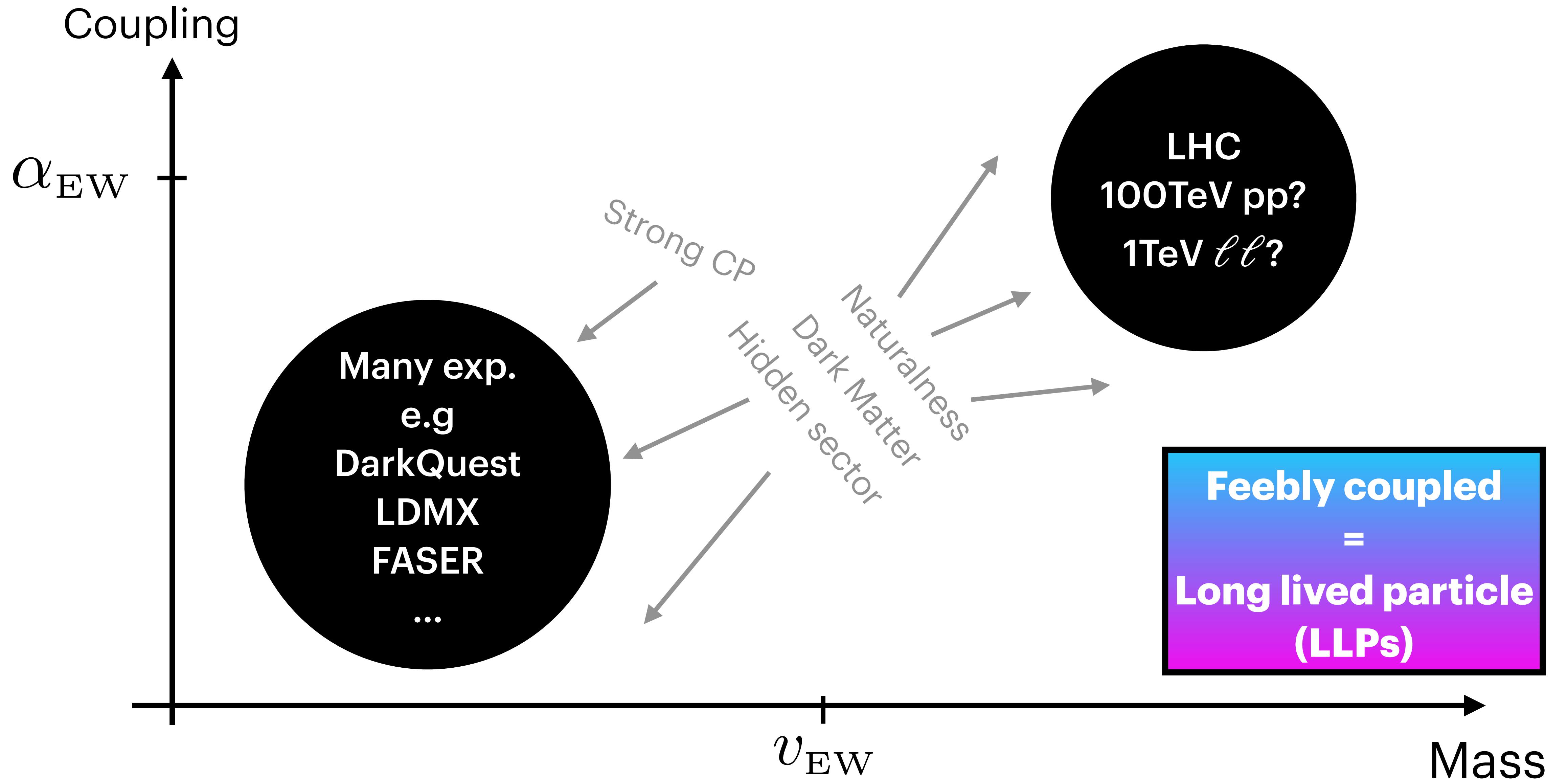
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9.2.1 Dark scalar mixing with the Higgs (BC4 and BC5)

PBC @ CERN 1901.09966

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- Shed light on the Flavor puzzle?

Flavor puzzle

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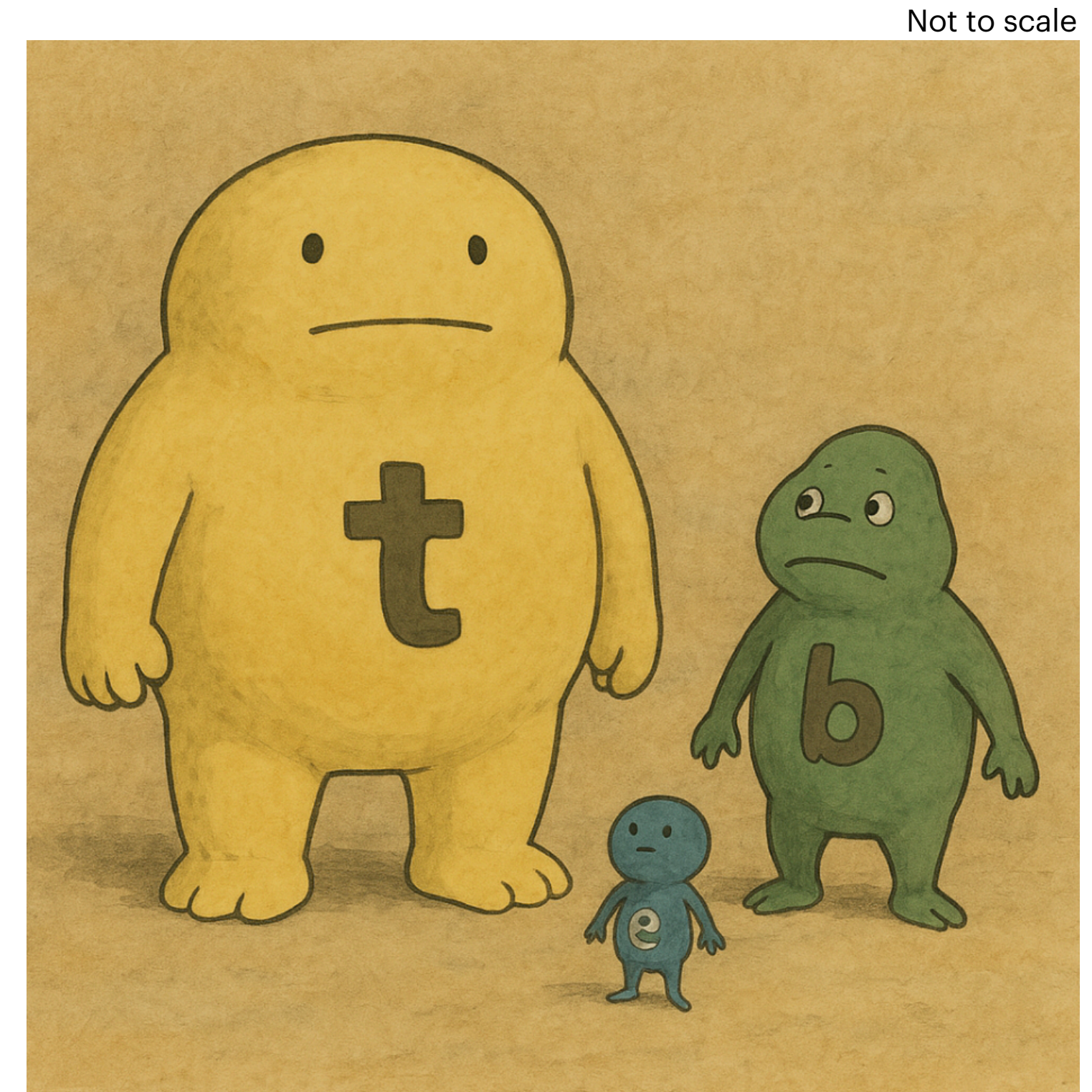
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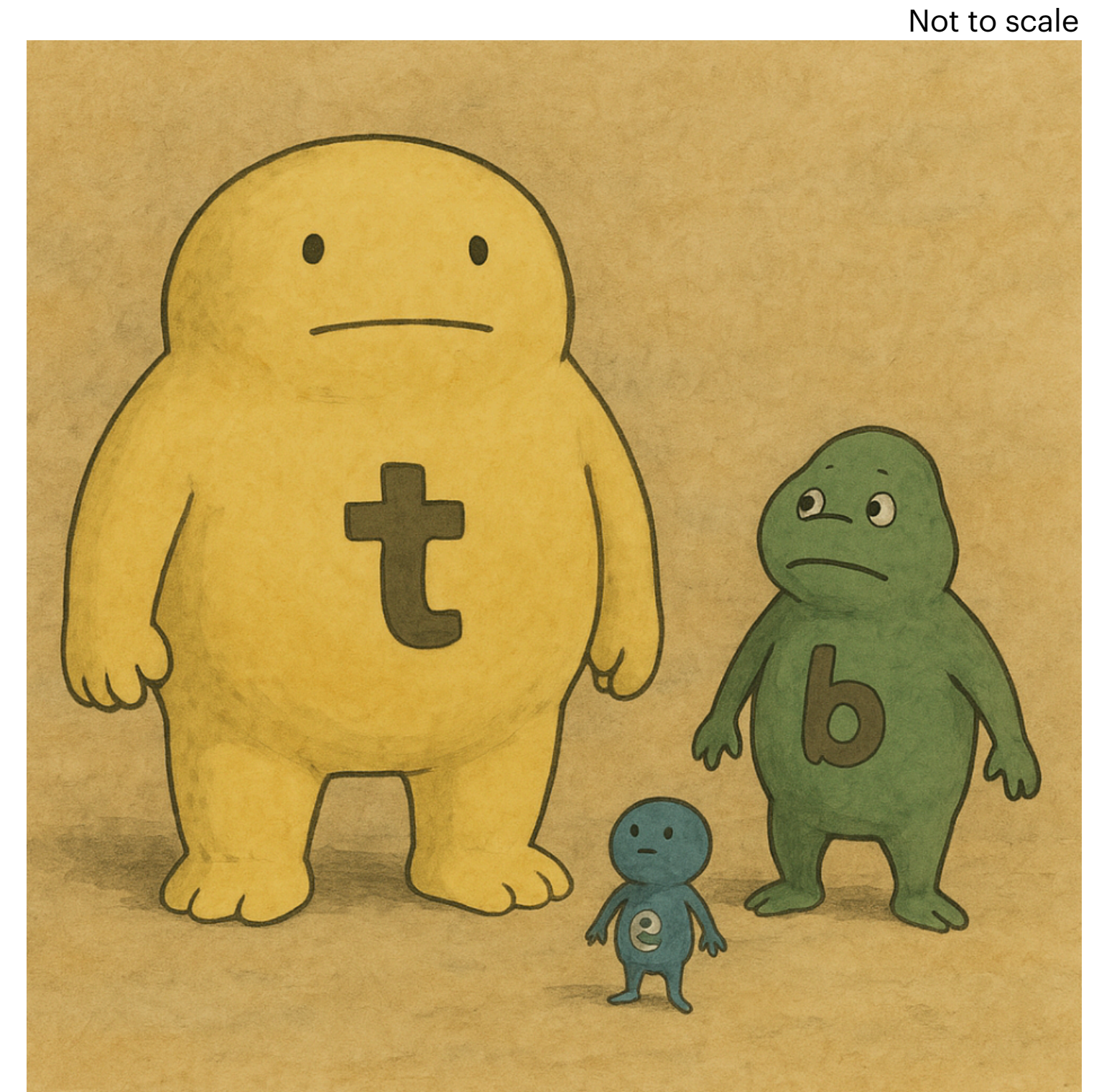
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Nucl. Phys. B 147 (1979) 277–298



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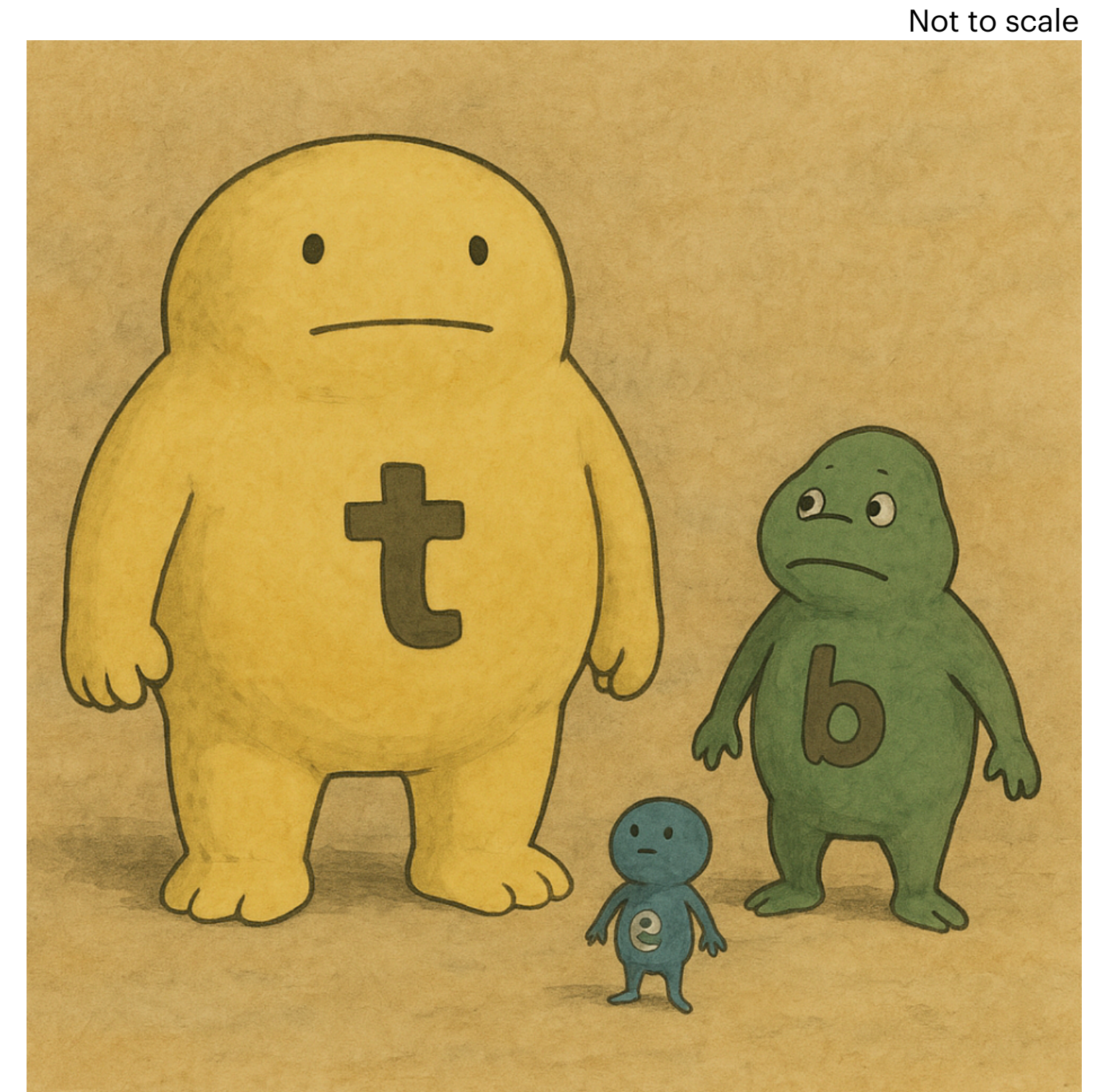
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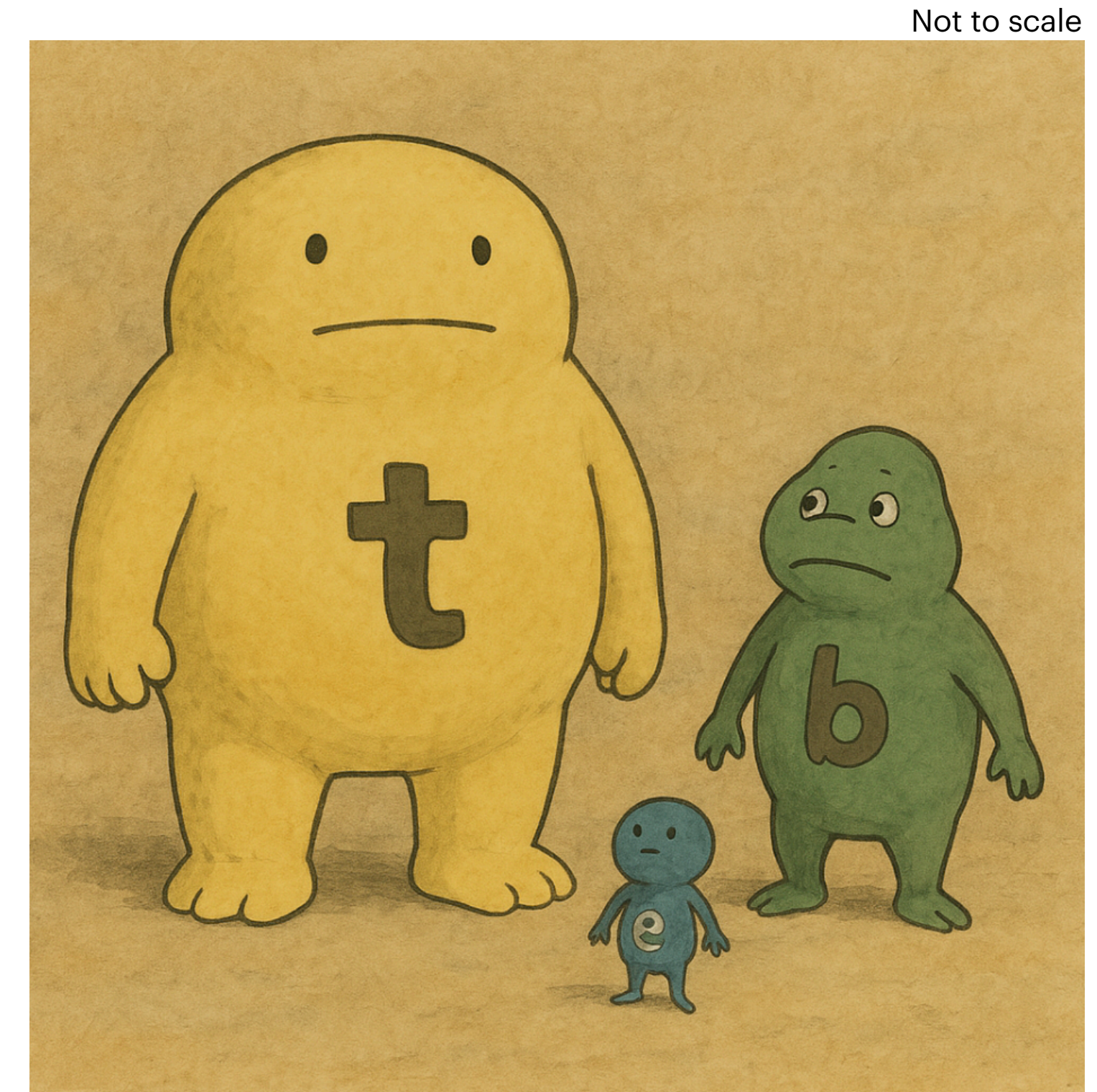
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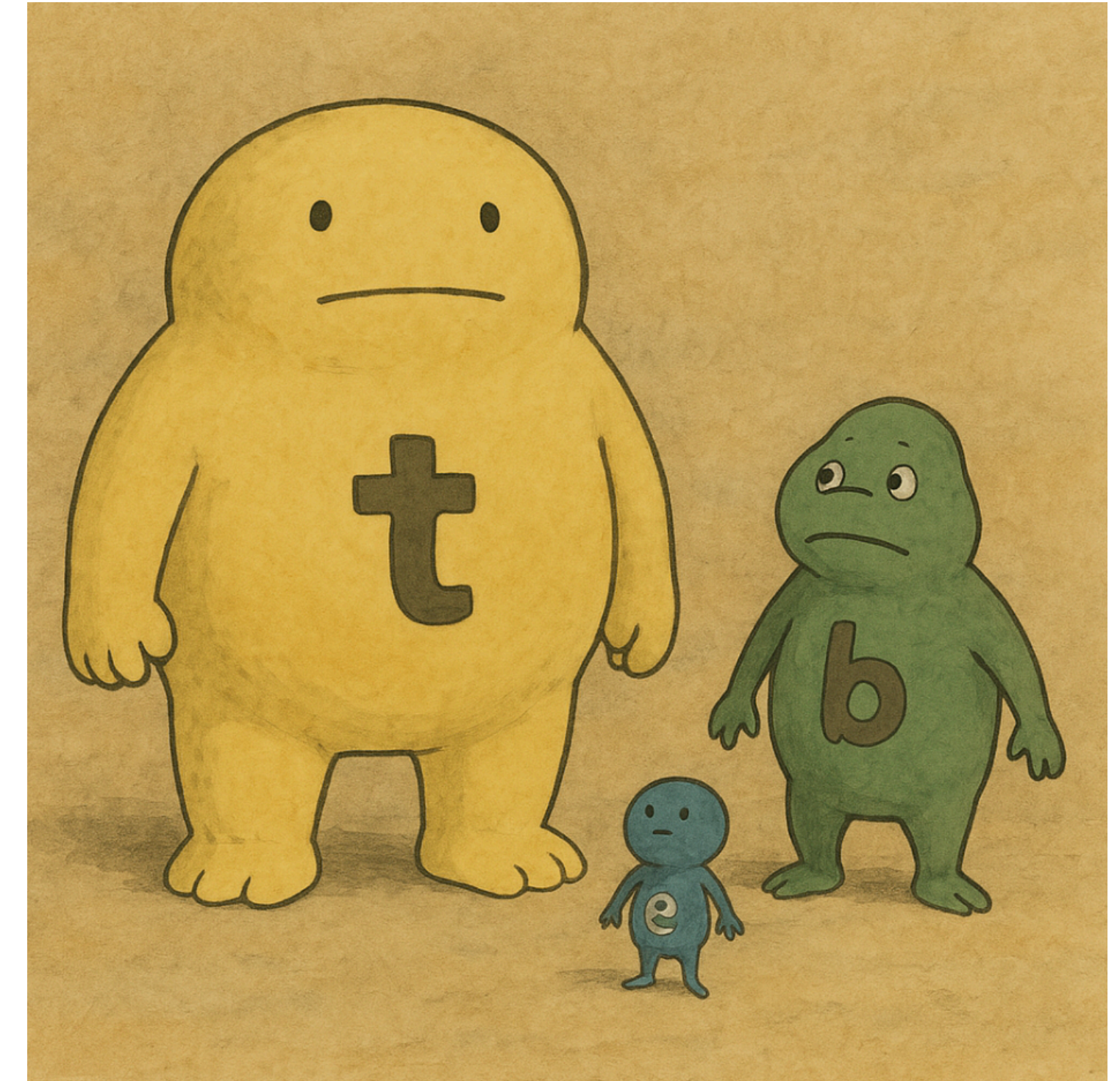
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- Discovery could also shed light on the Flavor puzzle!

Outline

1. Flavored scalar model
2. Phenomenology
3. Experimental signals @ FASER
4. Model-independent approach
5. Conclusions

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Beyond MFV : alignment

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hep-ph/9304307
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Lepton sector -

more symmetries are needed!

Grossman, Nir, Shadmi hep-ph/9808355

$$c^\ell = \text{diag}(m_e, m_\mu, m_\tau)/v$$

FN and FNU models

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Outline

1. Flavored scalar model ✓
2. Phenomenology
3. Experimental signals @ FASER
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Pheno : Production

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$$\text{Br}(D \rightarrow \pi \phi) \approx \frac{\varepsilon^2 m_c |c_{uc}^u|^2}{32\pi\Gamma_{D^0}} F \left[\frac{m_u}{m_c}, \frac{m_\phi}{m_c} \right] \approx 10^{-11} \left(\frac{10^{10} \text{ GeV}}{\Lambda} \right)^2 \left(\frac{|c_{uc}^u|}{\lambda^4} \right)^2 \left(\frac{F}{1} \right)$$

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$$\text{Br}(B \rightarrow K \phi) \approx \frac{\varepsilon^2 m_b |c_{bs}^d|^2}{32\pi\Gamma_{B^0}} F \left[\frac{m_s}{m_b}, \frac{m_\phi}{m_b} \right] \approx 10^{-7} \left(\frac{10^{10} \text{ GeV}}{\Lambda} \right)^2 \left(\frac{|c_{bs}^d|}{\lambda^2} \right)^2 \left(\frac{F}{1} \right)$$

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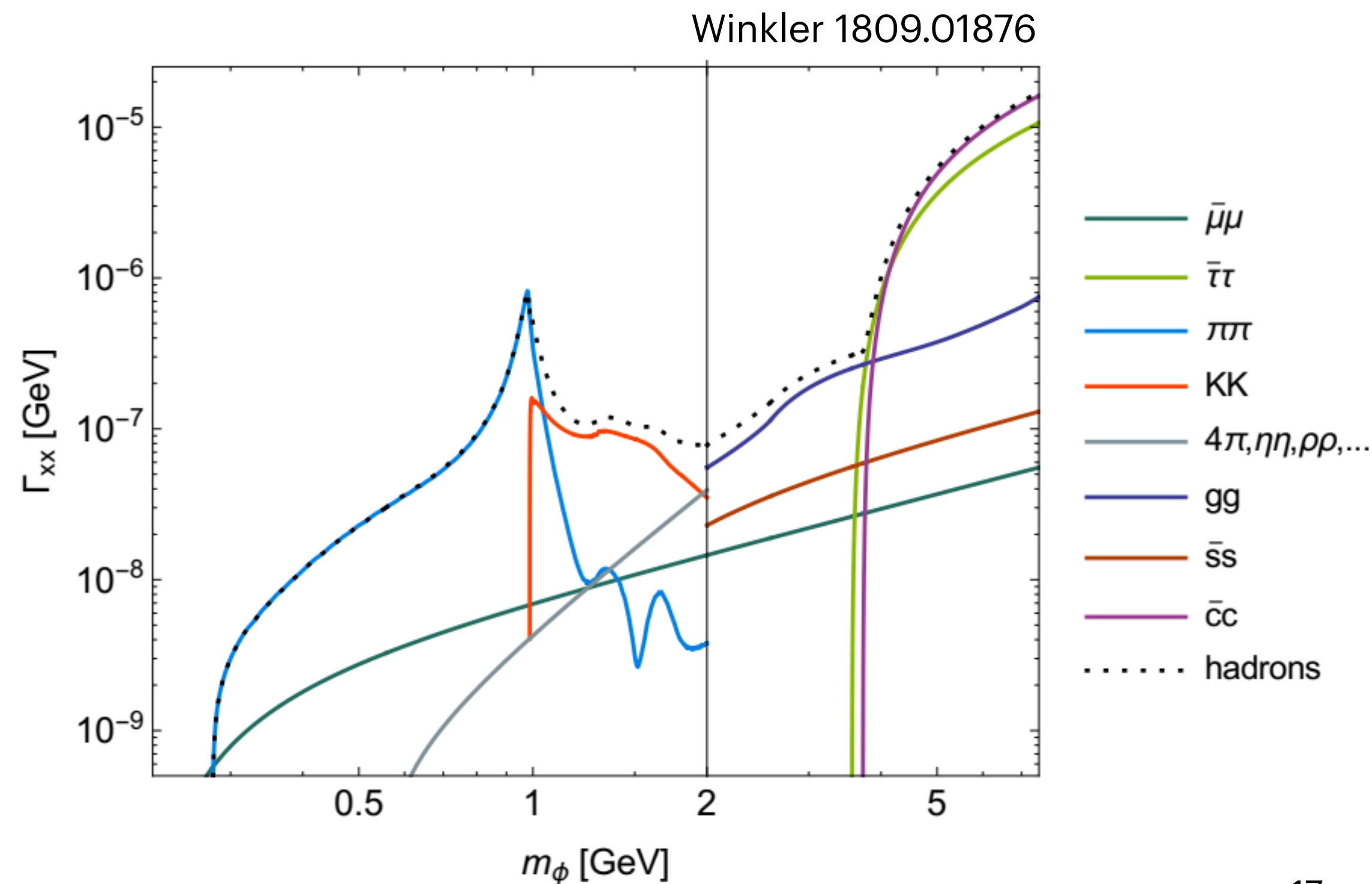
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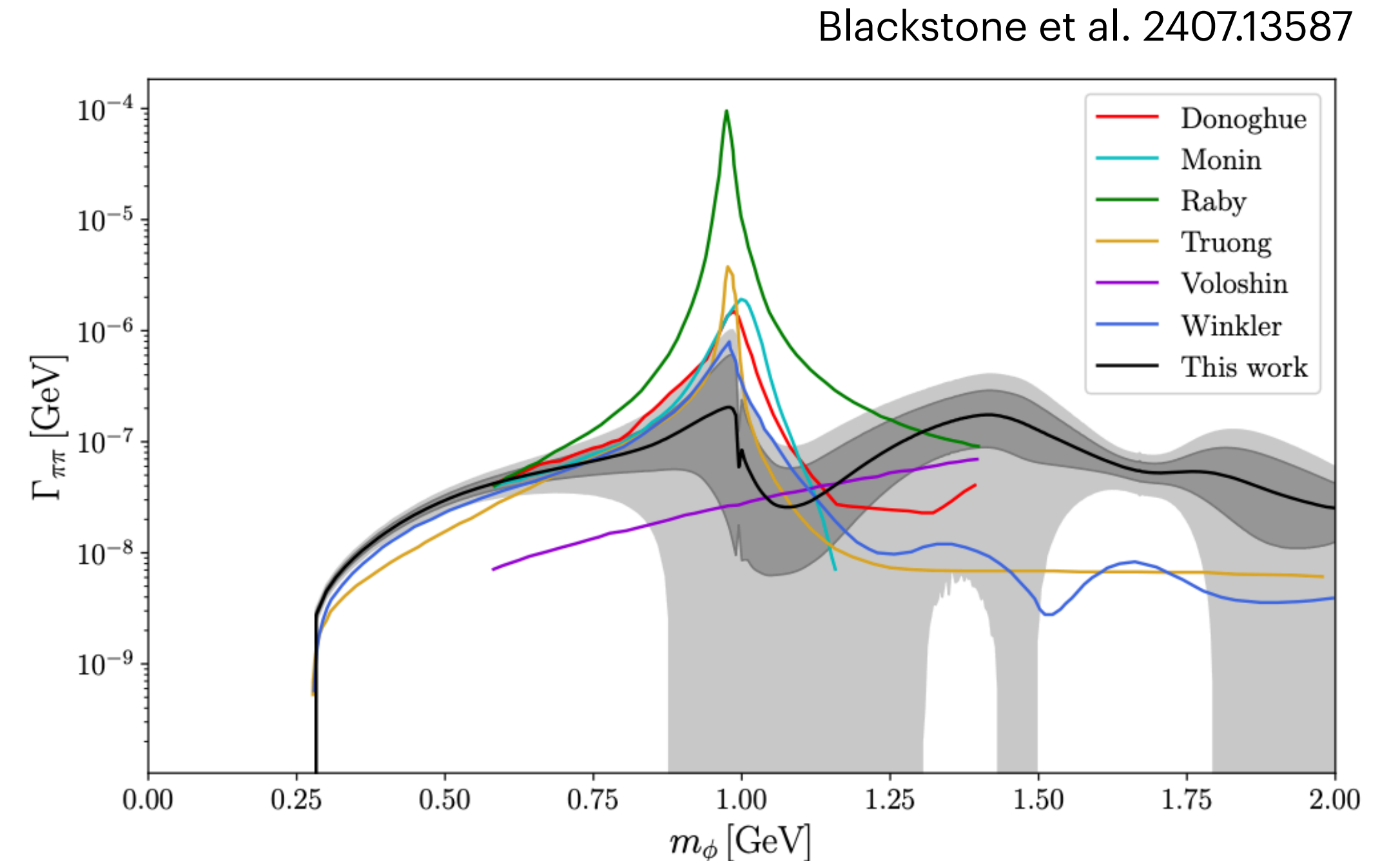
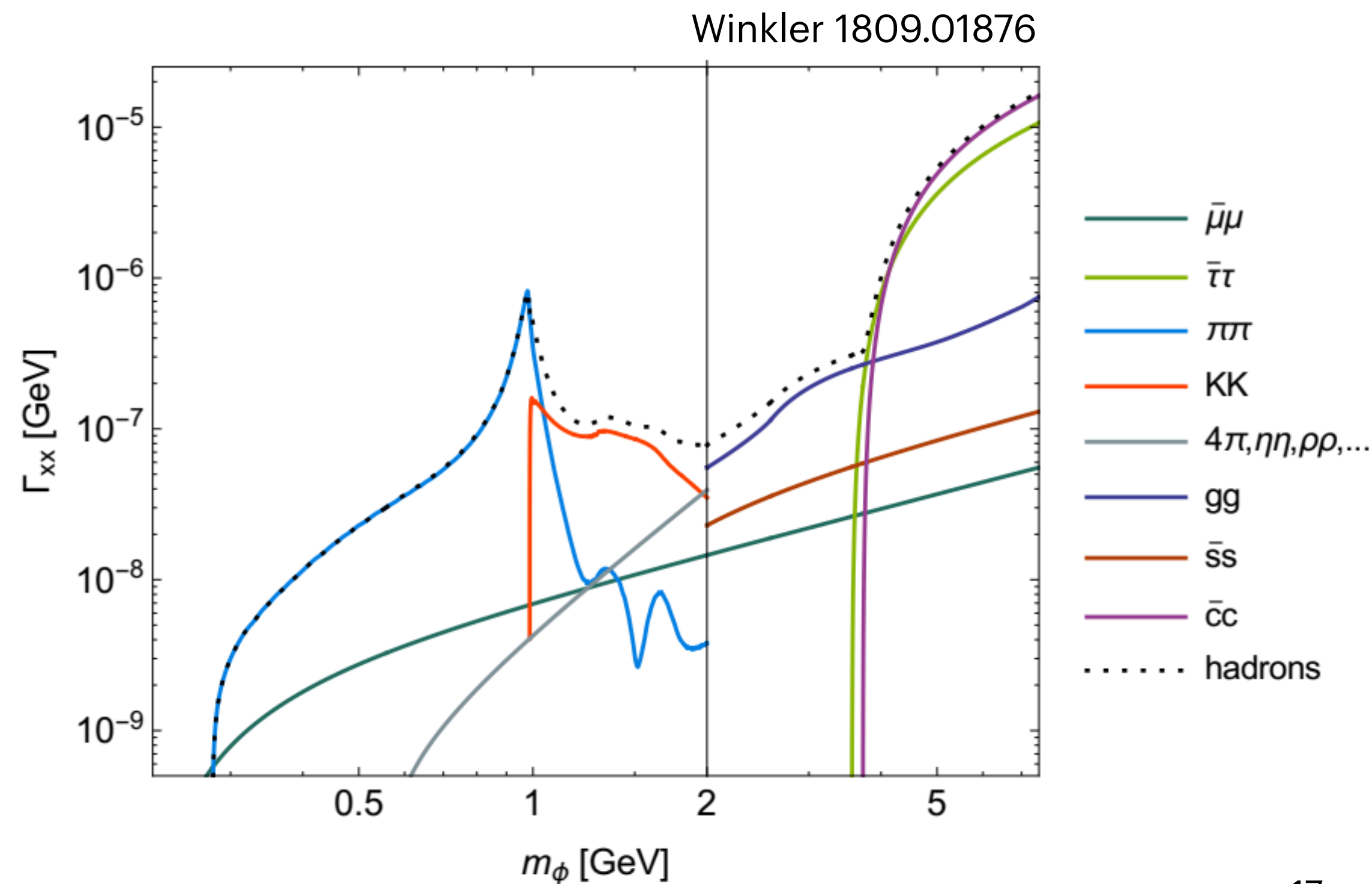
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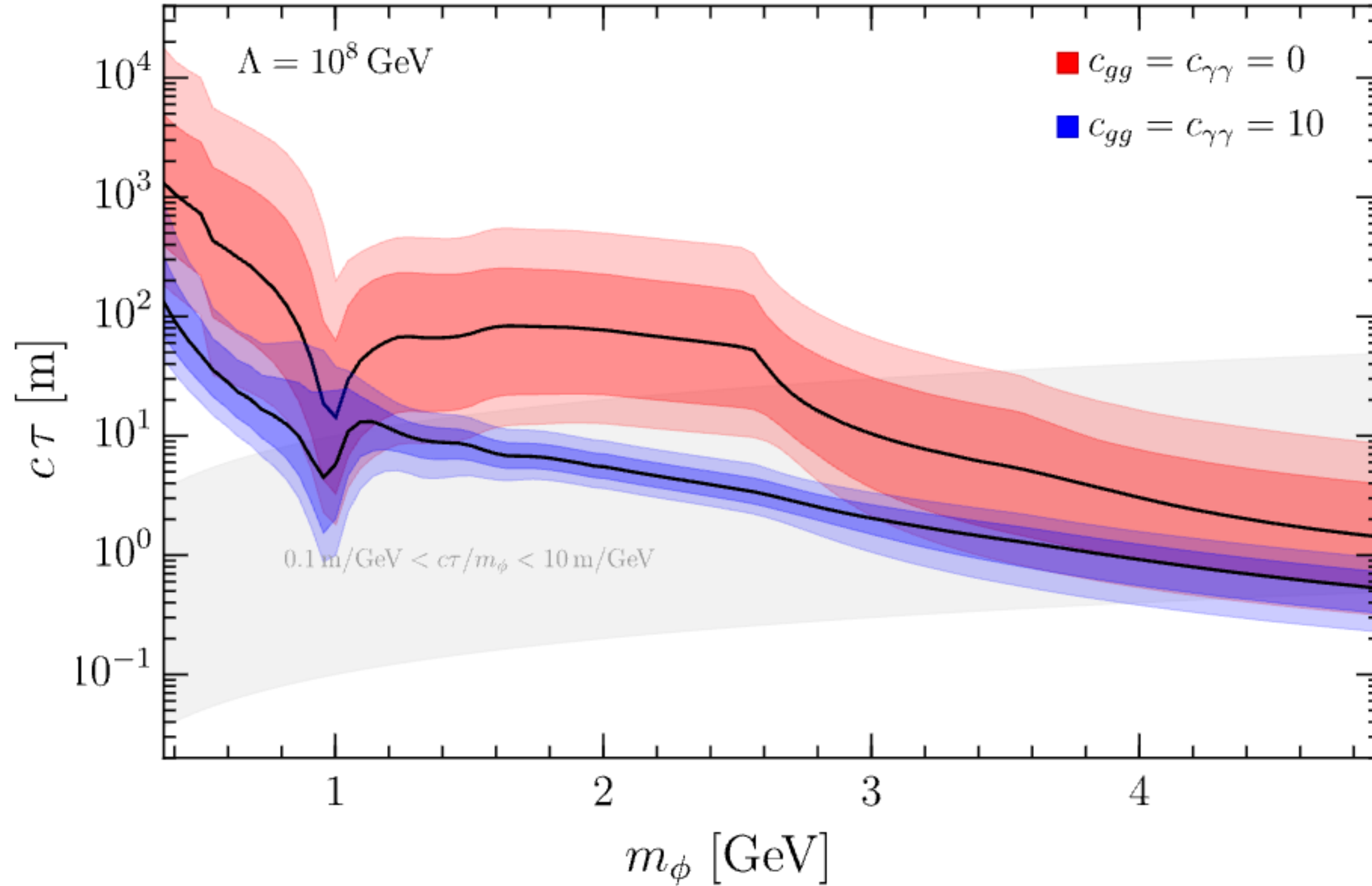
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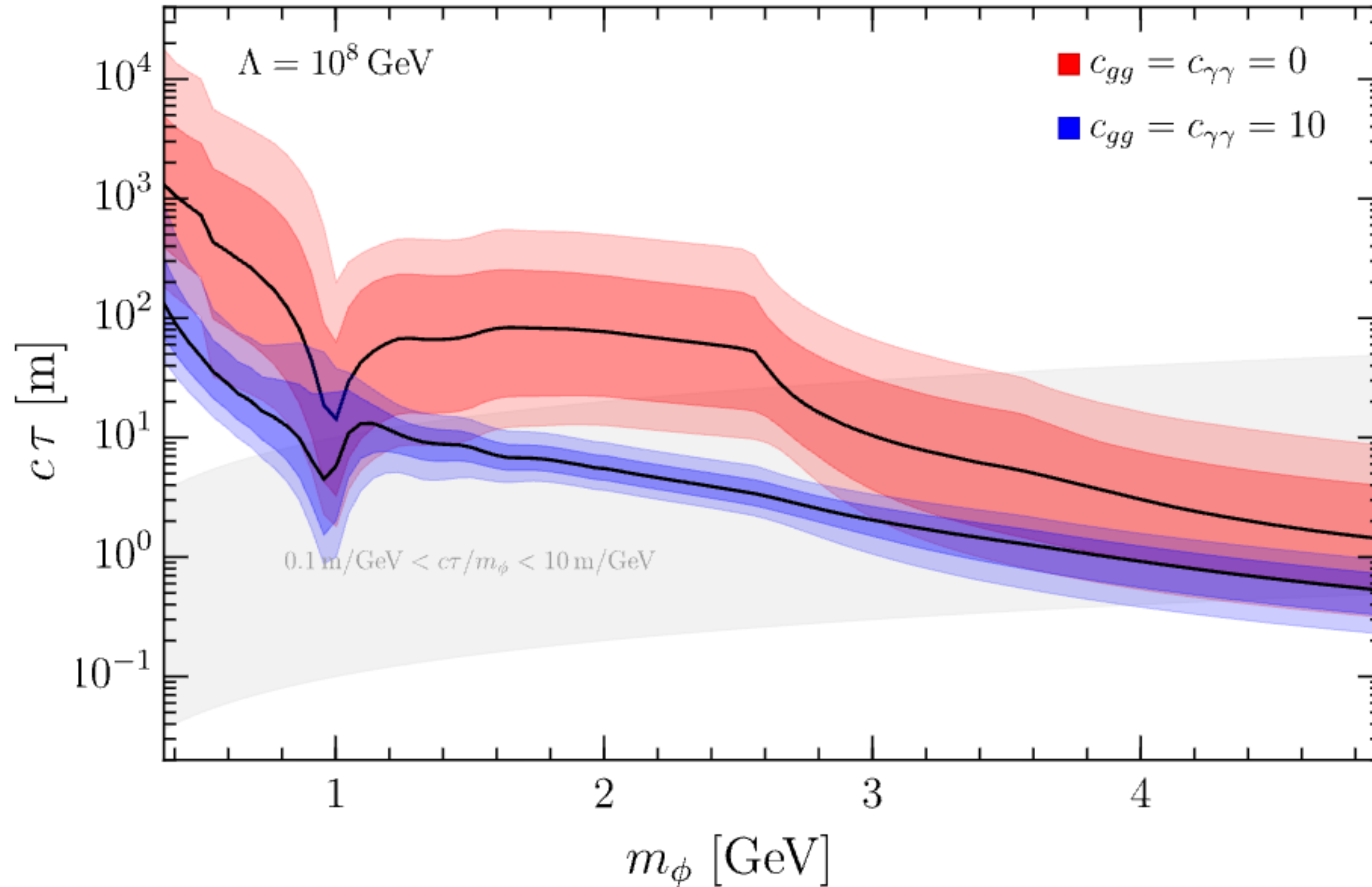
Pheno : Lifetime

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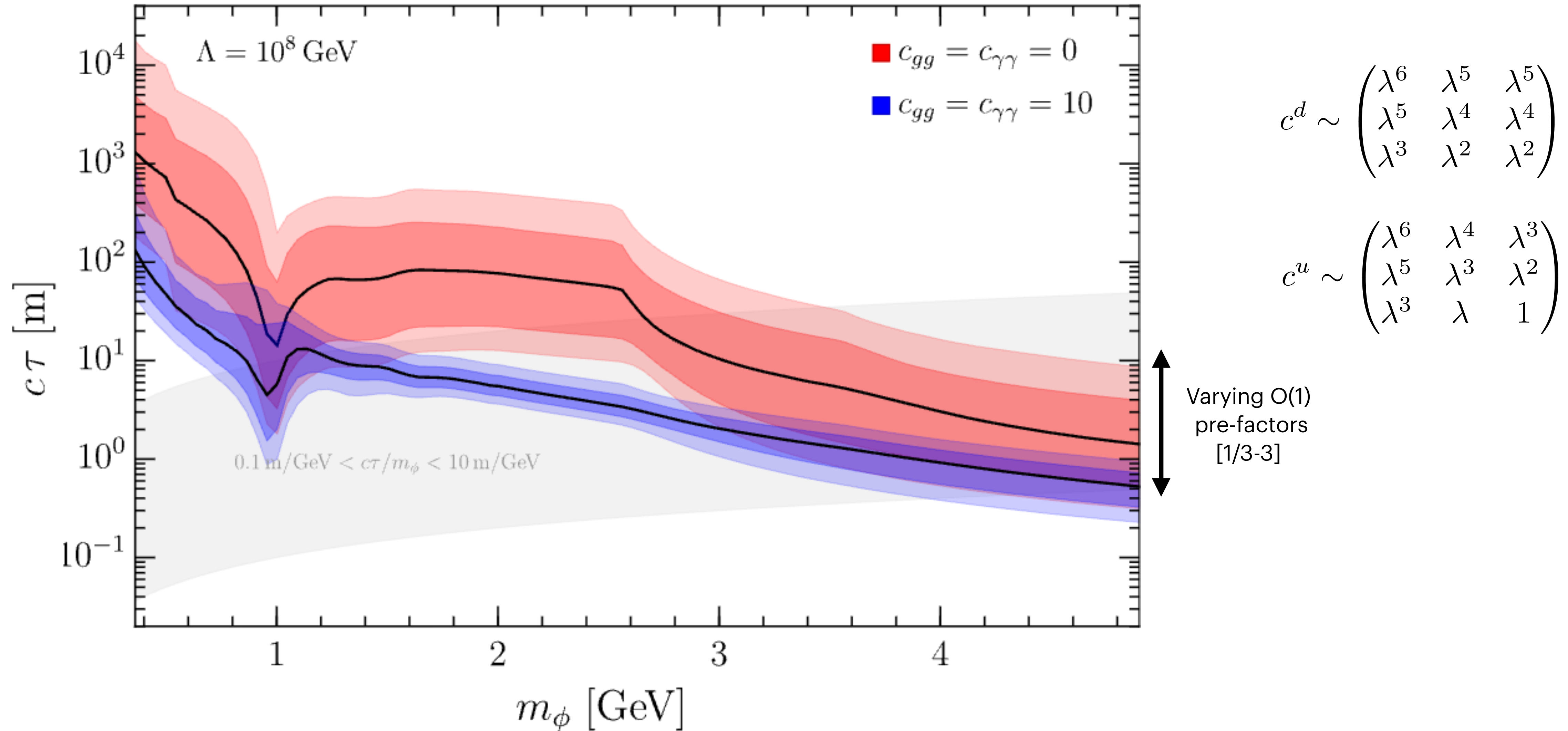


$$c^d \sim \begin{pmatrix} \lambda^6 & \lambda^5 & \lambda^5 \\ \lambda^5 & \lambda^4 & \lambda^4 \\ \lambda^3 & \lambda^2 & \lambda^2 \end{pmatrix}$$

$$c^u \sim \begin{pmatrix} \lambda^6 & \lambda^4 & \lambda^3 \\ \lambda^5 & \lambda^3 & \lambda^2 \\ \lambda^3 & \lambda & 1 \end{pmatrix}$$

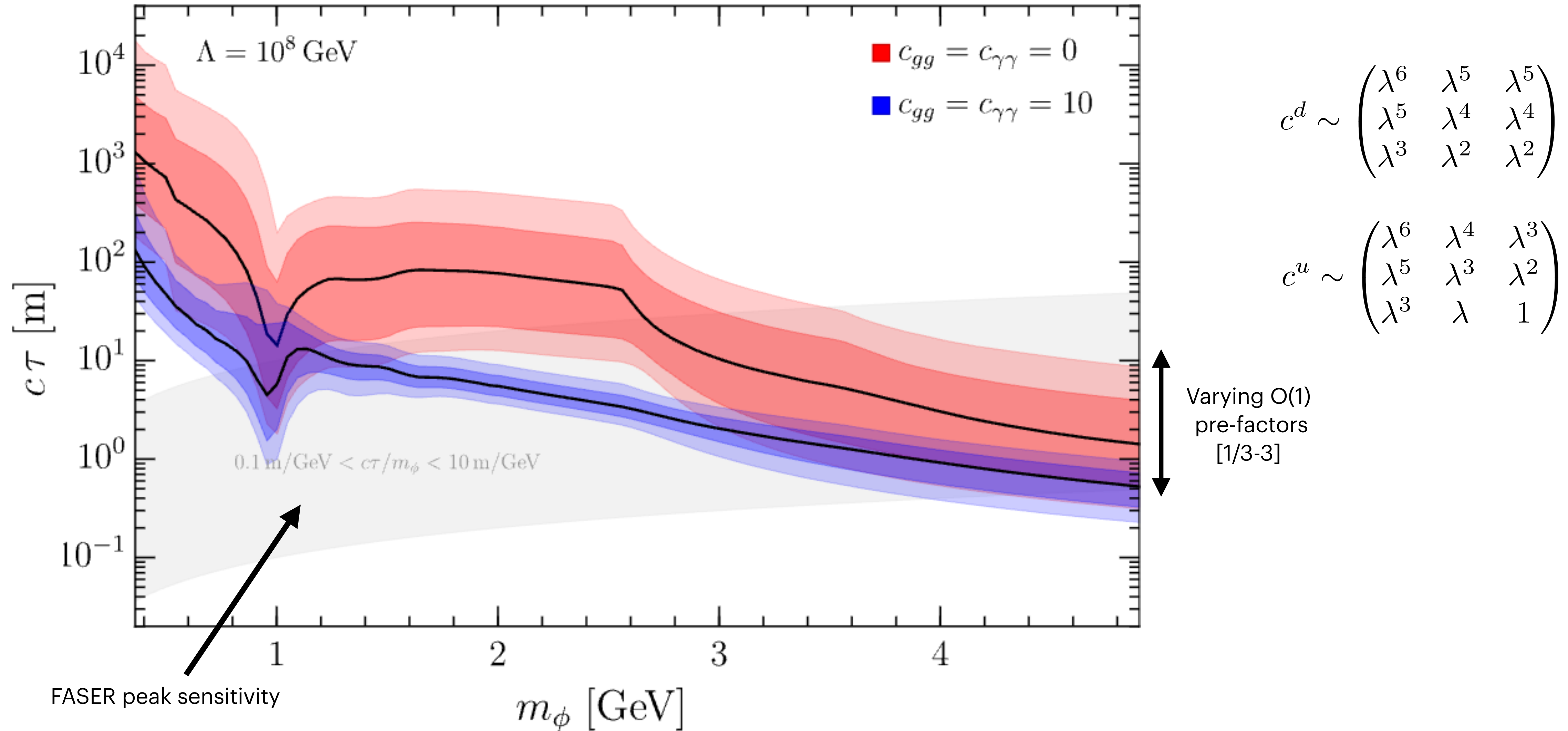
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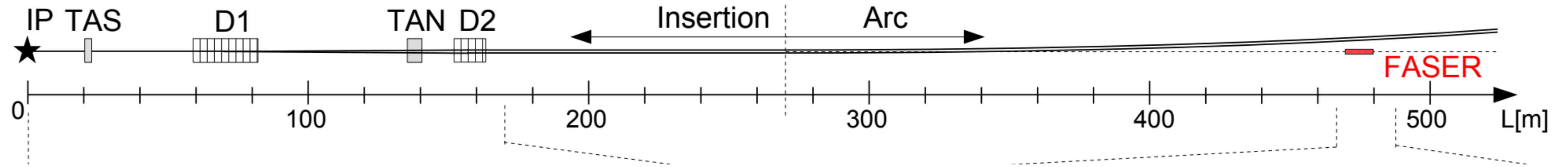
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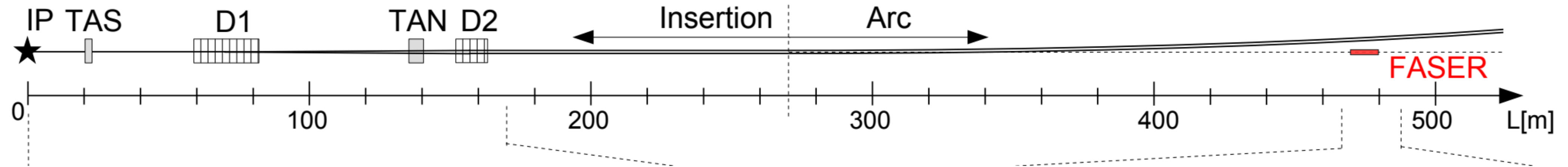
Outline

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FASER



FASER



FASER Detector

Experiment built from existing spare parts as well as some dedicated new components

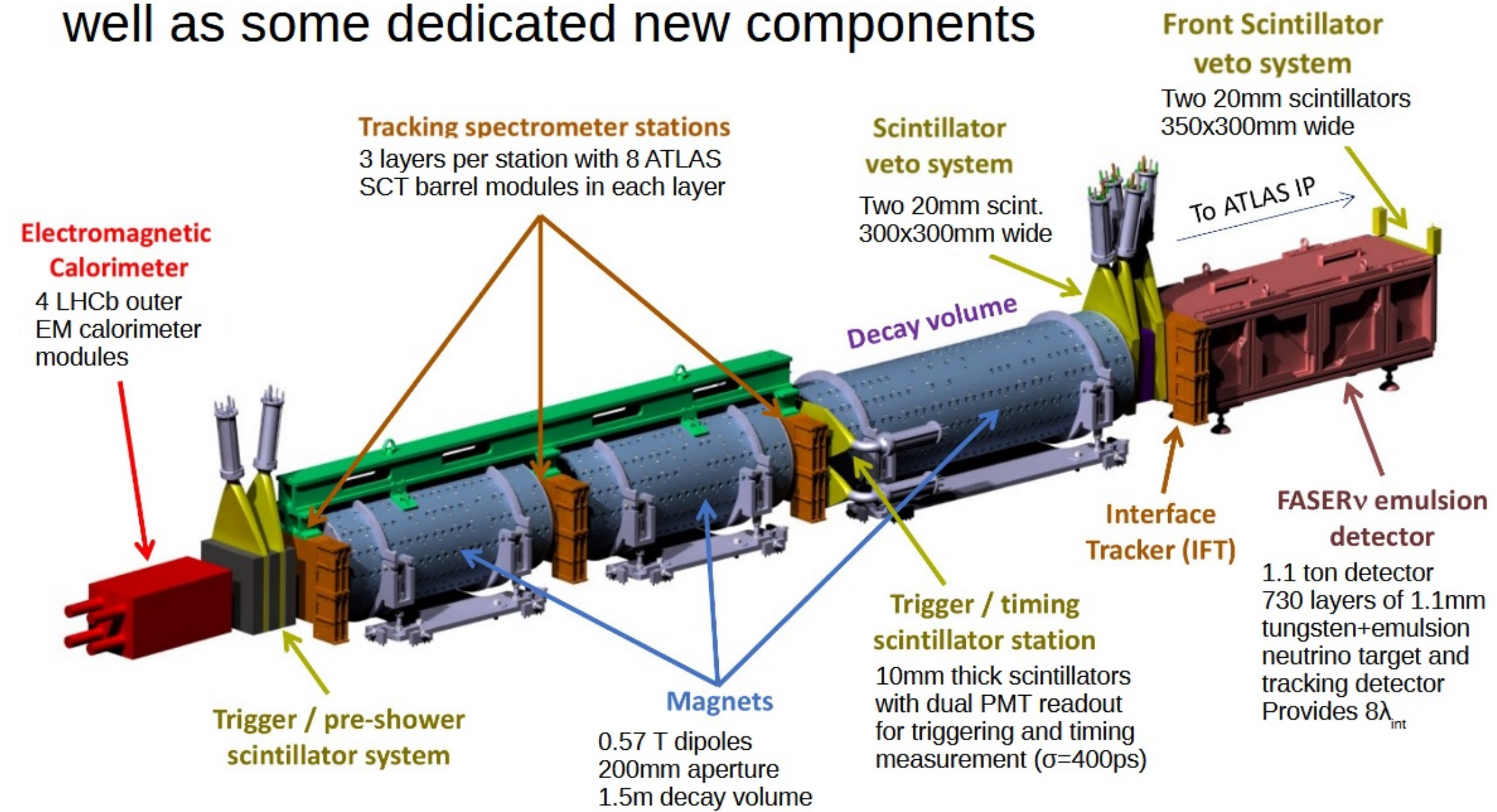
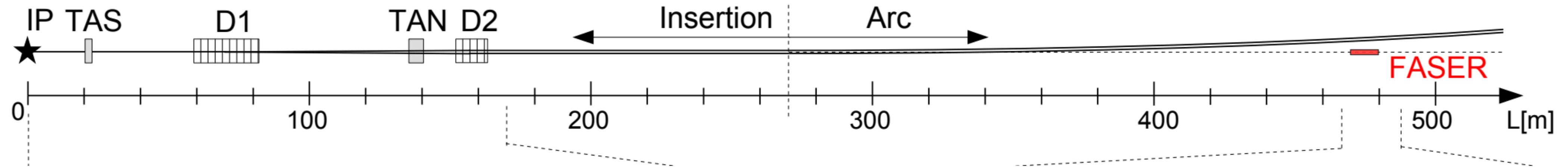


Image taken from Brian Petersen – The FASER Collaboration

FASER



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FASER LOI : NOV 2018

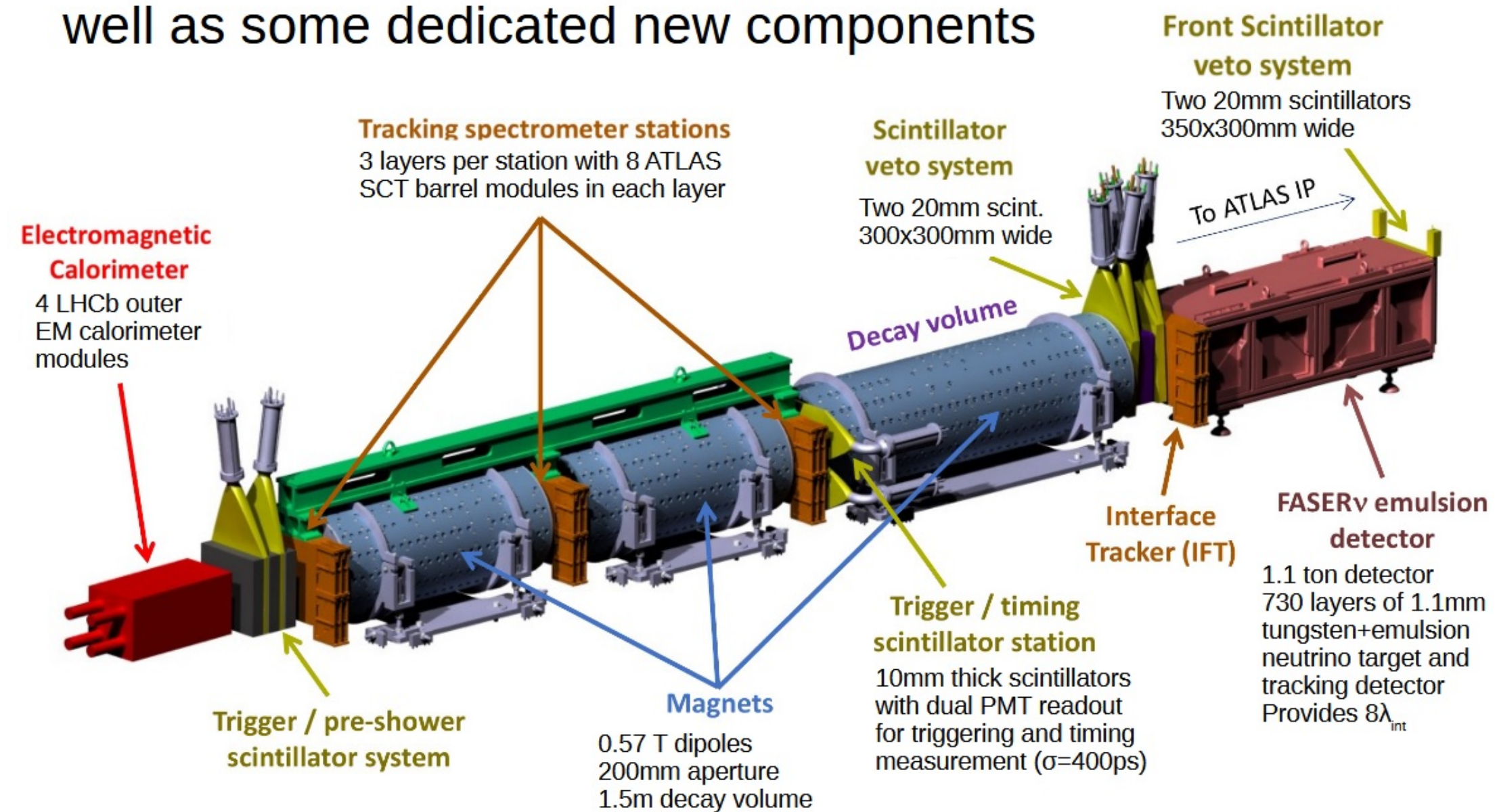
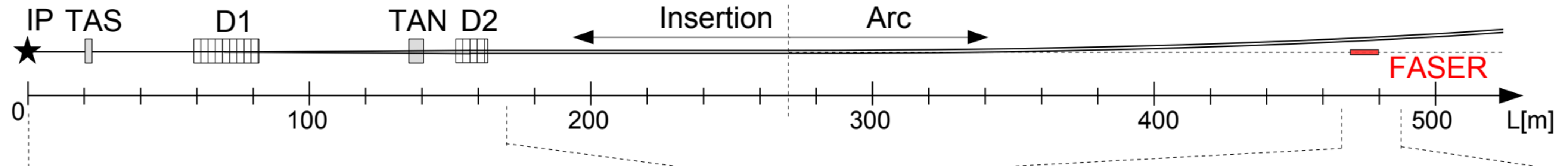


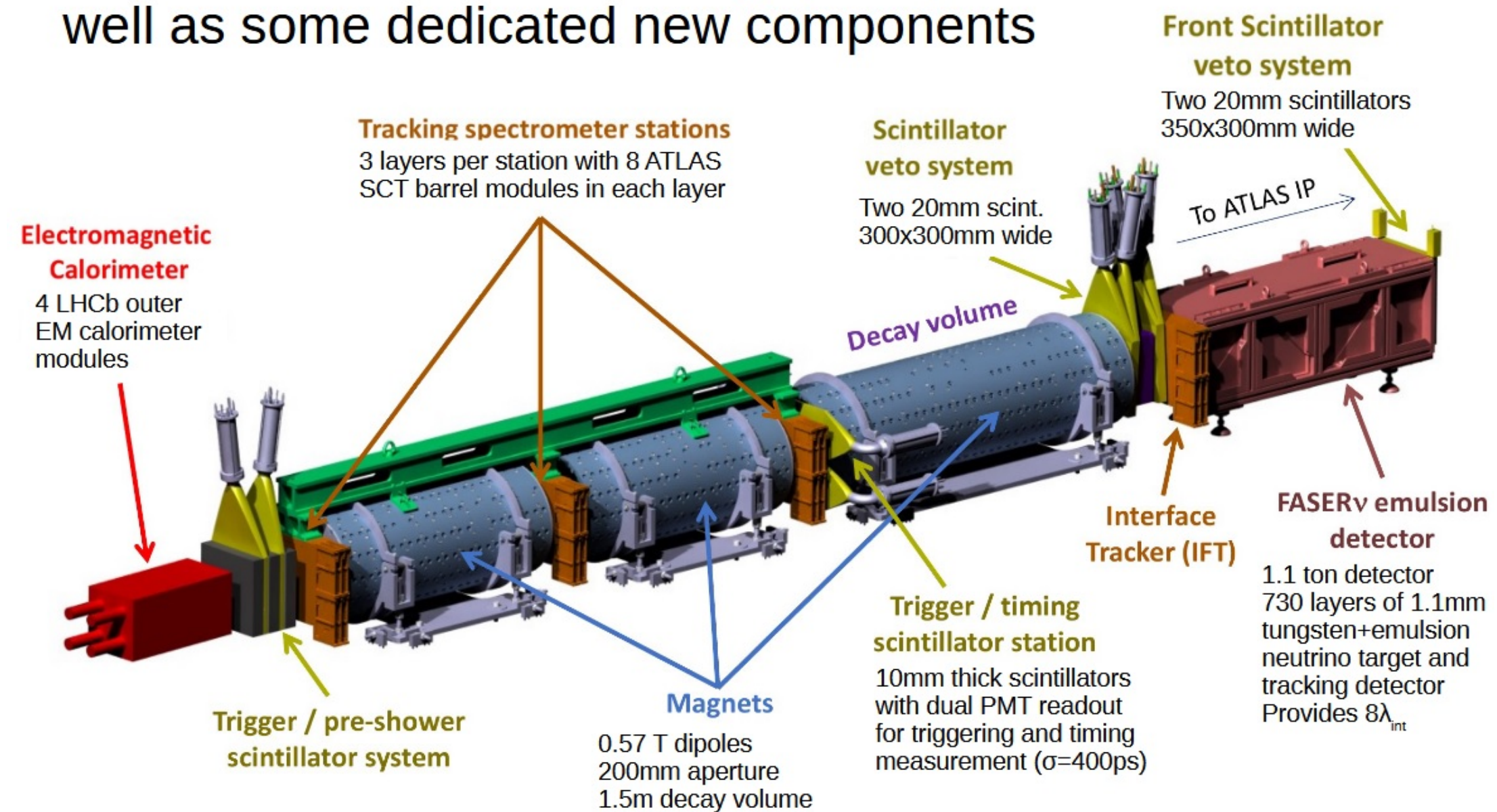
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FASER

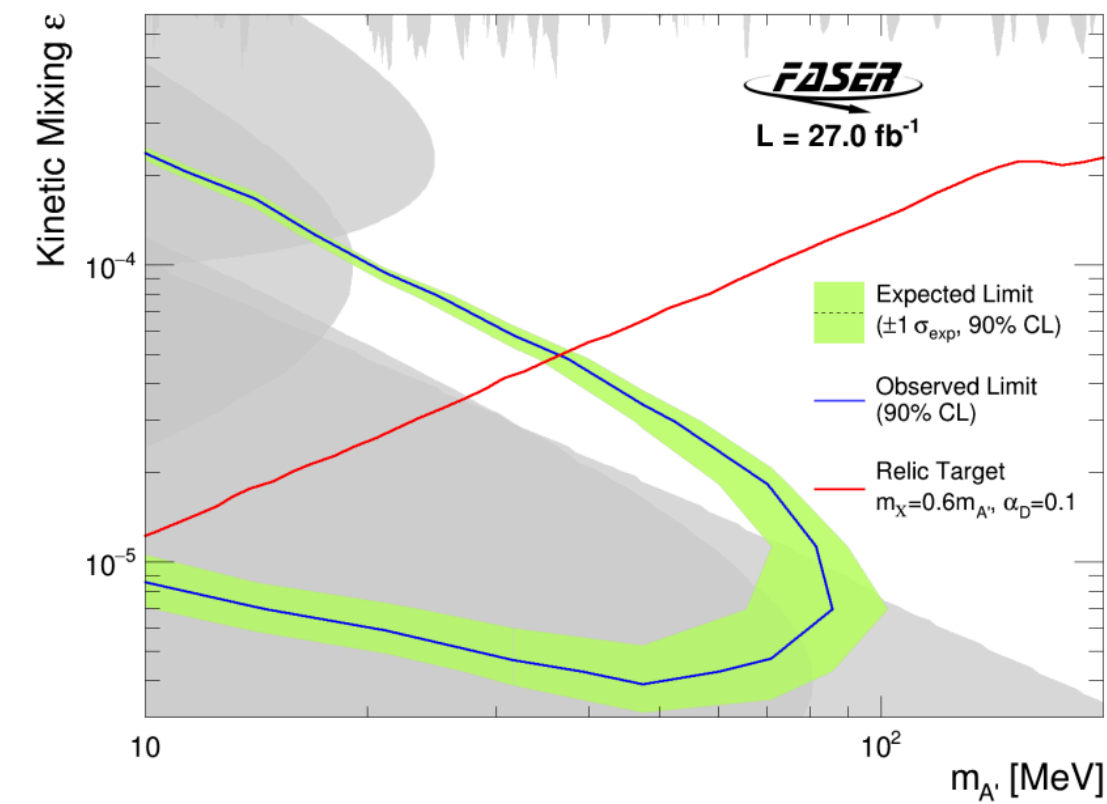


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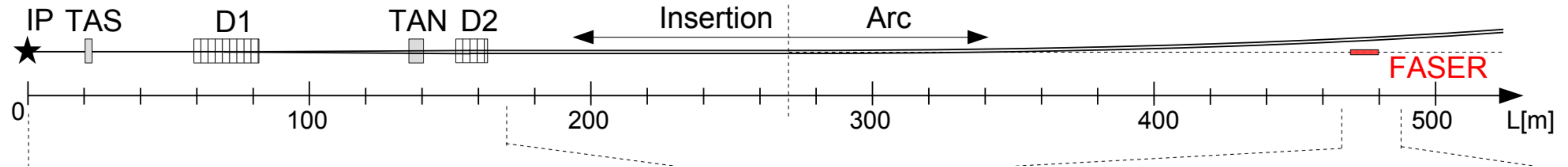


(a)

FASER collaboration **2308.05587**

Image taken from Brian Petersen – The FASER Collaboration

FASER



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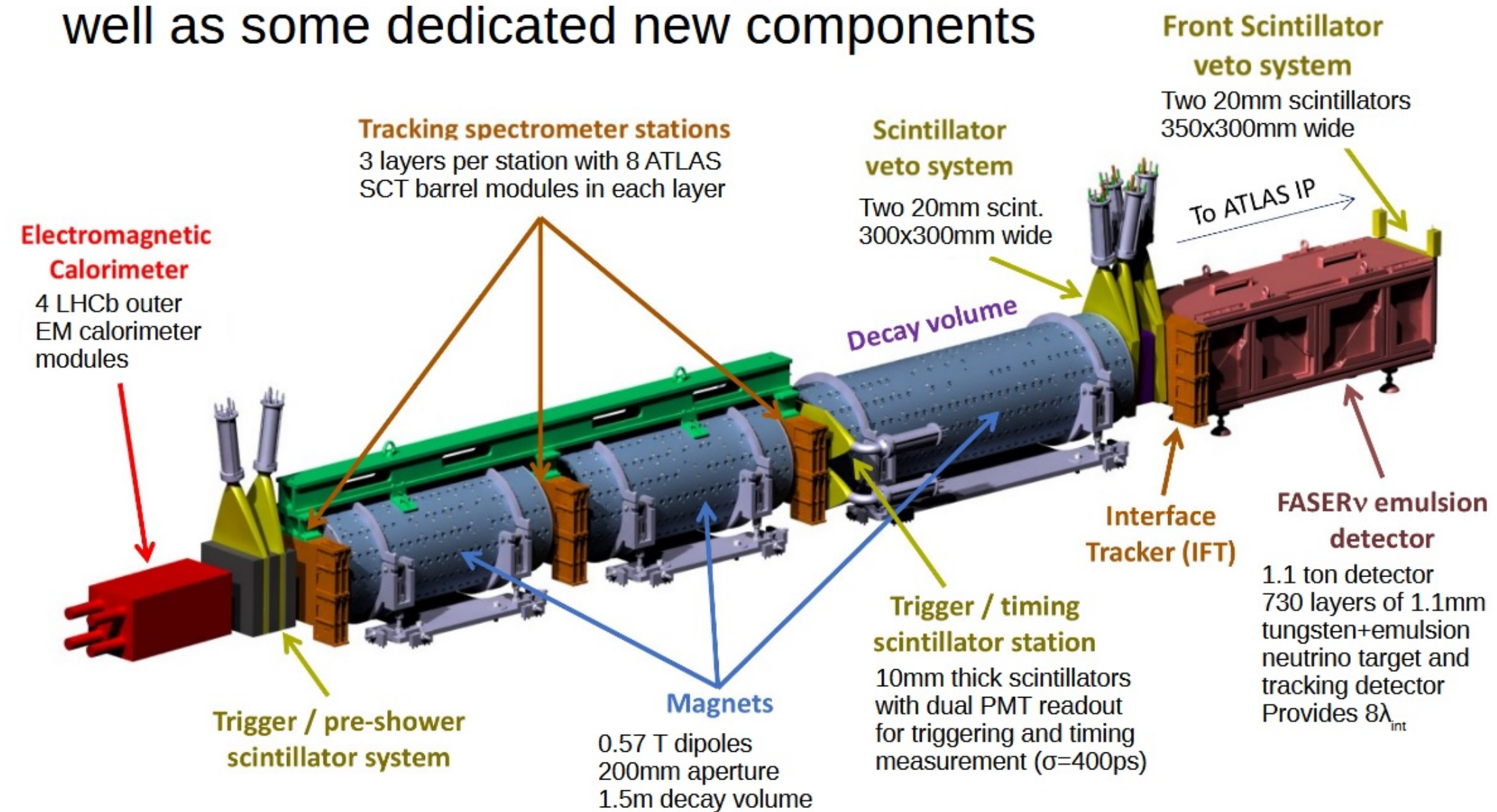
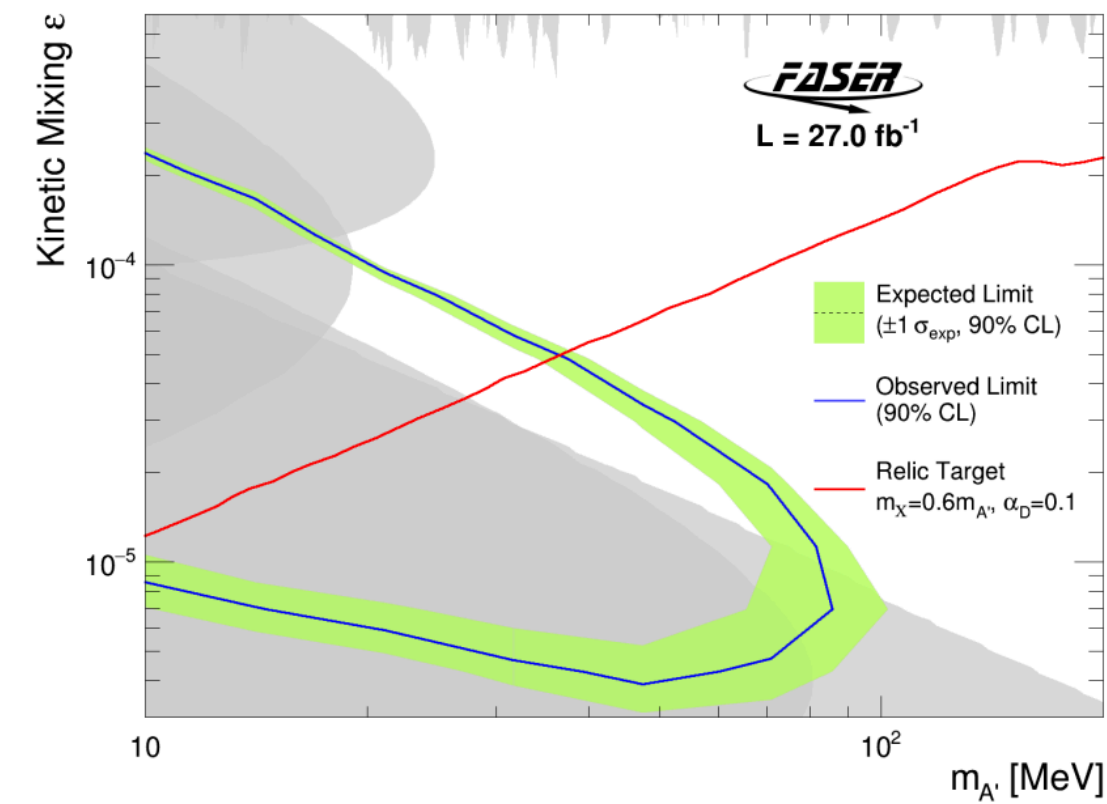


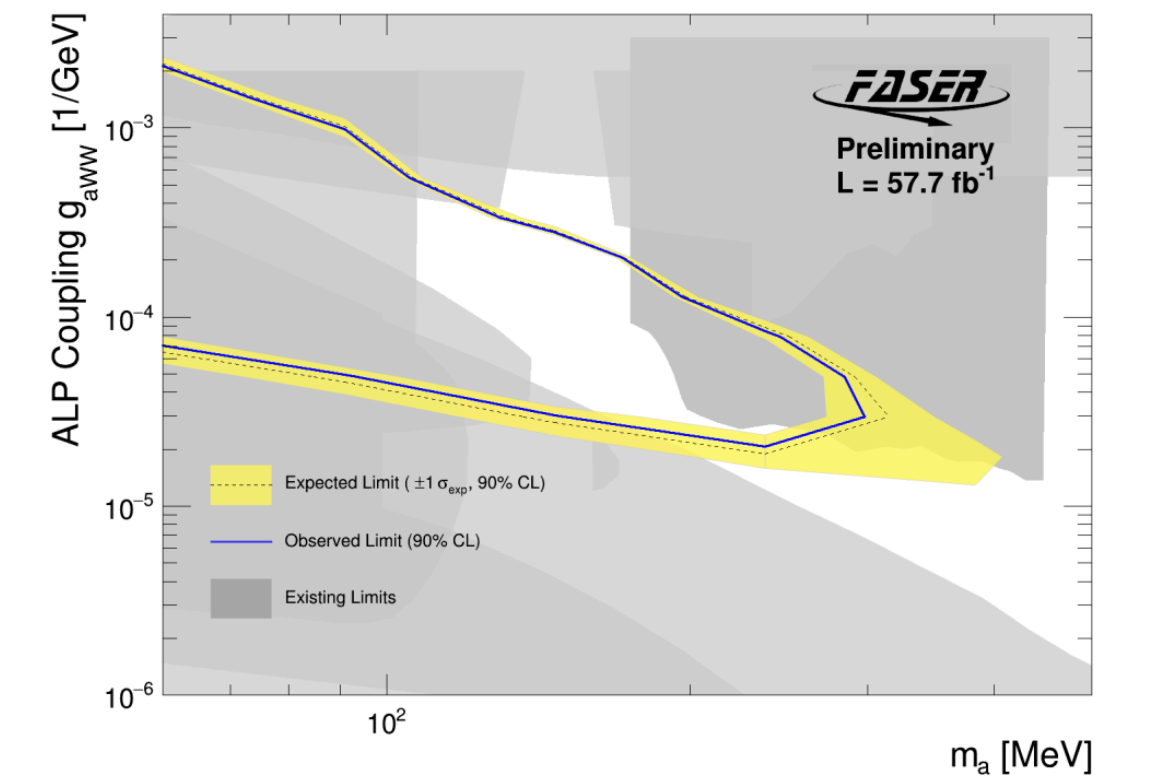
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FASER LOI : NOV 2018



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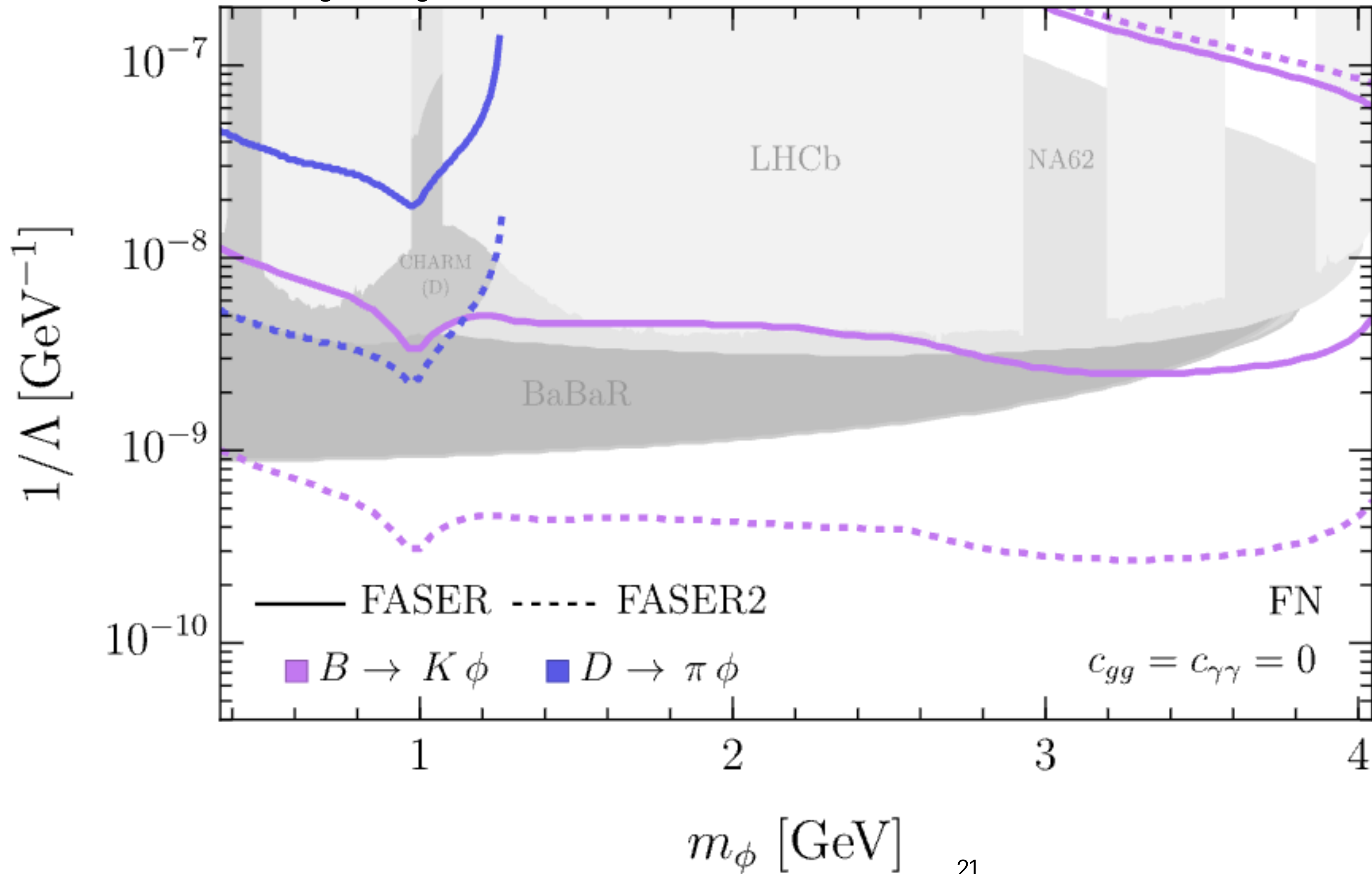
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CERN-FASER-CONF-**2024-001**

Results - FN models

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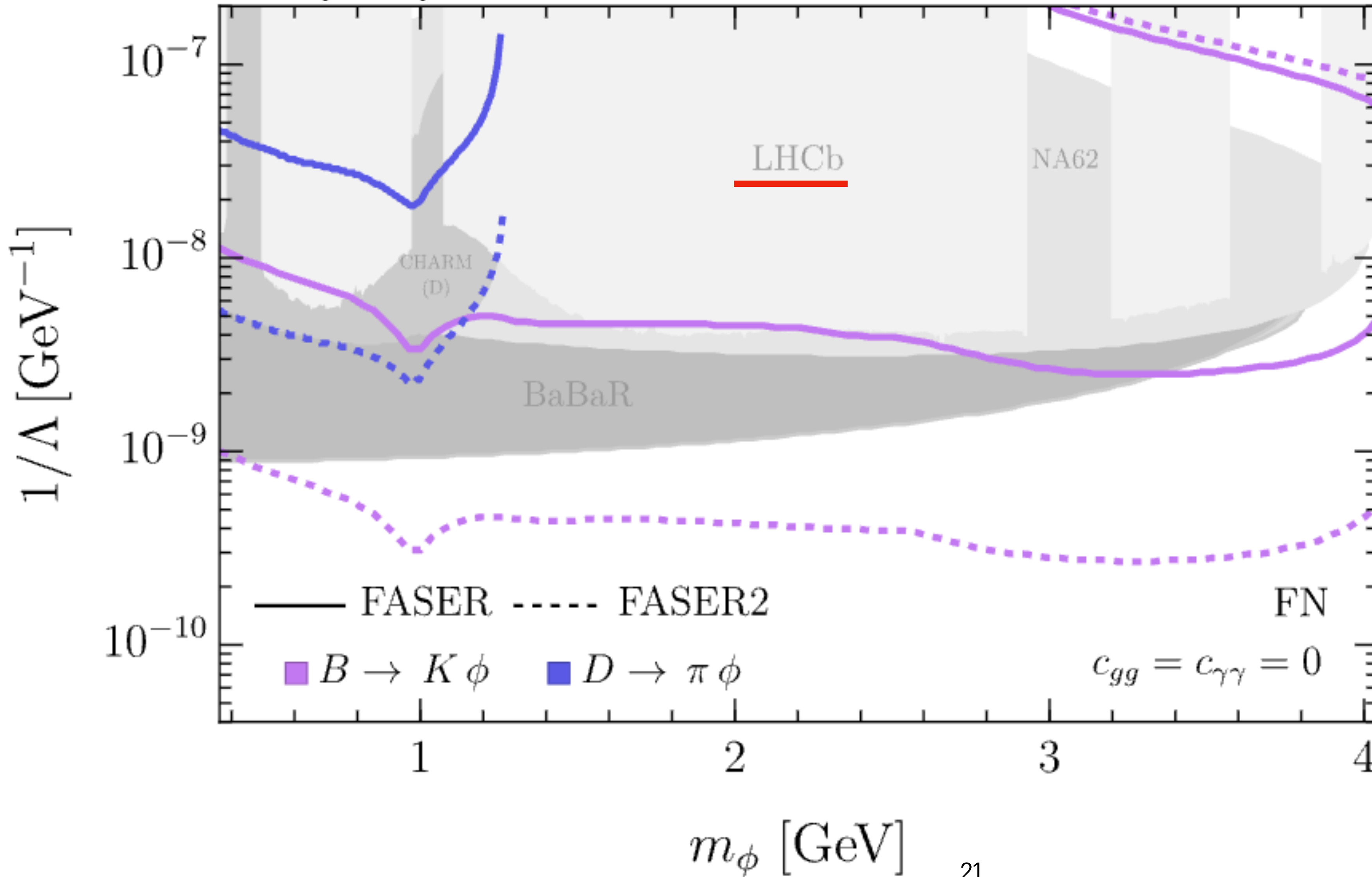
Results - FN models

LHCb

$$B \rightarrow K \phi (\phi \rightarrow \mu\mu)$$

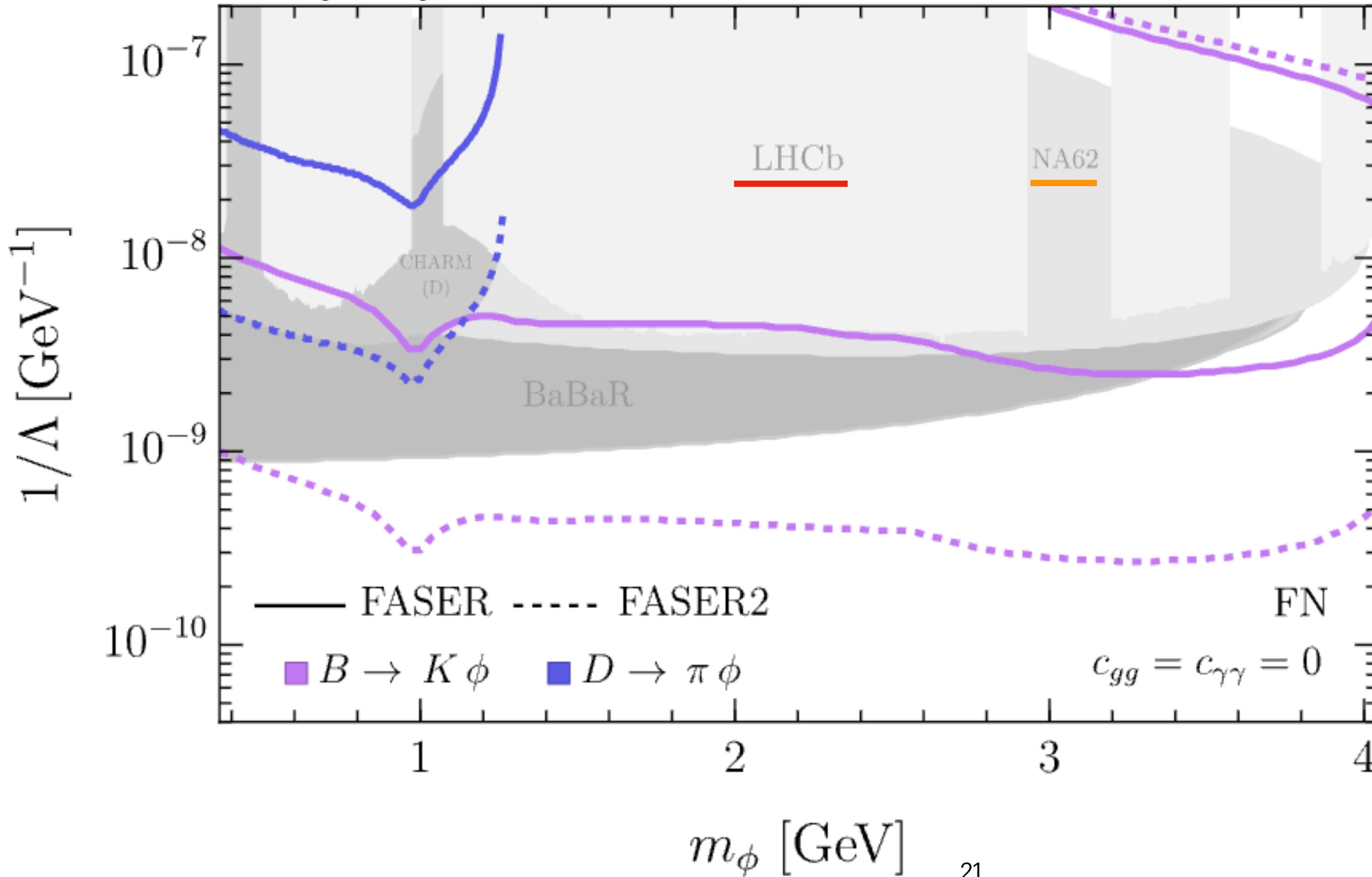
1508.04094

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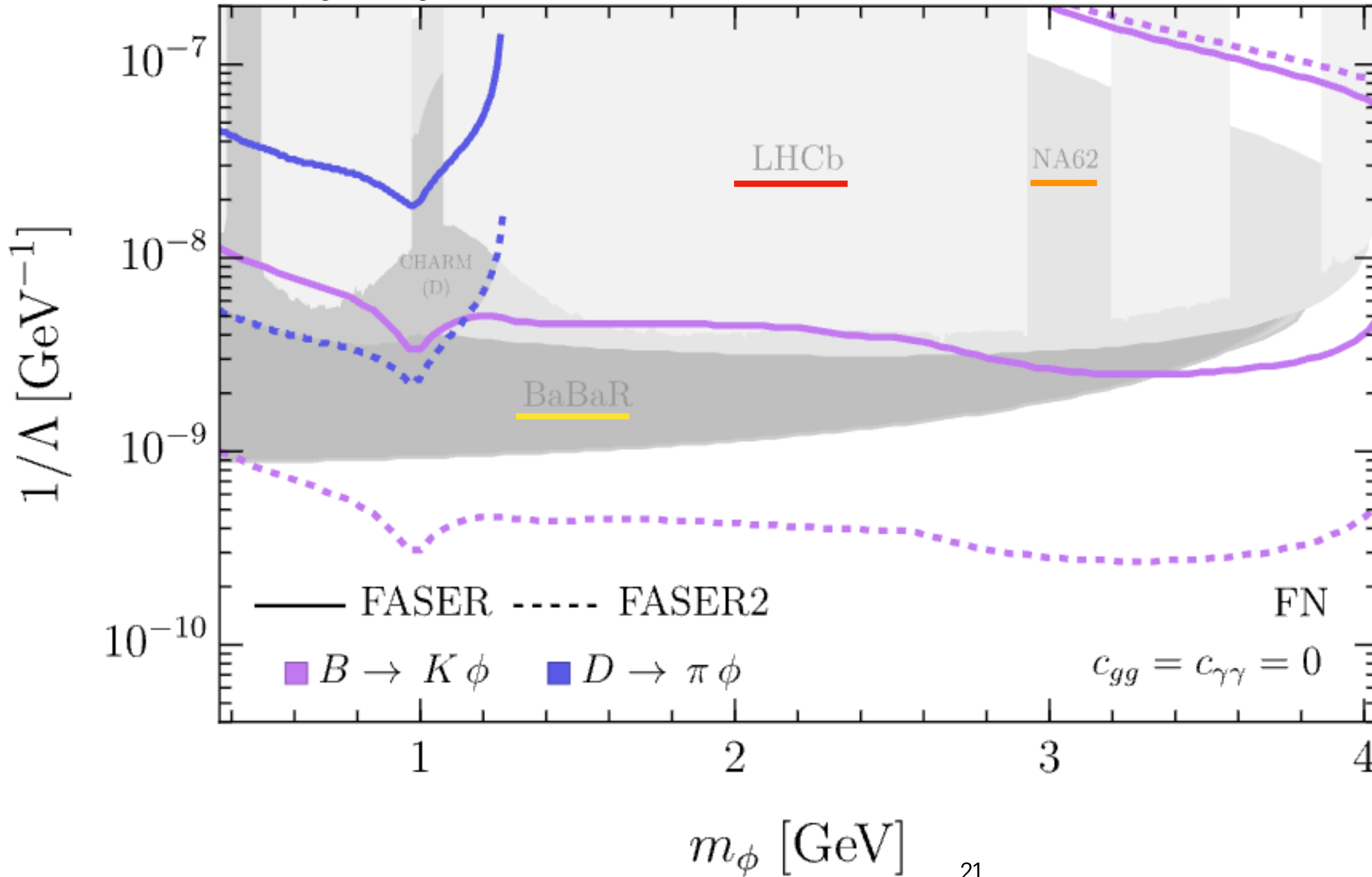
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2303.08666

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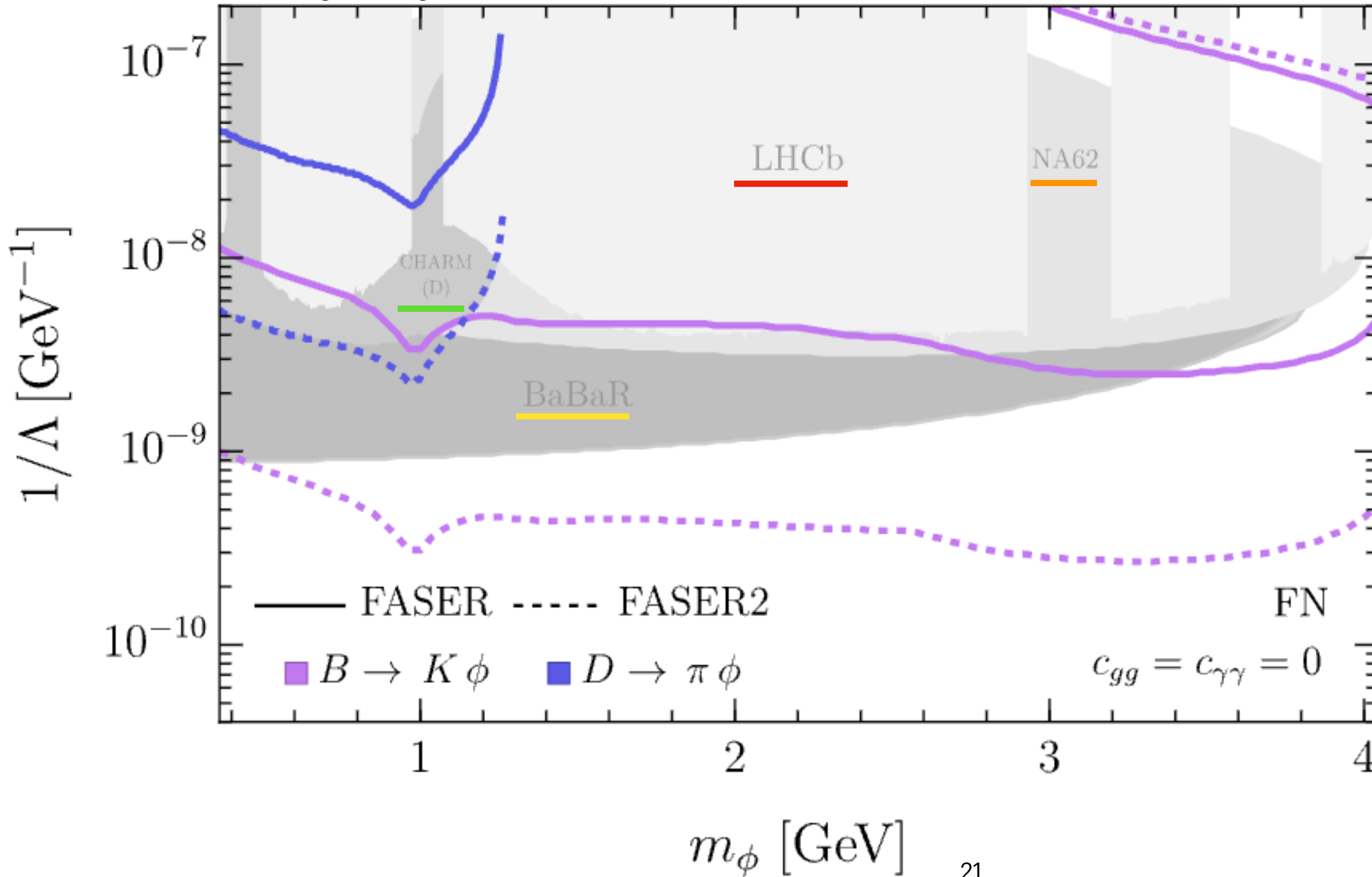
$$B \rightarrow K + \text{missing}$$

1303.7465

Camalich et al. 2002.04623

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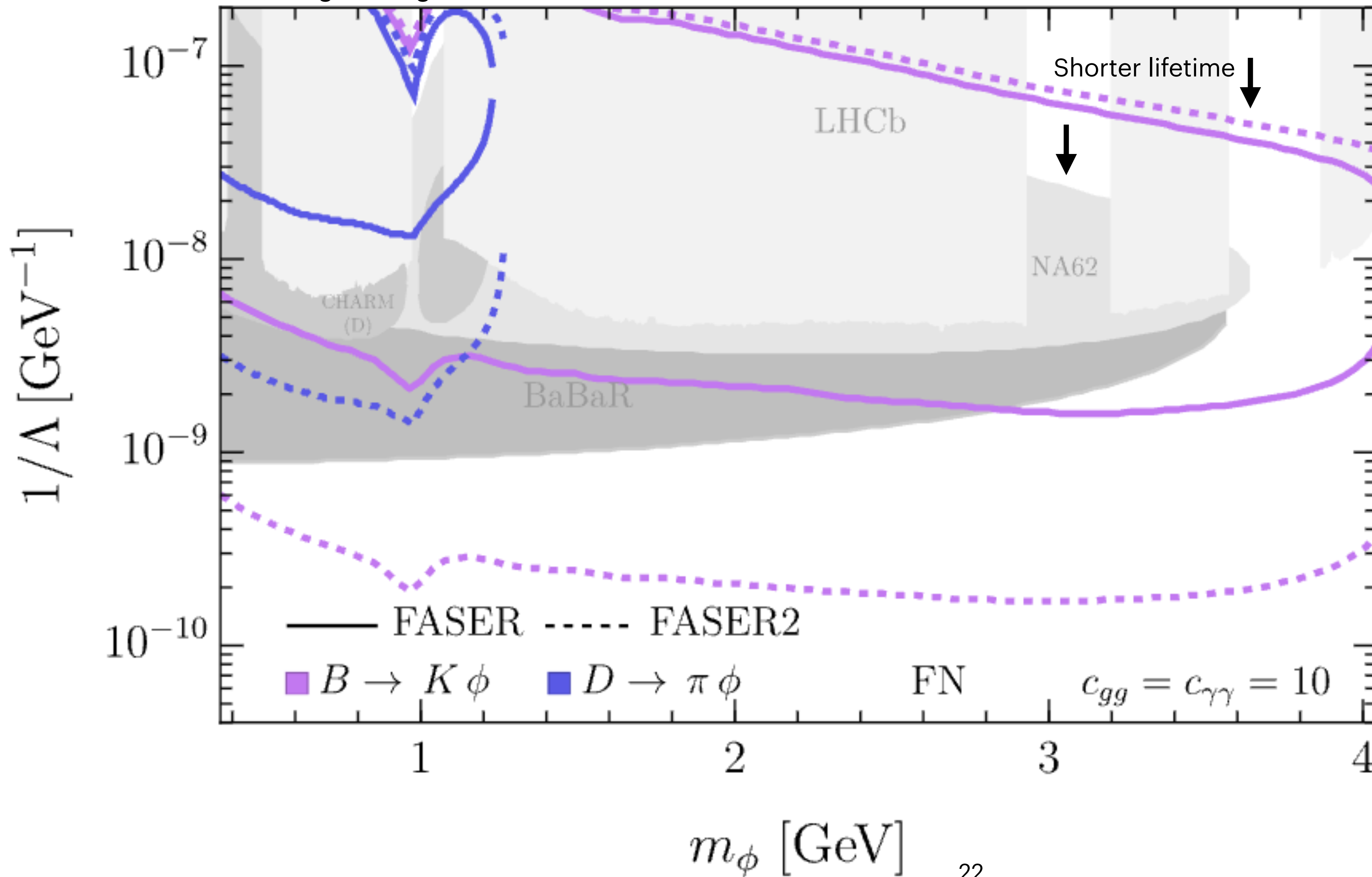
CHARM

Phys. Lett. B 157 (1985) 458-462

$$B/D \rightarrow K/\pi + \phi (\phi \rightarrow \bar{e}e, \bar{\mu}\mu, \gamma\gamma)$$

Results - FN models (gluonphillic)

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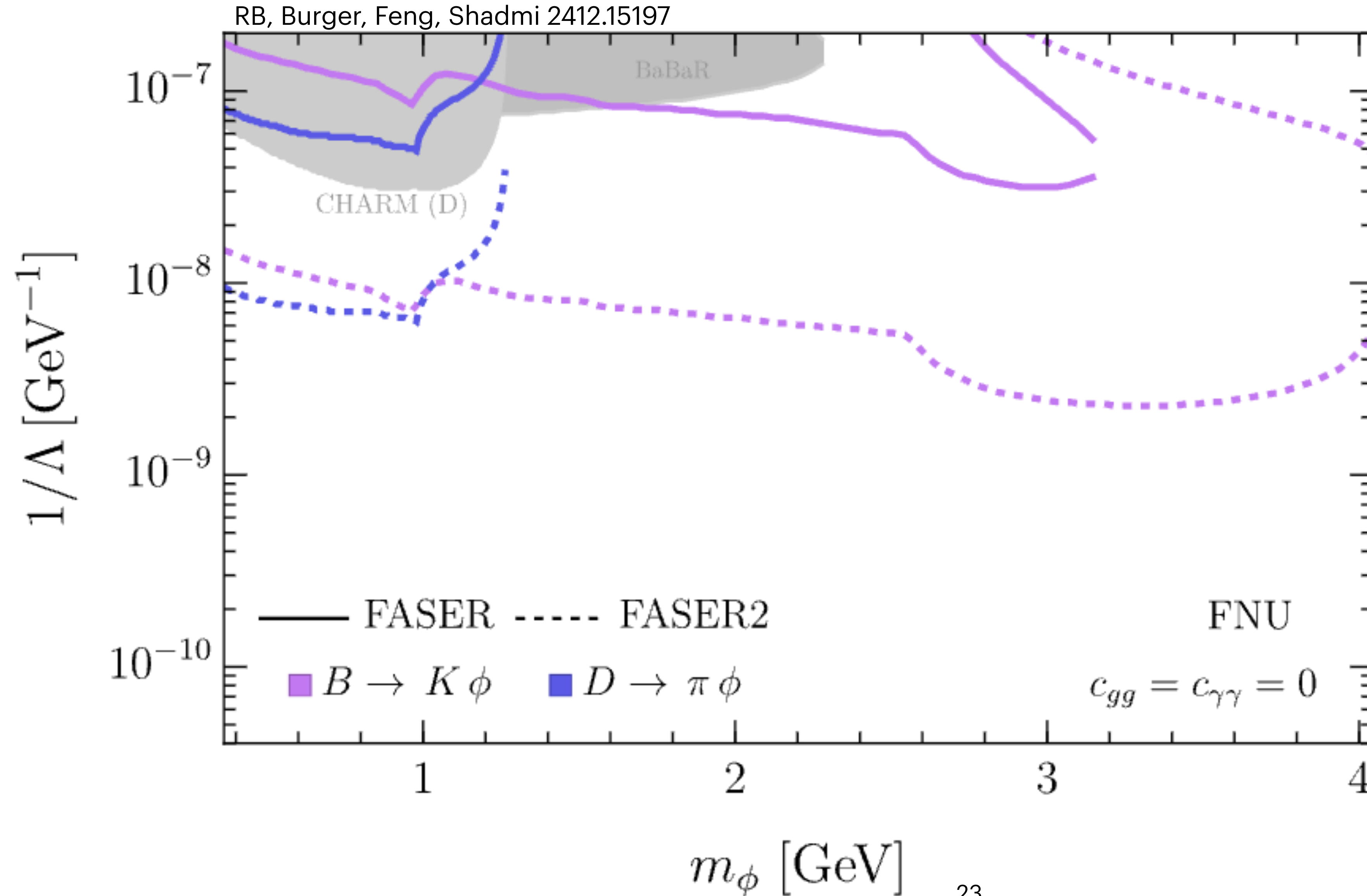
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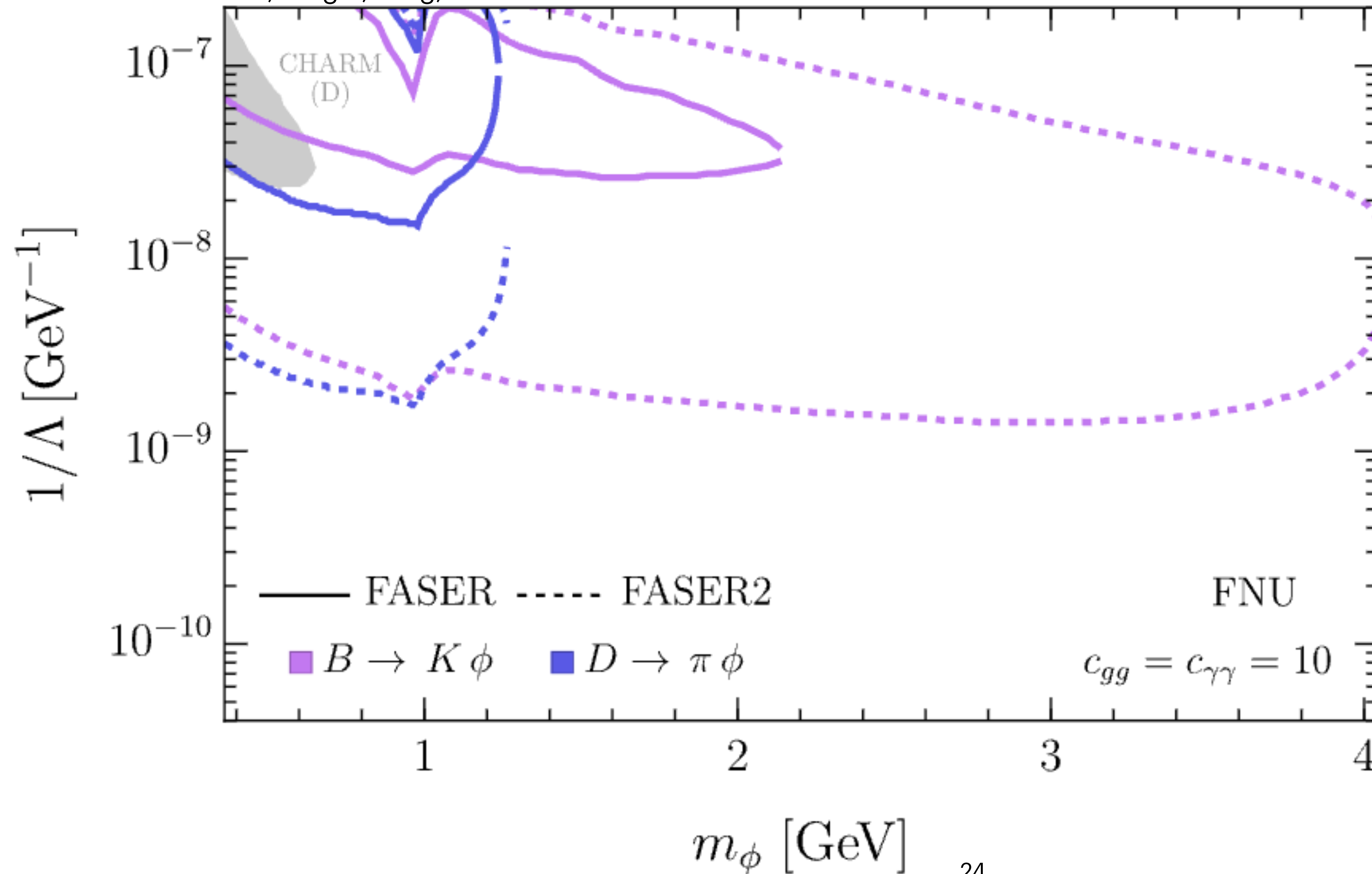
Results - FNU models



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 $B \rightarrow K \phi (\phi \rightarrow \mu\mu)$
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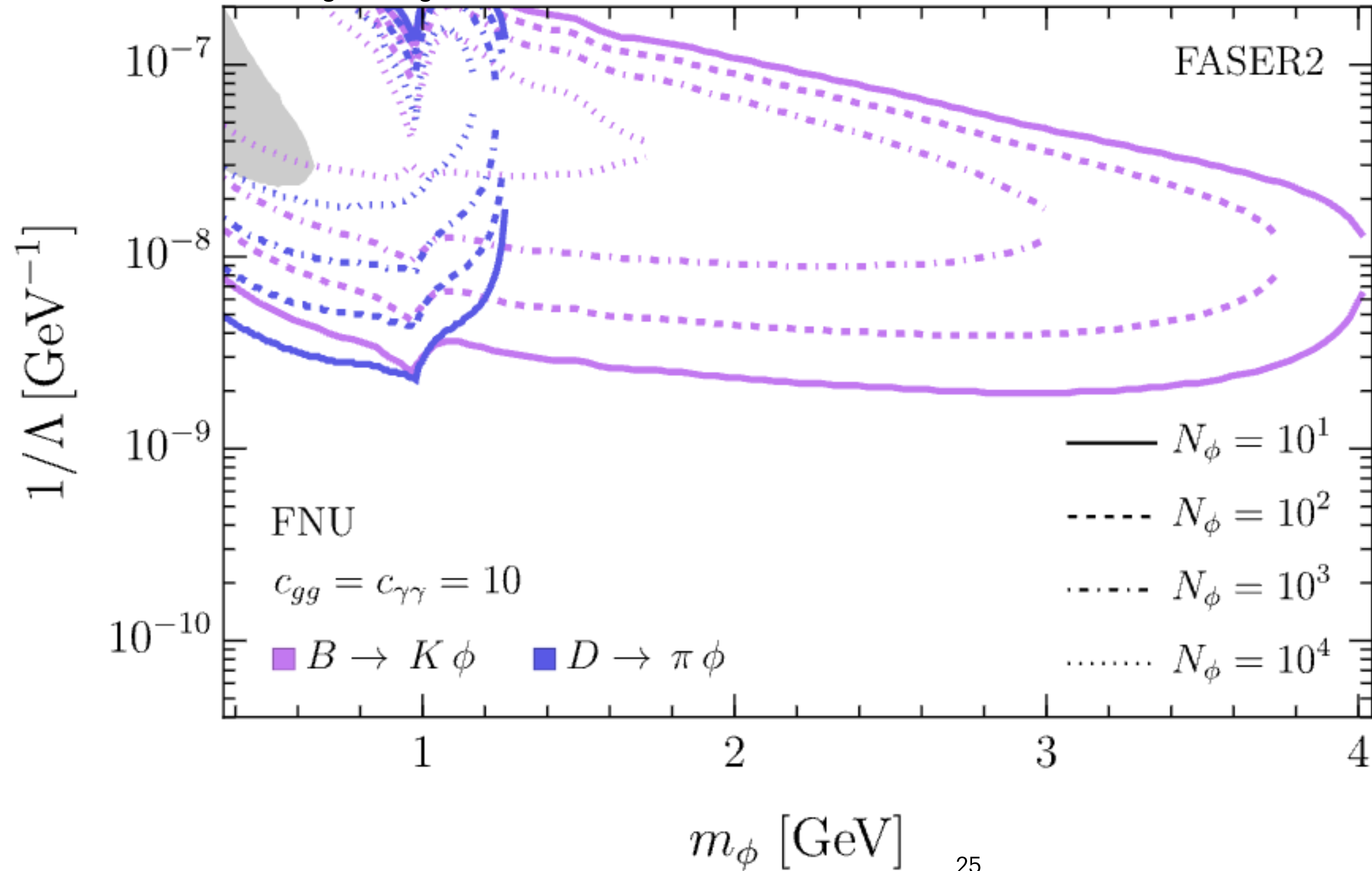
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 Too short-lived
 Camalich et al. 2002.04623
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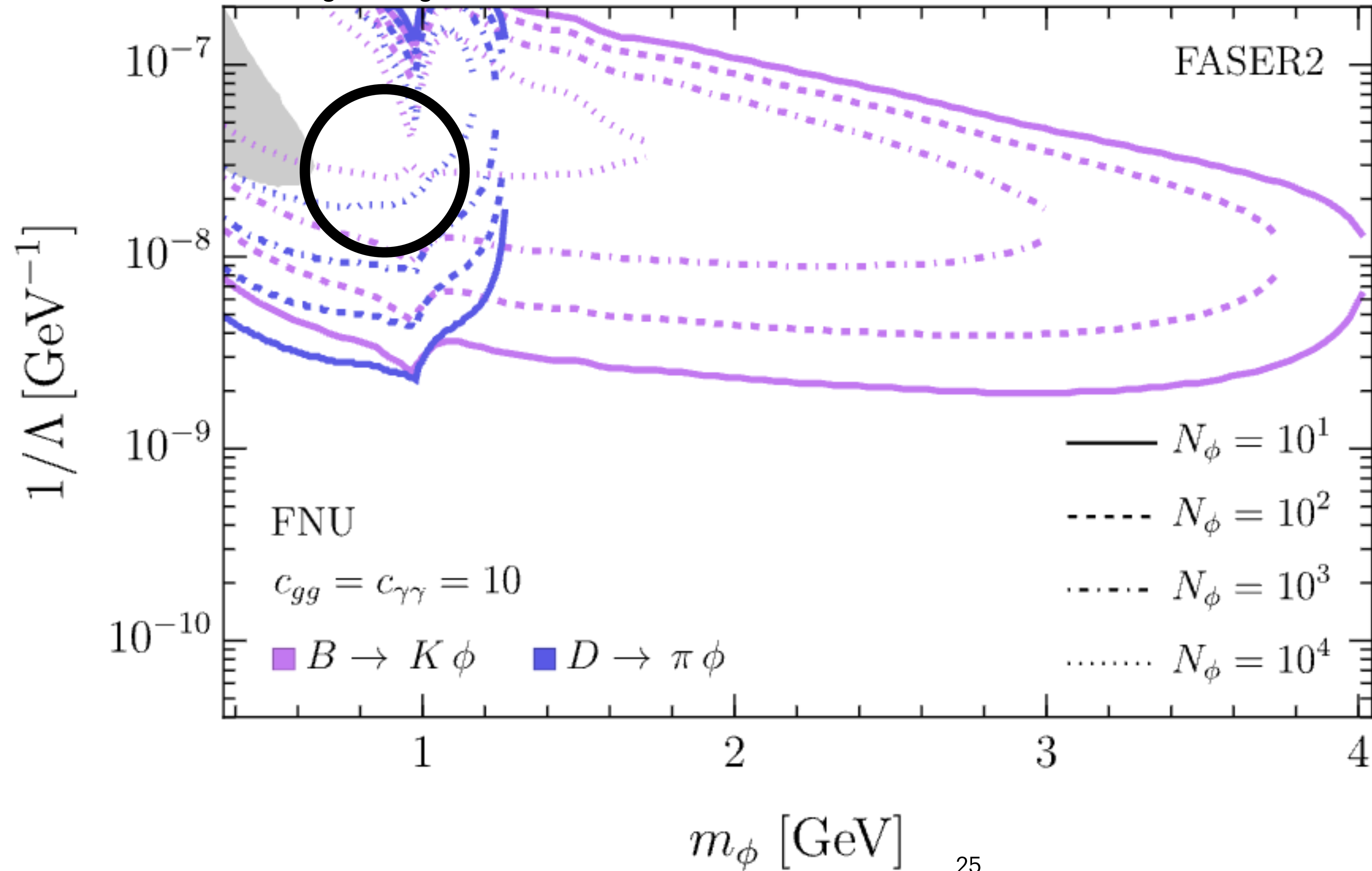
Disentangling Flavor violation

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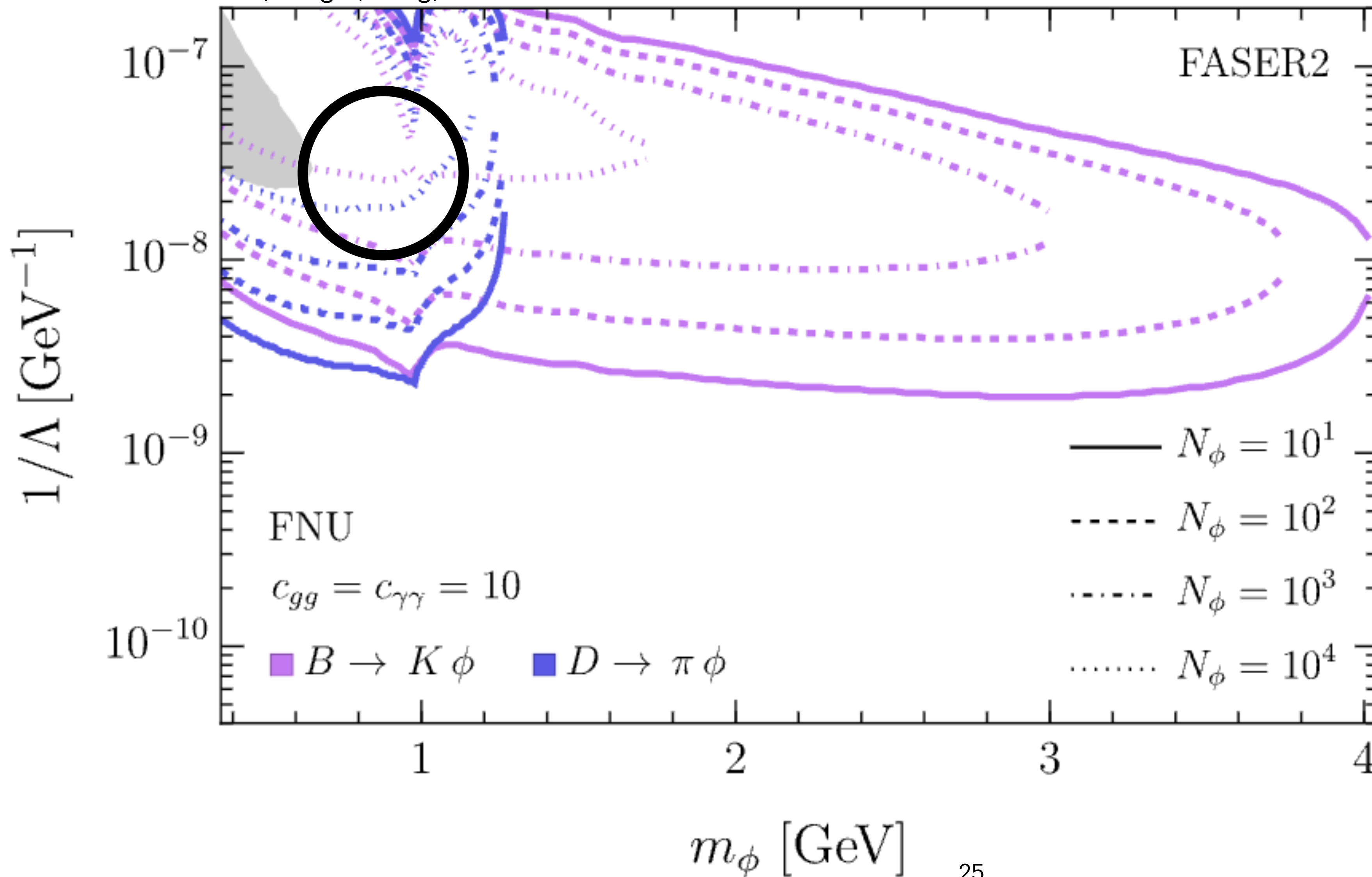
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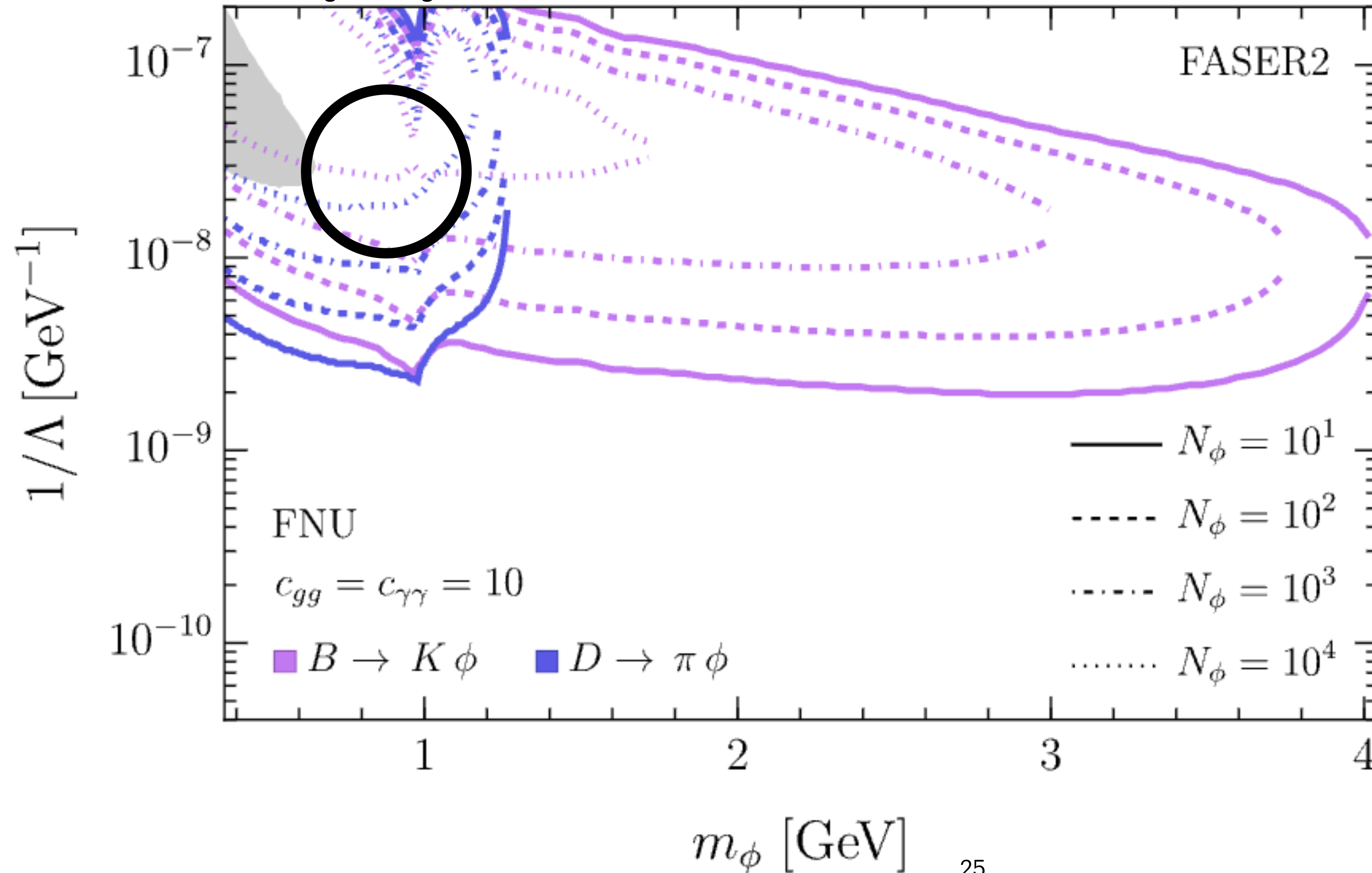
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Comparable or
dominating
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=
Clear indication of
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Disentangling Flavor violation

RB, Burger, Feng, Shadmi 2412.15197



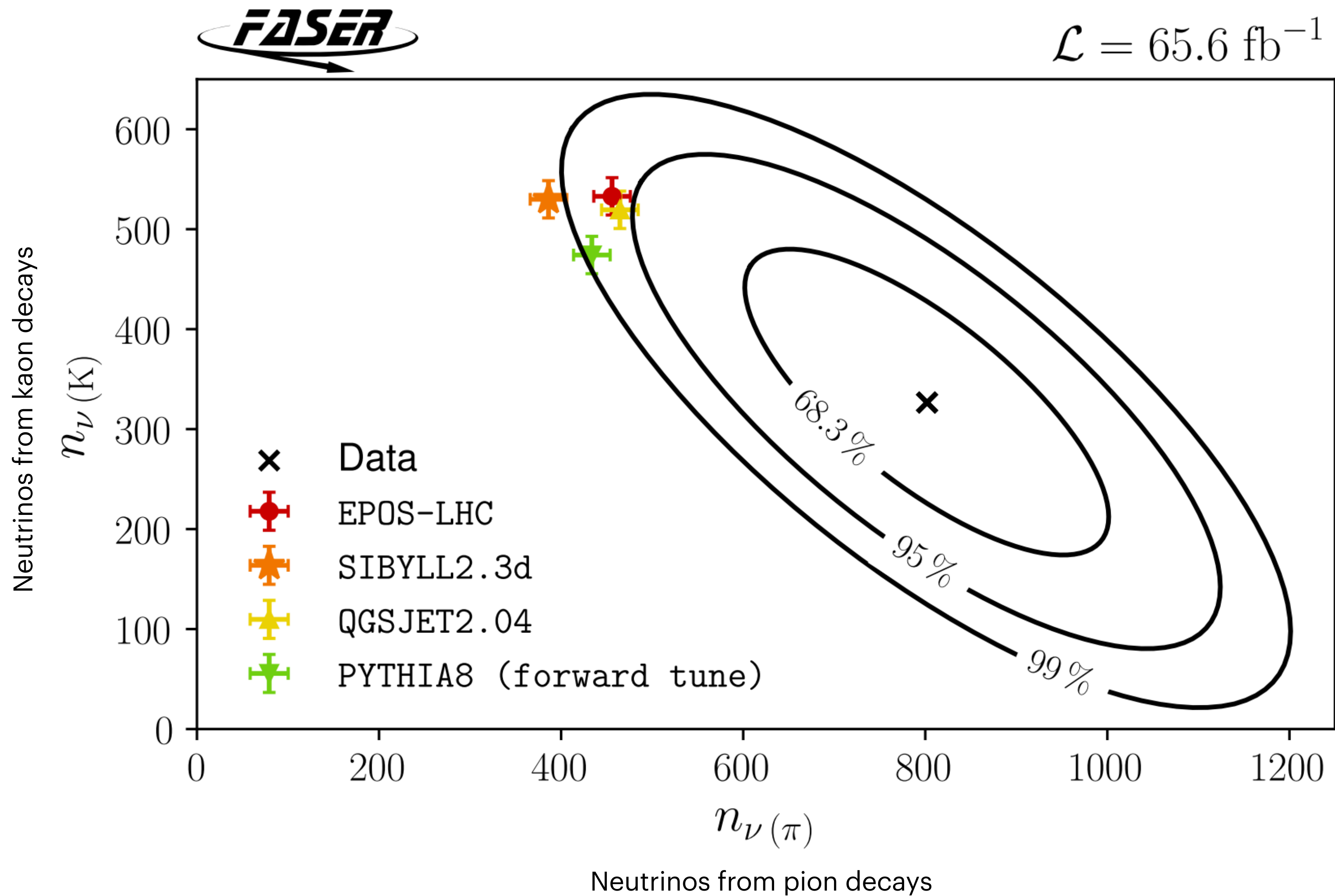
Comparable or dominating
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=

Clear indication of
Non-MFV theory

Can D and B decay
be disentangled?

Disentangling Flavor violation



Proof of concept

FASER collaboration
2412.03186

Outline

1. Flavored scalar model ✓
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Model-independent approach

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$$\{m_\phi, \Lambda, c\} \rightarrow \{m_\phi, \tau_\phi, \text{Br}[M \rightarrow M' \phi]\}$$

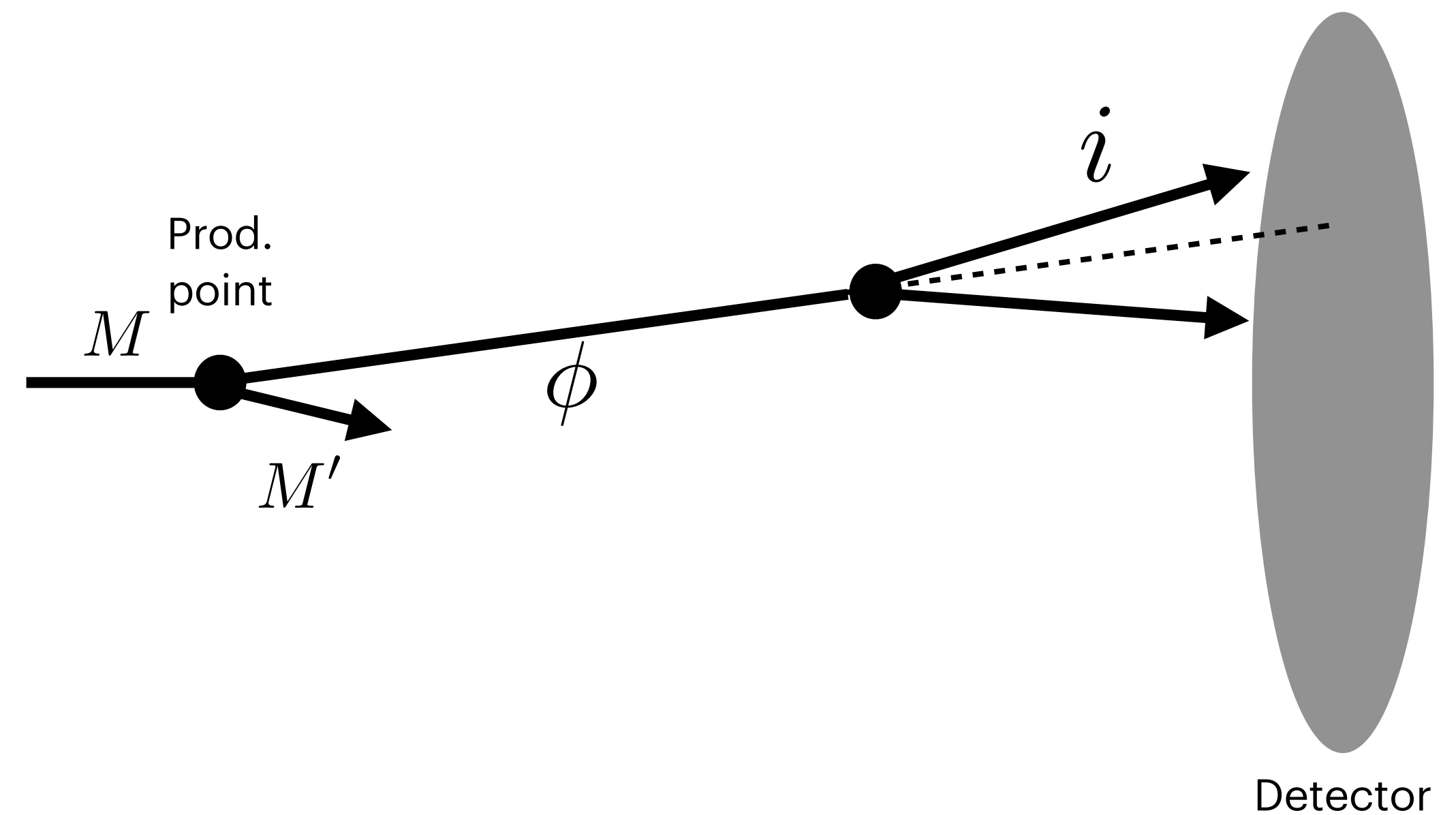
Model-independent approach

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$$M \rightarrow M' \phi$$

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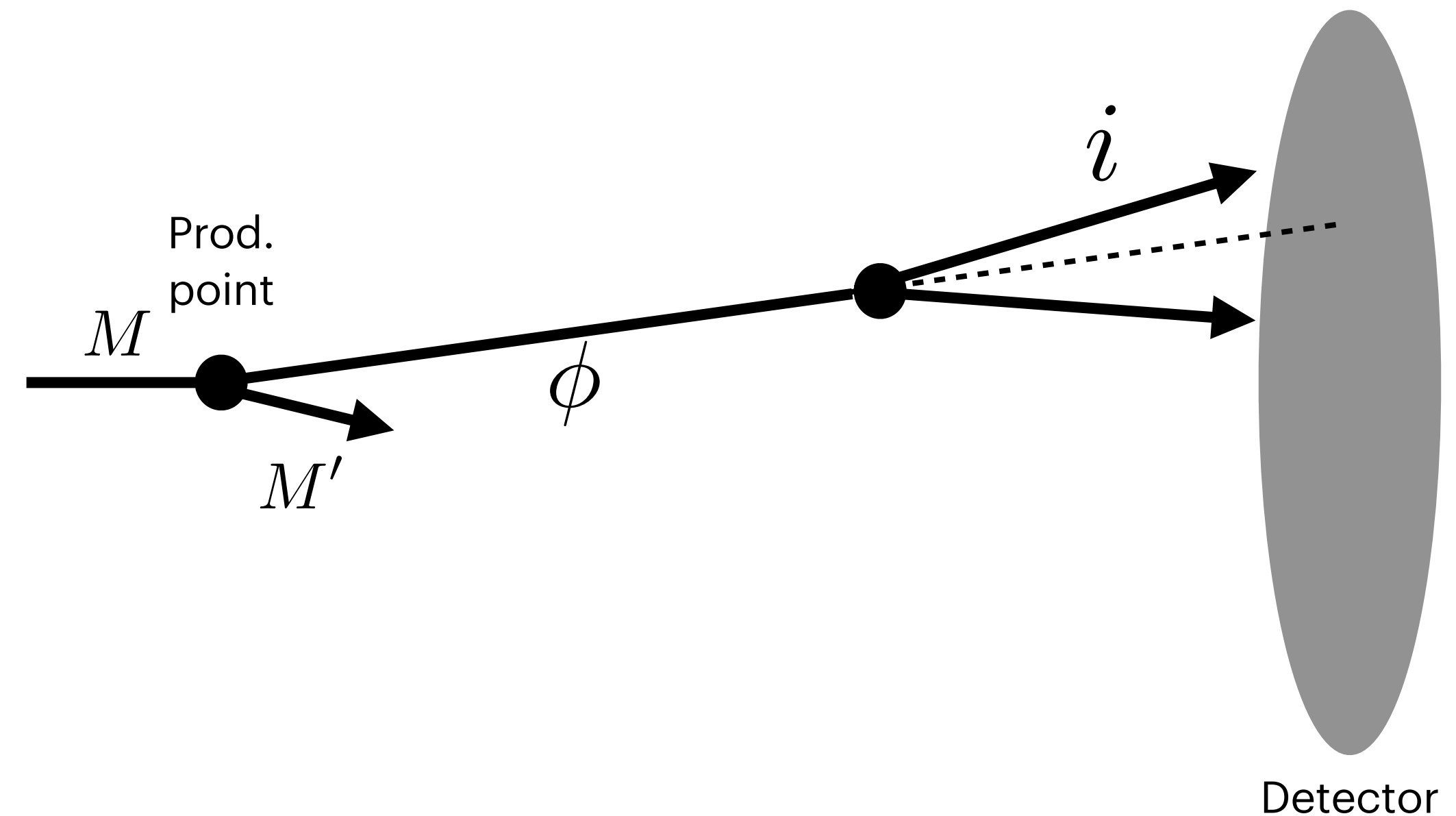
$$M \rightarrow M' \phi$$



Model-independent approach

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$$N_\phi \sim N_M \cdot \text{Br}(M \rightarrow M' \phi) \cdot \mathcal{A}(m_\phi) \cdot P_{\text{decay}}(\tau_\phi/m_\phi) \sum_{i \in \text{visible}} \text{Br}(\phi \rightarrow i) \cdot \epsilon_i$$

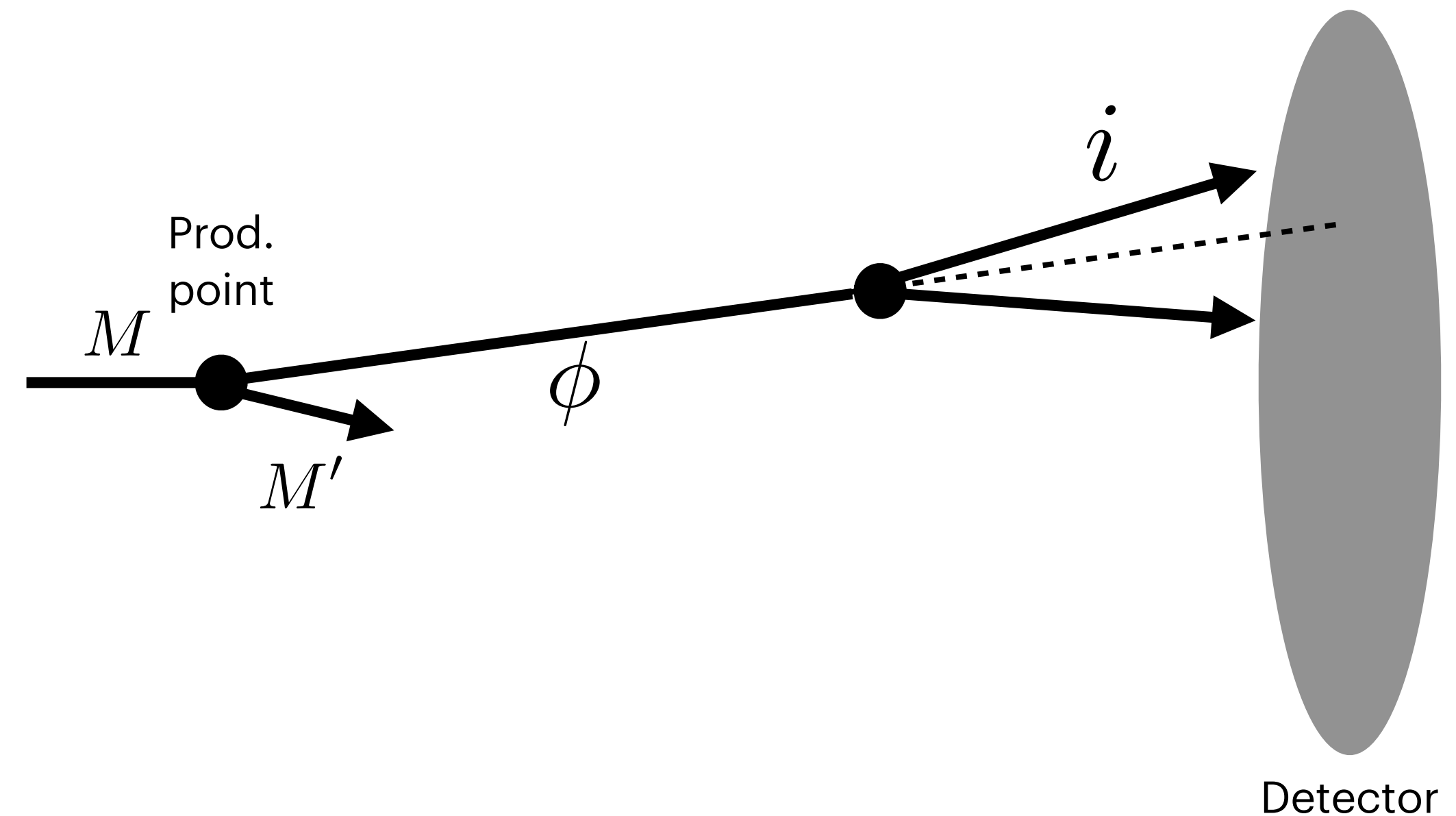


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Total yield of M meson



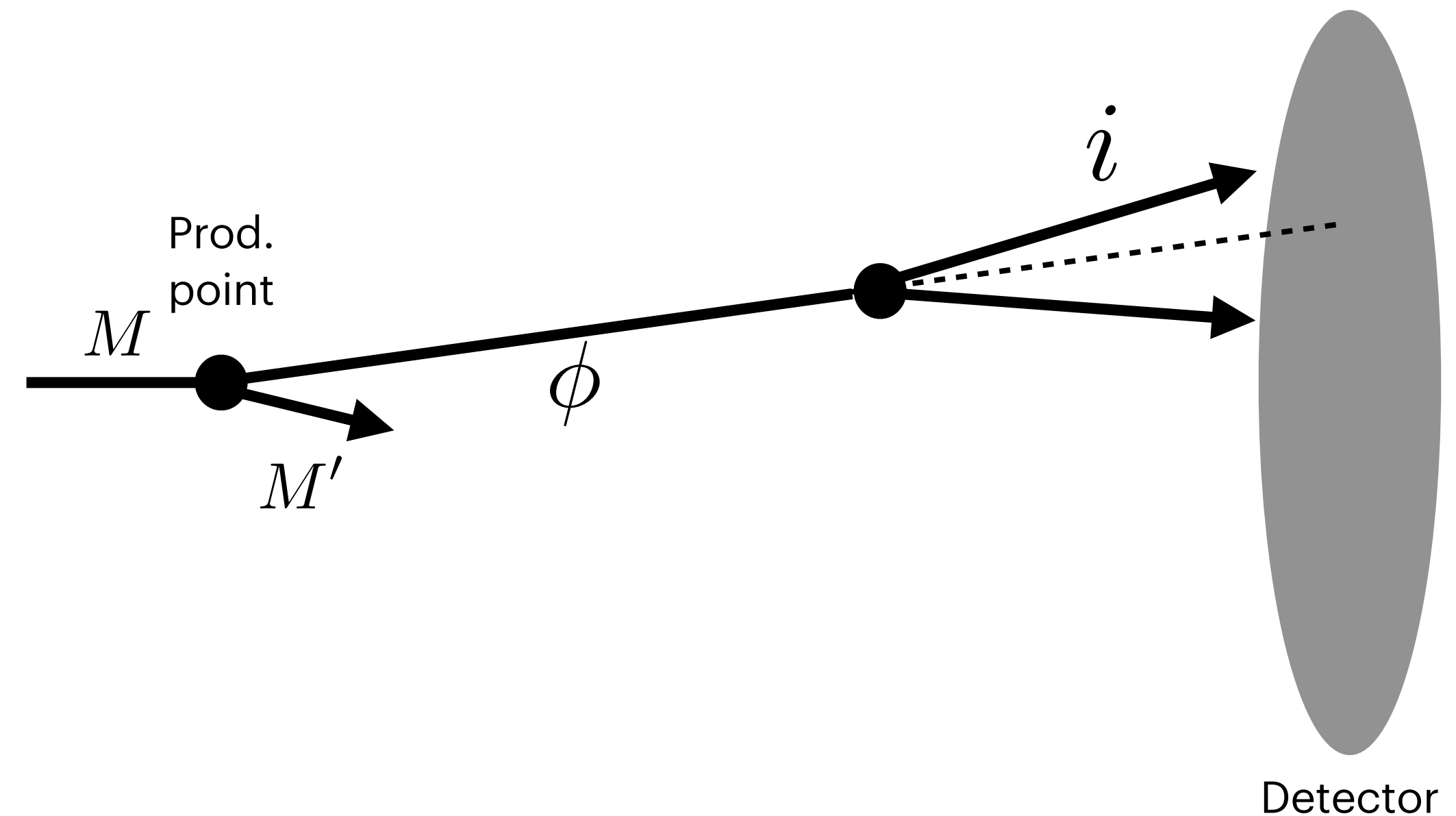
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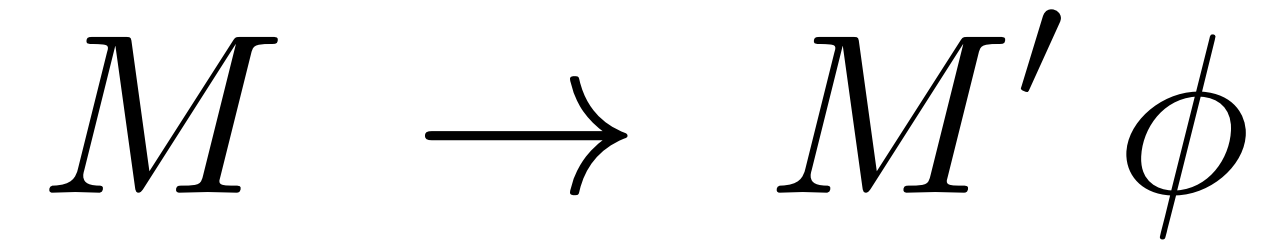
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Total yield of M meson

Branching ratio



Model-independent approach

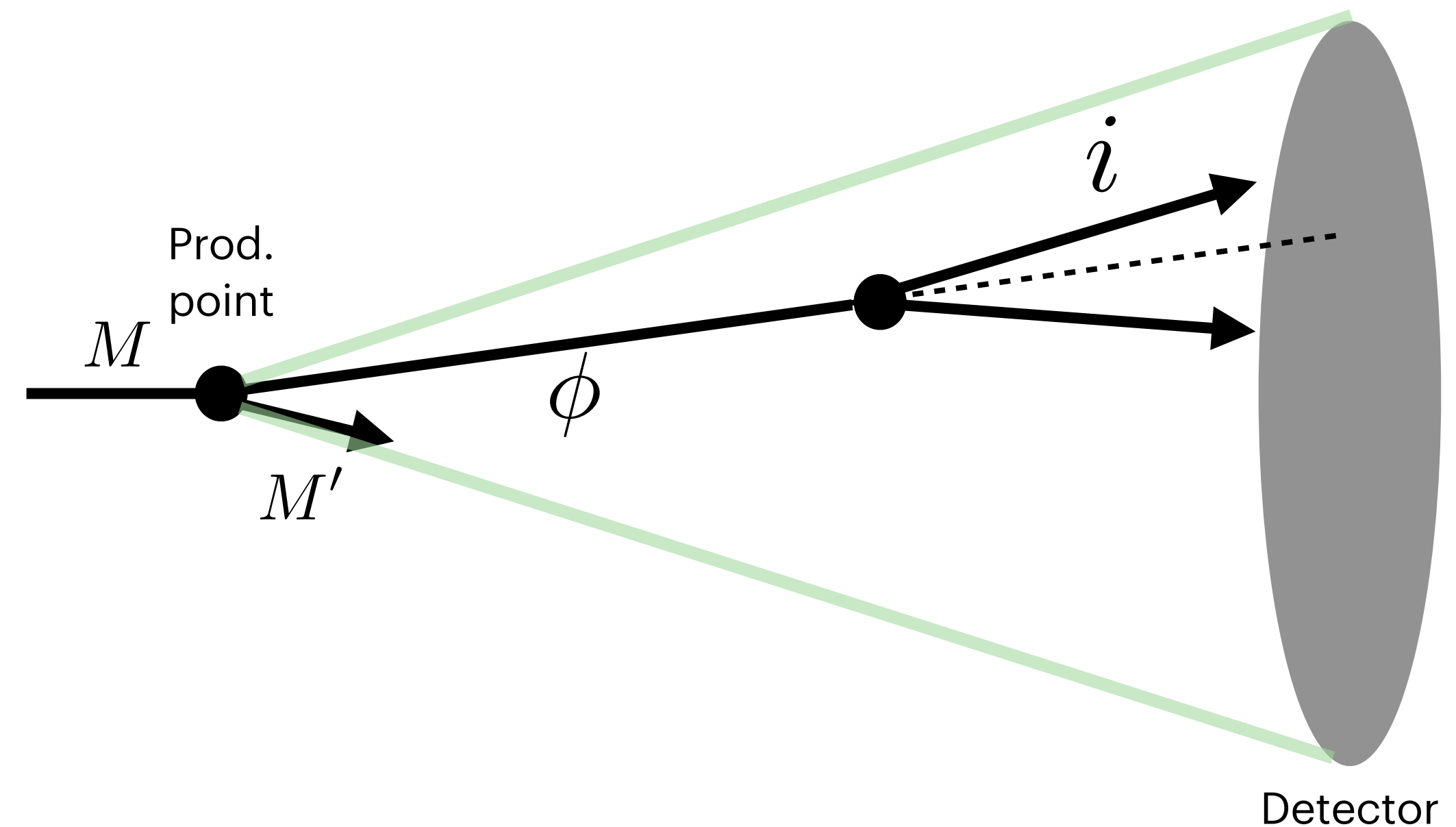


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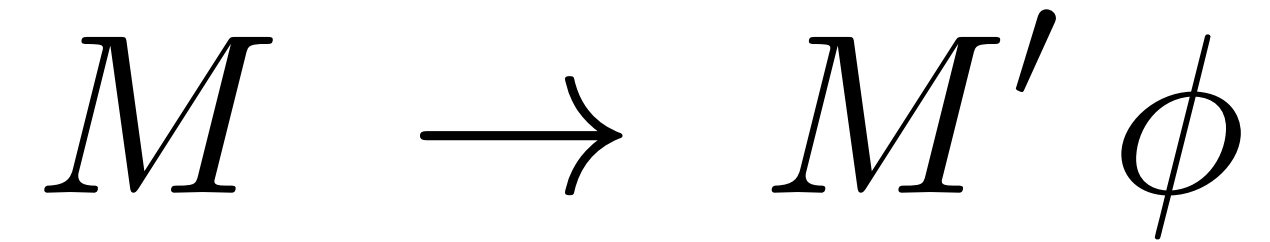
Total yield of M meson

Branching ratio

Geometrical acceptance



Model-independent approach



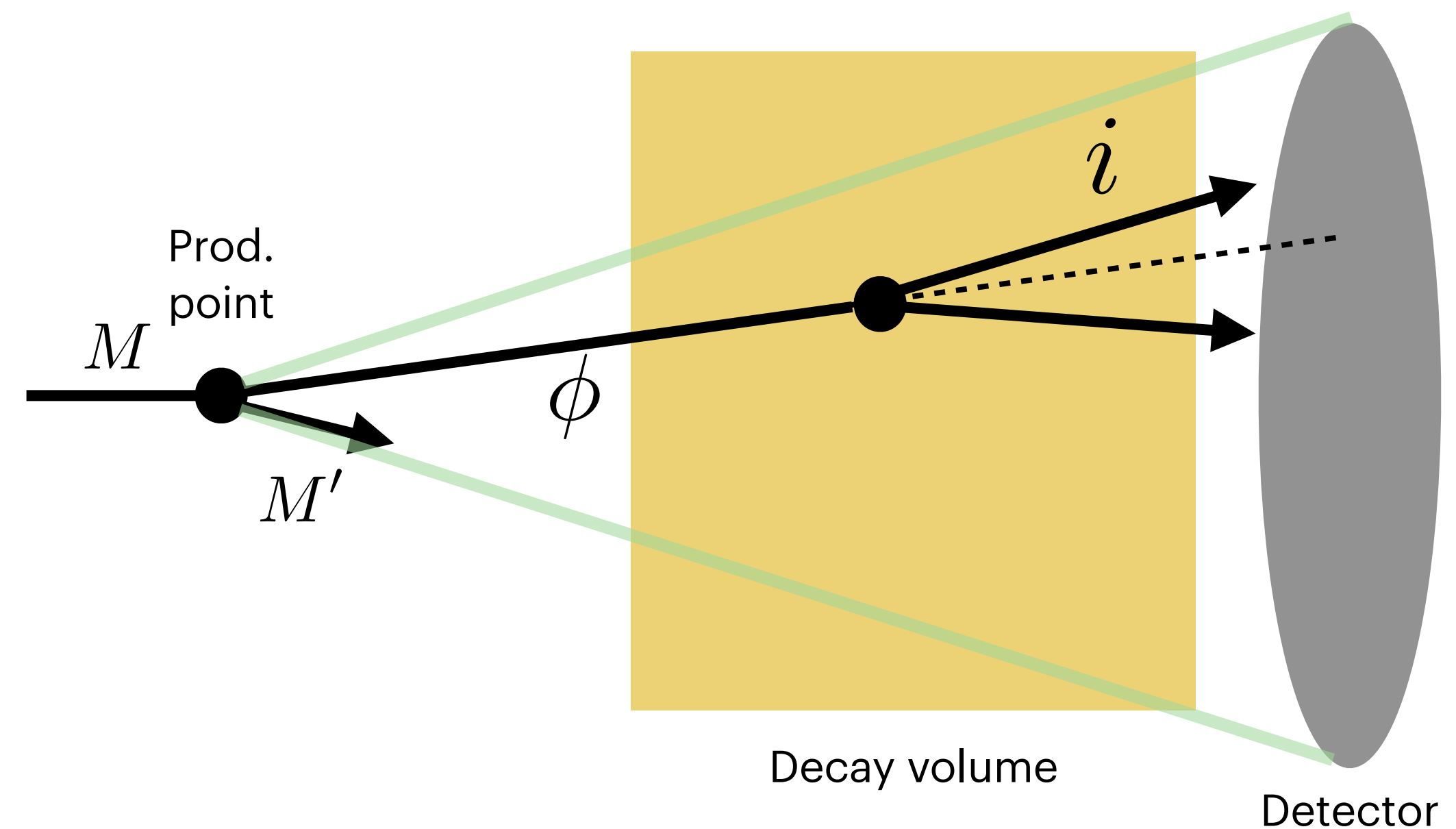
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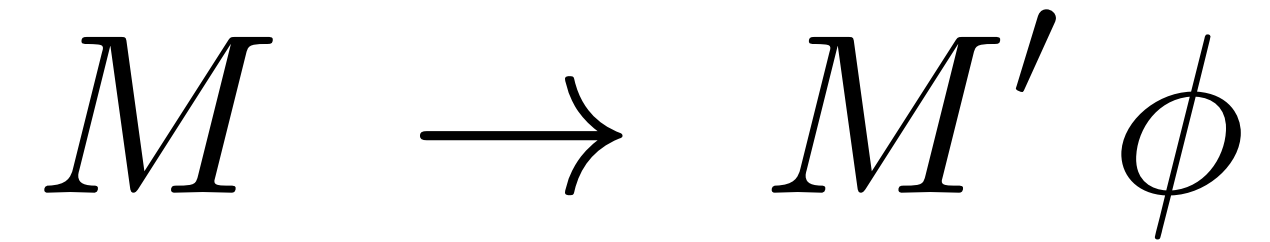
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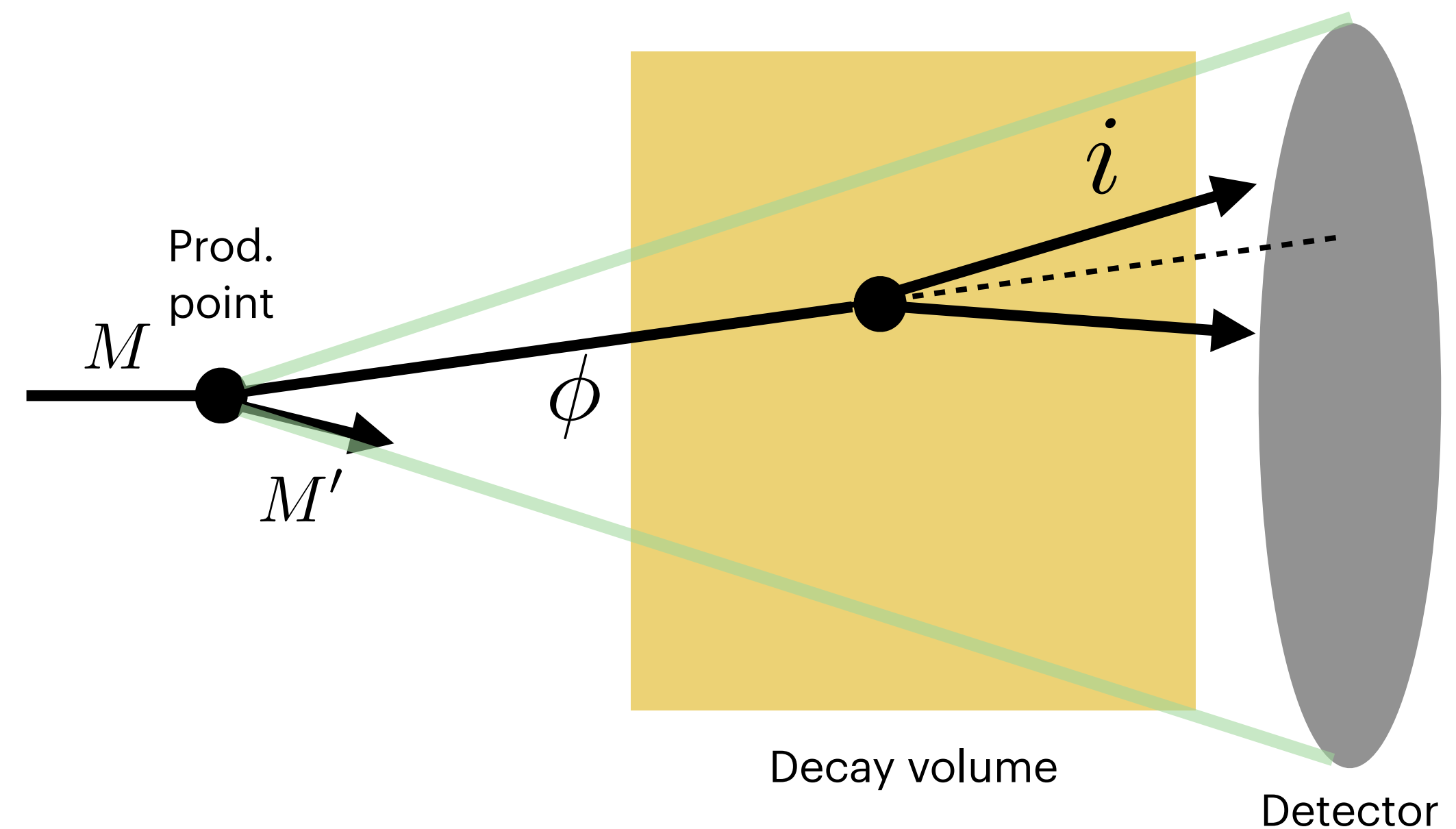
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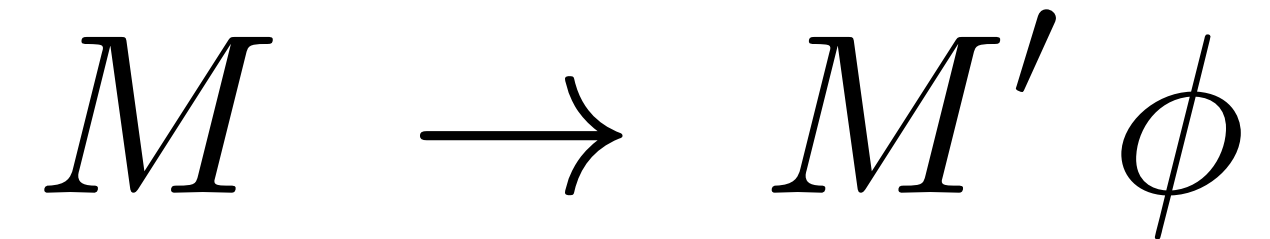
Geometrical acceptance

Decay probability

Detection efficiency



Model-independent approach



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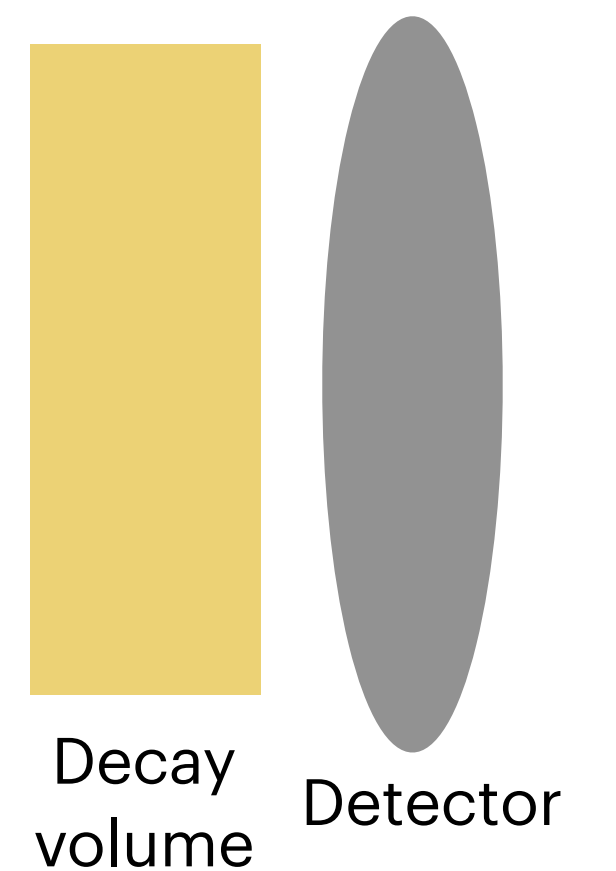
Geometrical acceptance

Decay probability

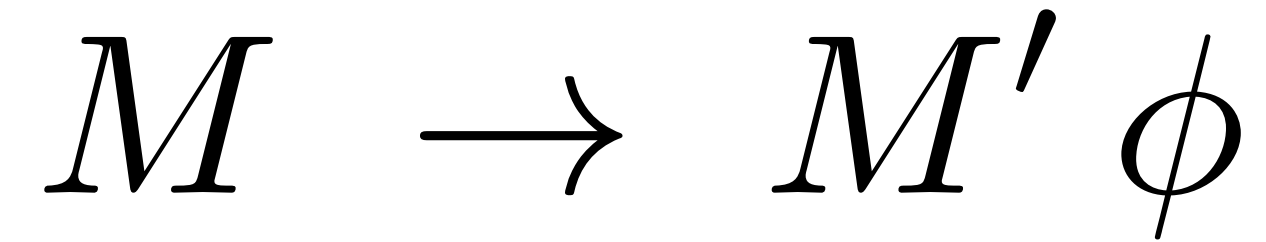
Detection efficiency

$$P_{\text{decay}}(\tau_\phi/m_\phi) \approx \exp(-L/d_{\text{lab}}) [1 - \exp(-\Delta/d_{\text{lab}})]$$

Prod.
point
●



Model-independent approach



$$N_\phi \sim N_M \cdot \text{Br}(M \rightarrow M' \phi) \cdot \mathcal{A}(m_\phi) \cdot P_{\text{decay}}(\tau_\phi/m_\phi) \sum_{i \in \text{visible}} \text{Br}(\phi \rightarrow i) \cdot \epsilon_i$$

Total yield of M meson

Branching ratio

Geometrical acceptance

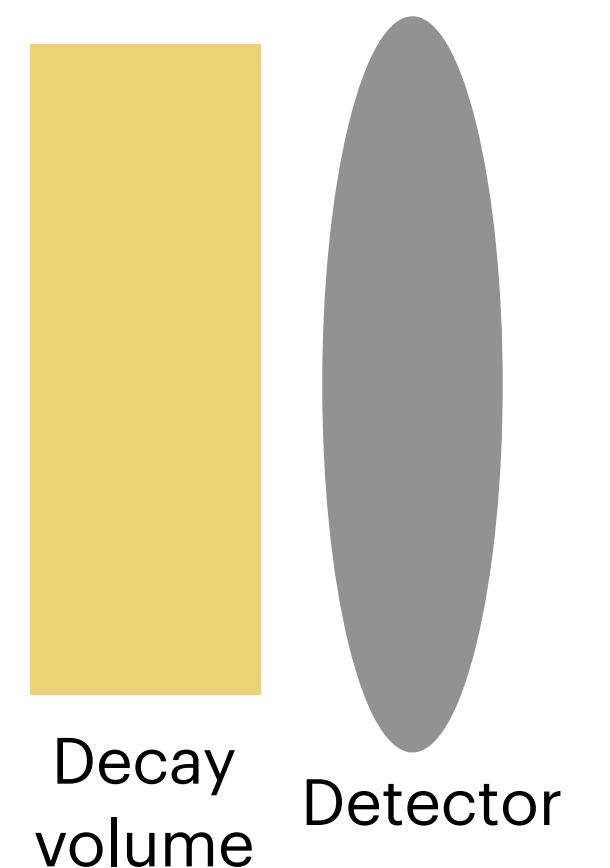
Decay probability

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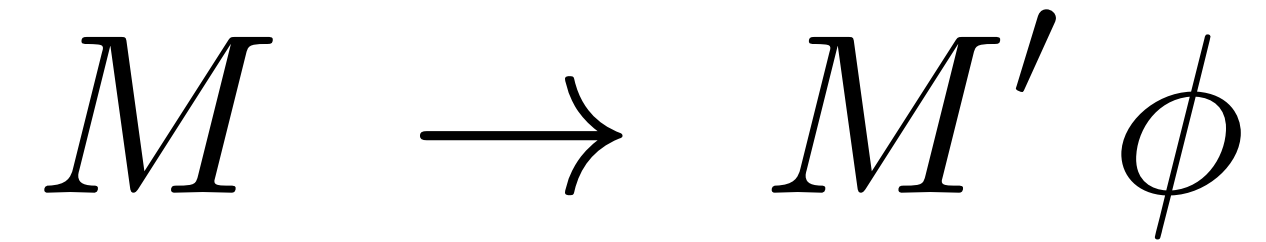
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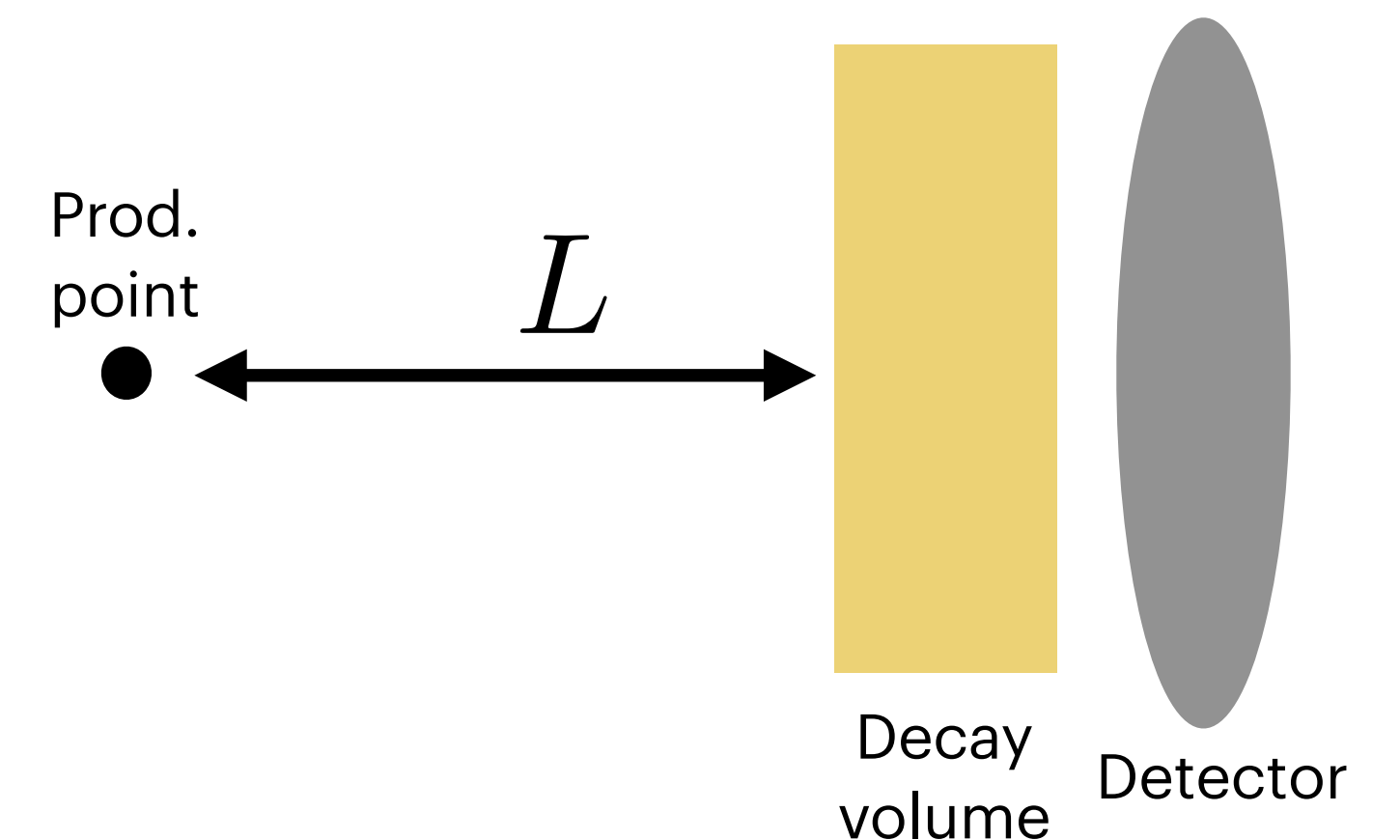
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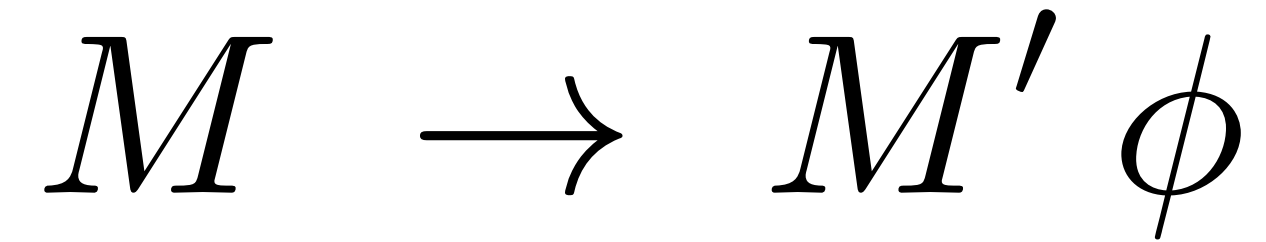
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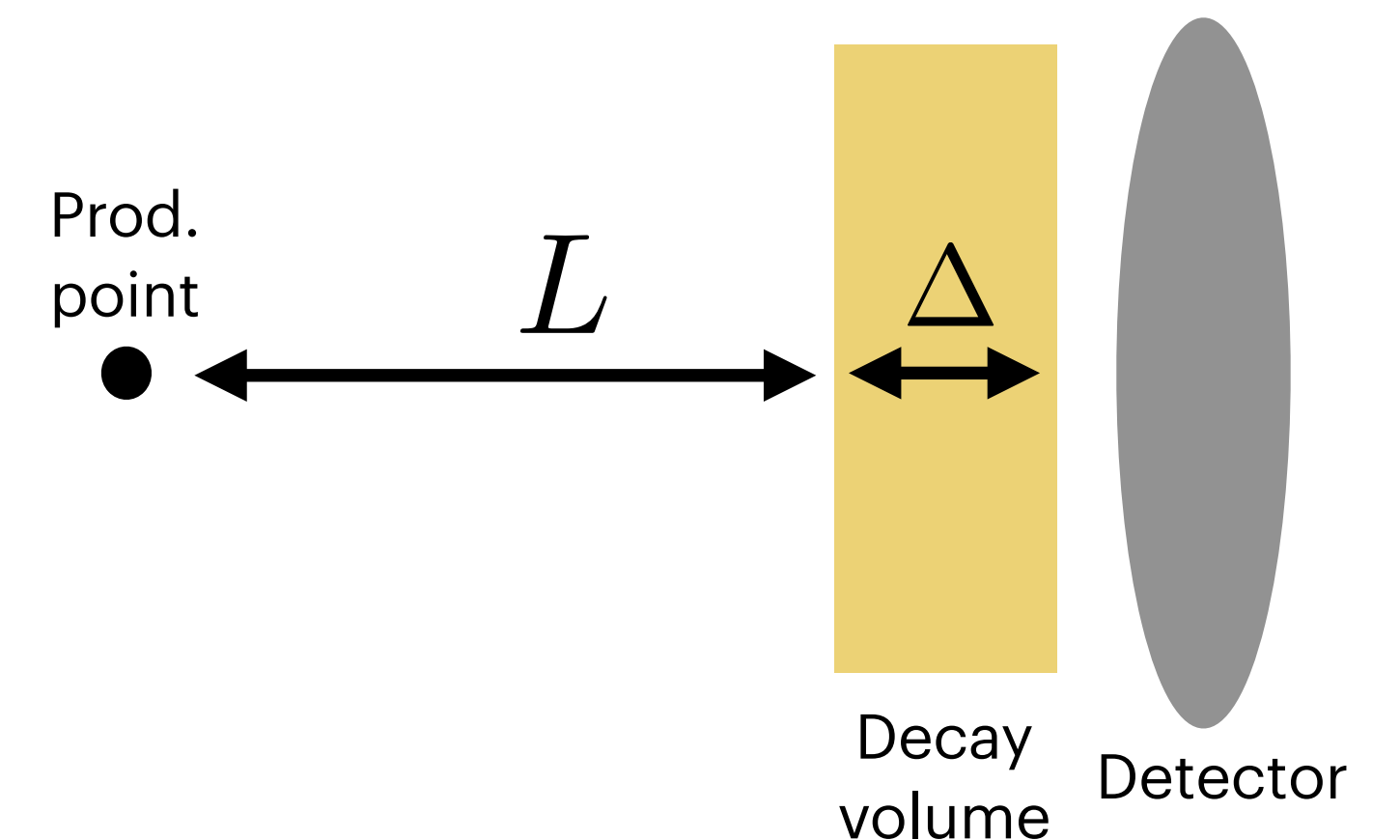
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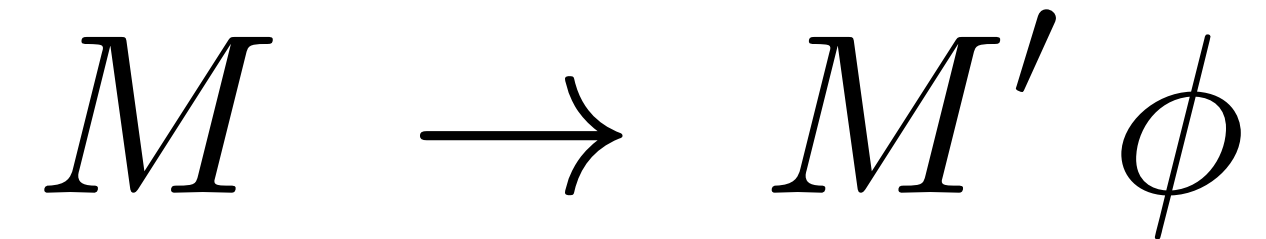
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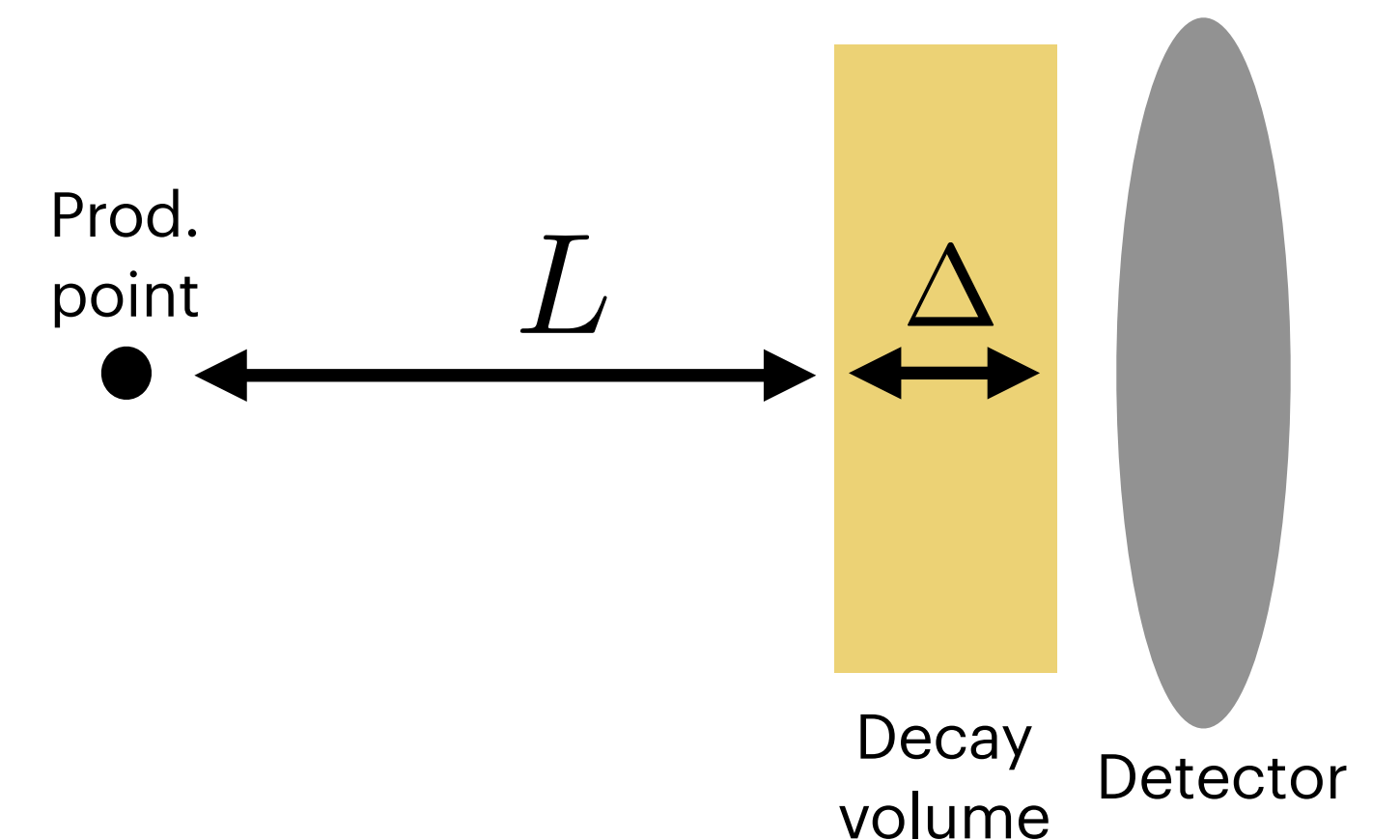
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Model-independent approach

- Sensitivity peaks at

$$\frac{c\tau_\phi}{m_\phi} \sim \frac{L}{\langle p_\phi \rangle} \quad (\text{for } \Delta \ll L)$$

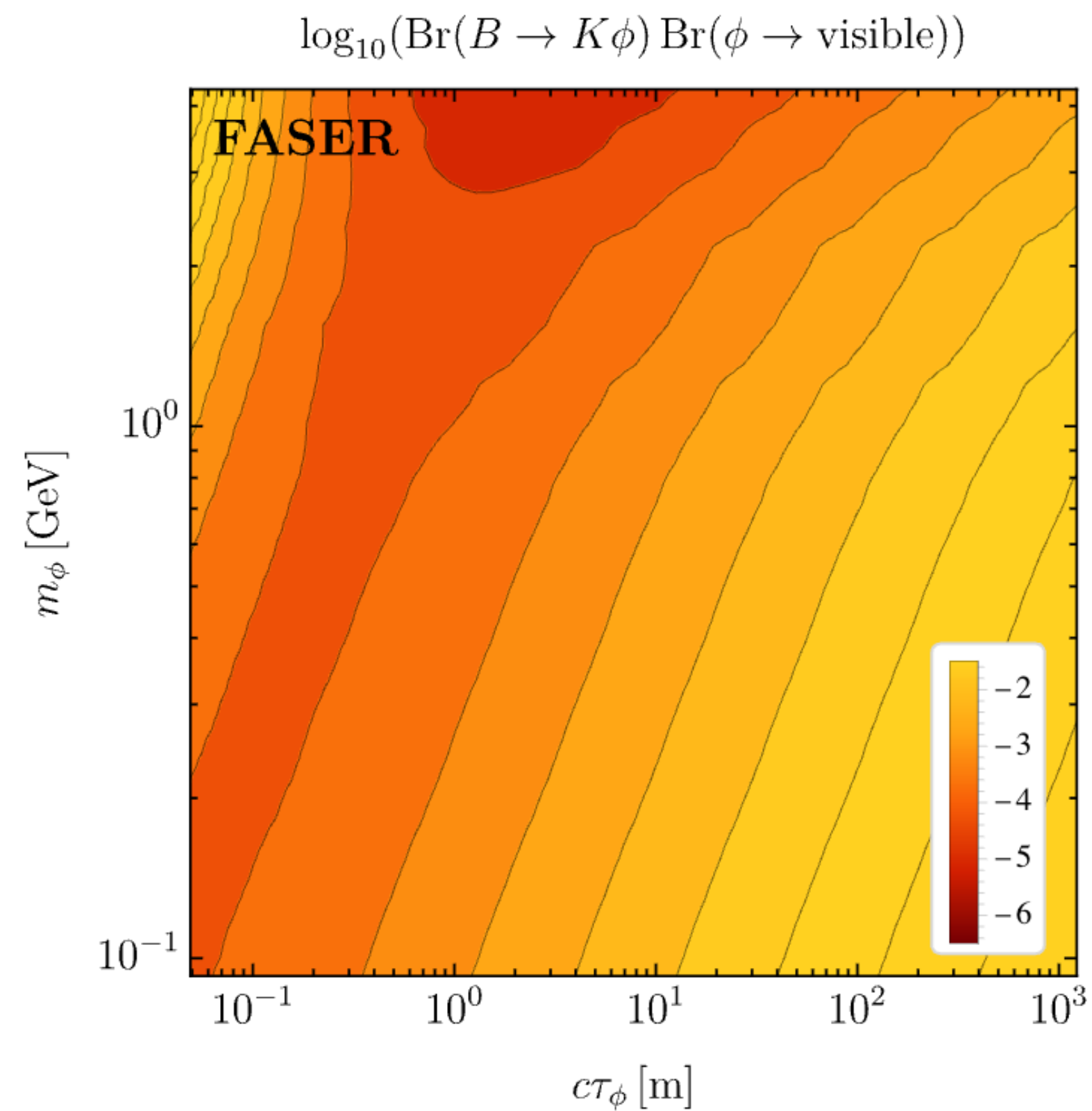
Particle physics Depends on the experiment

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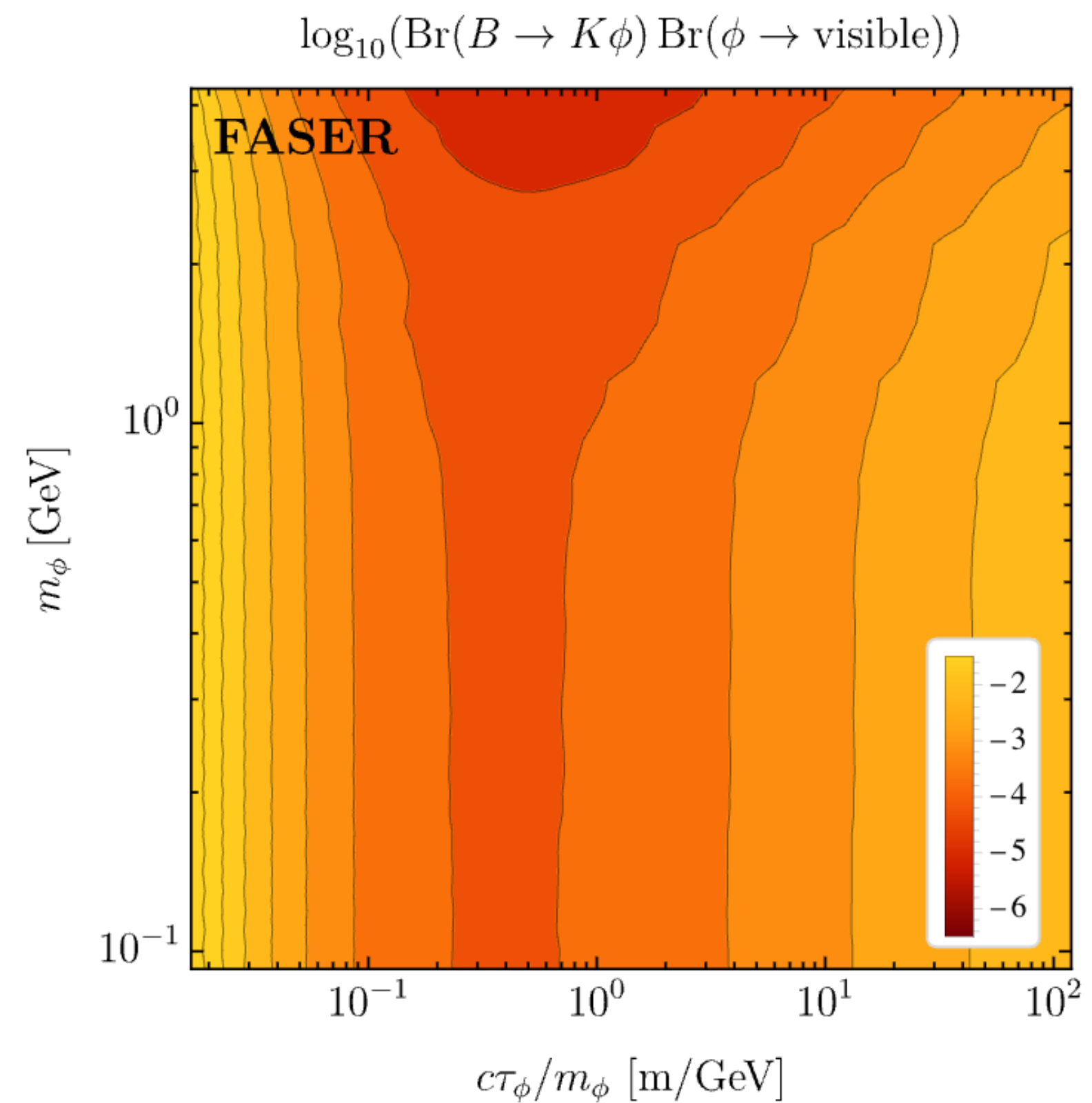
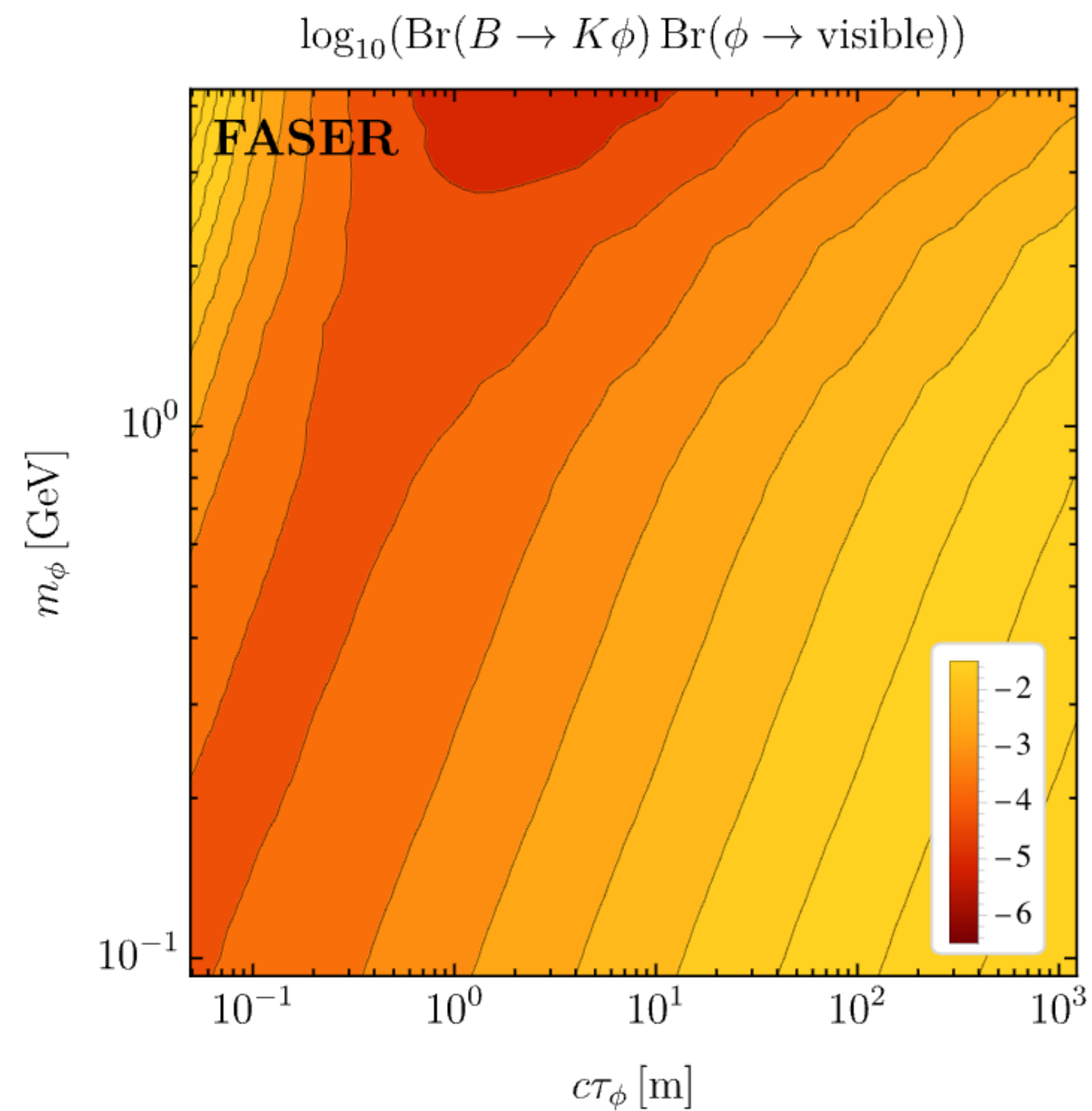
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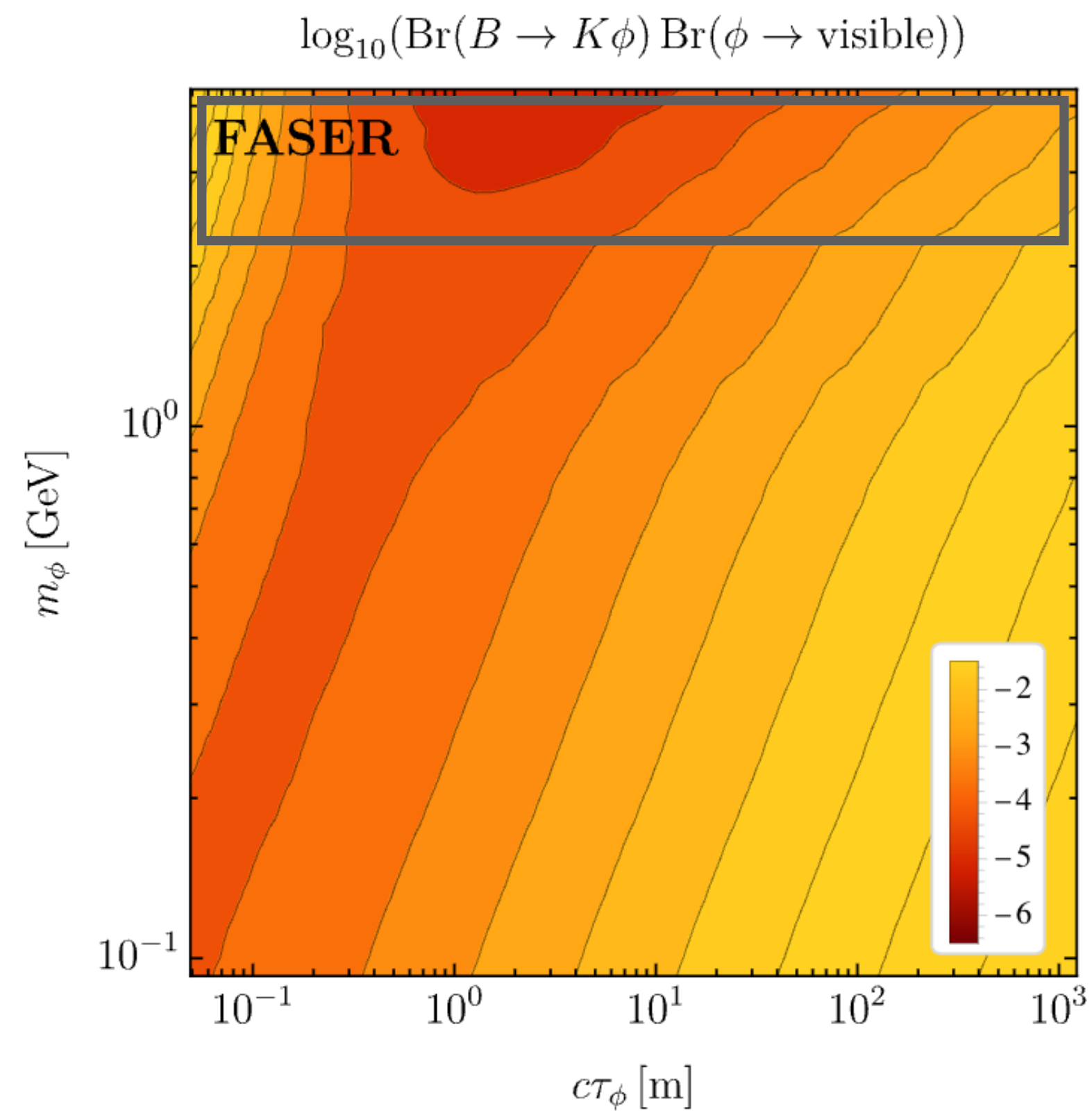
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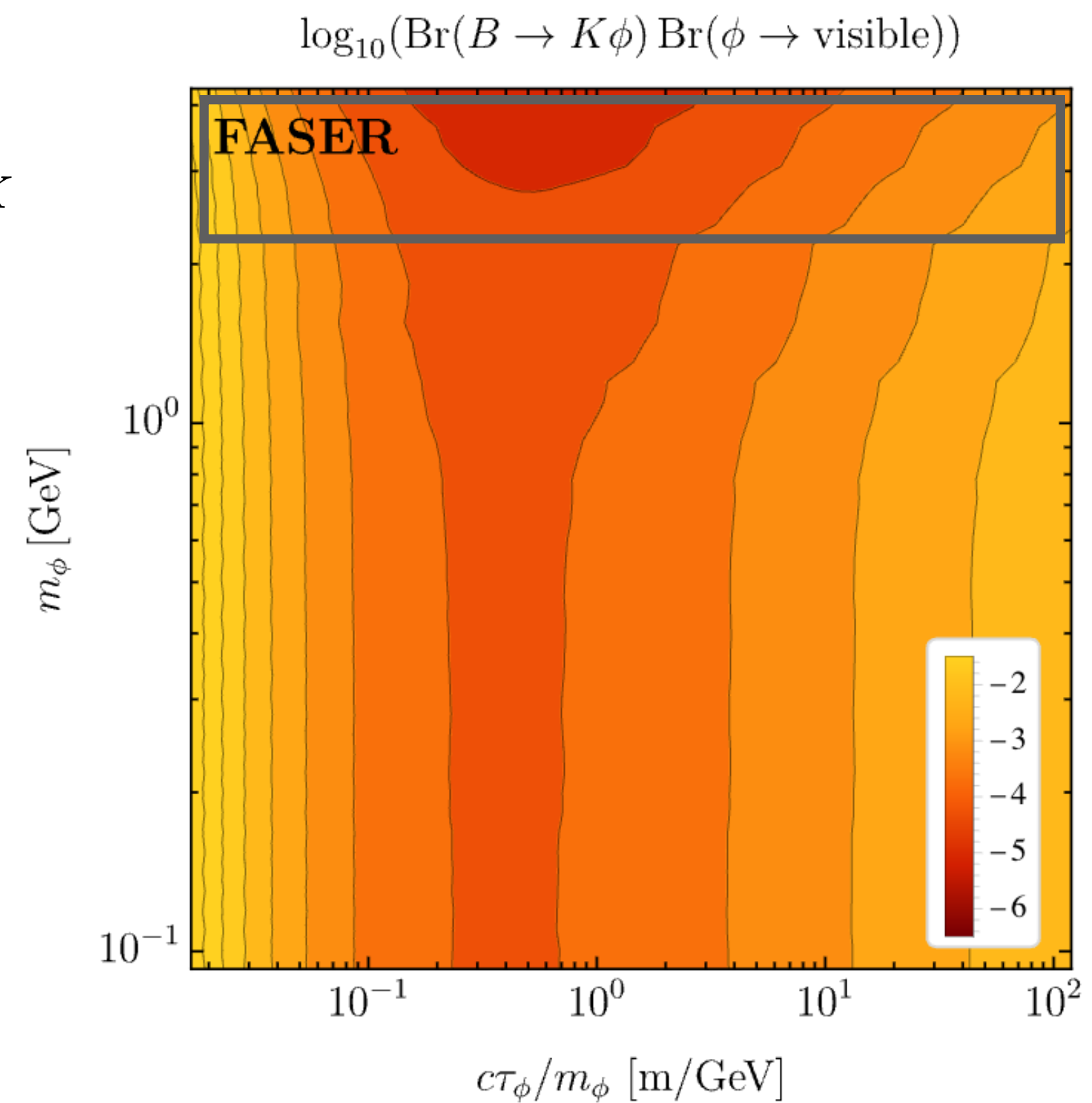
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Depends on the experiment



$$m_\phi \approx m_B - m_K$$



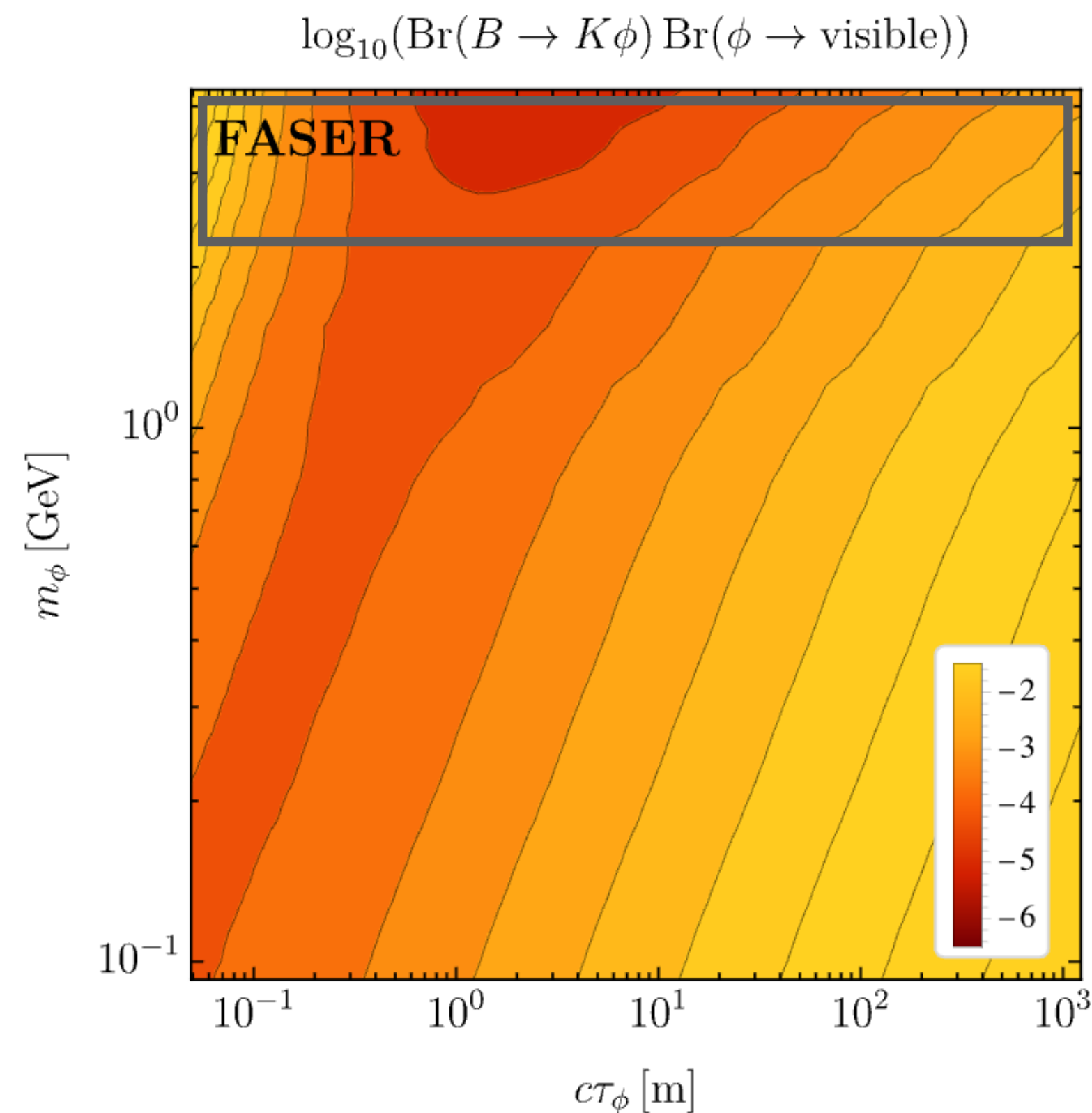
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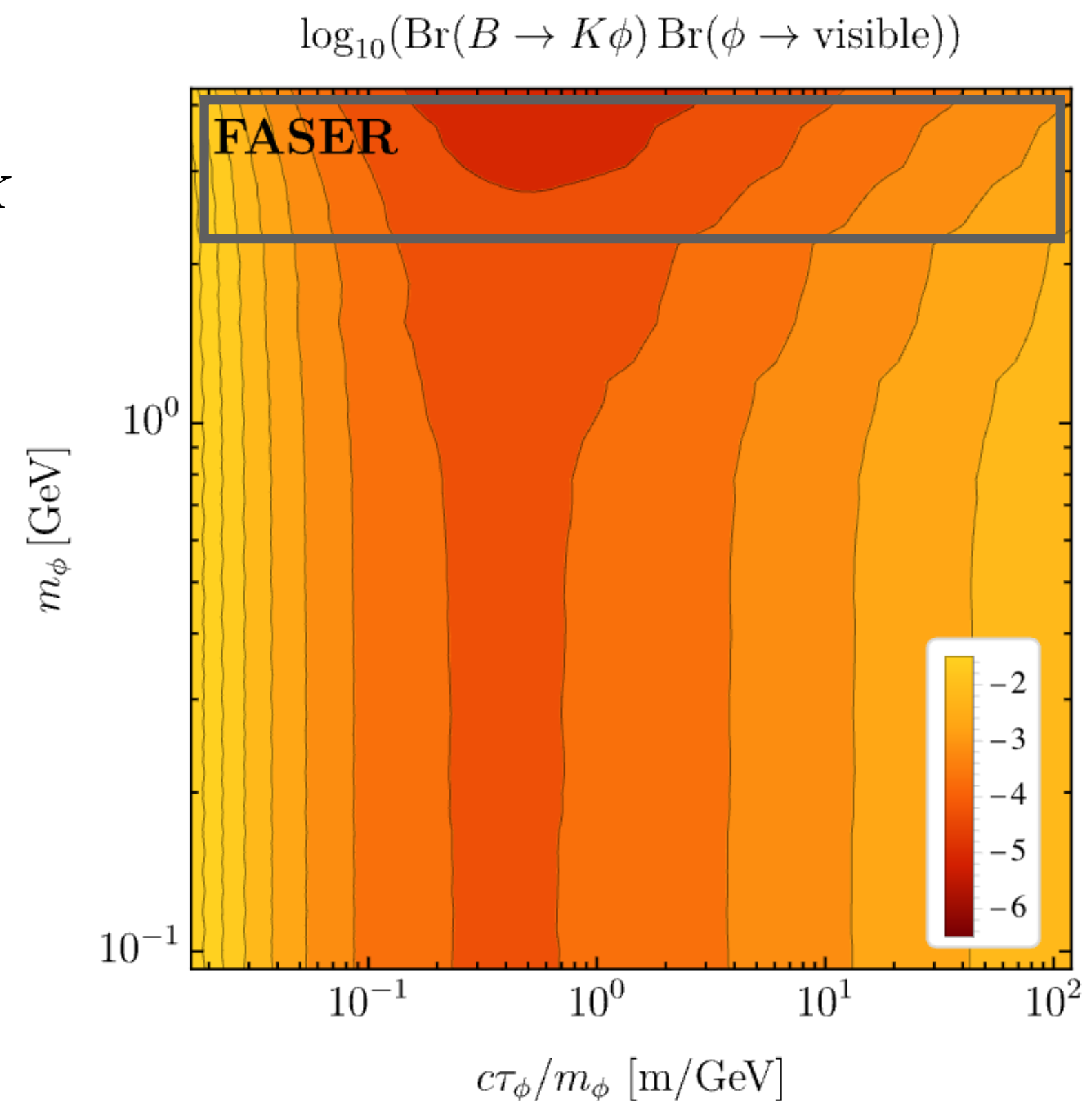
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Less momentum
in rest frame

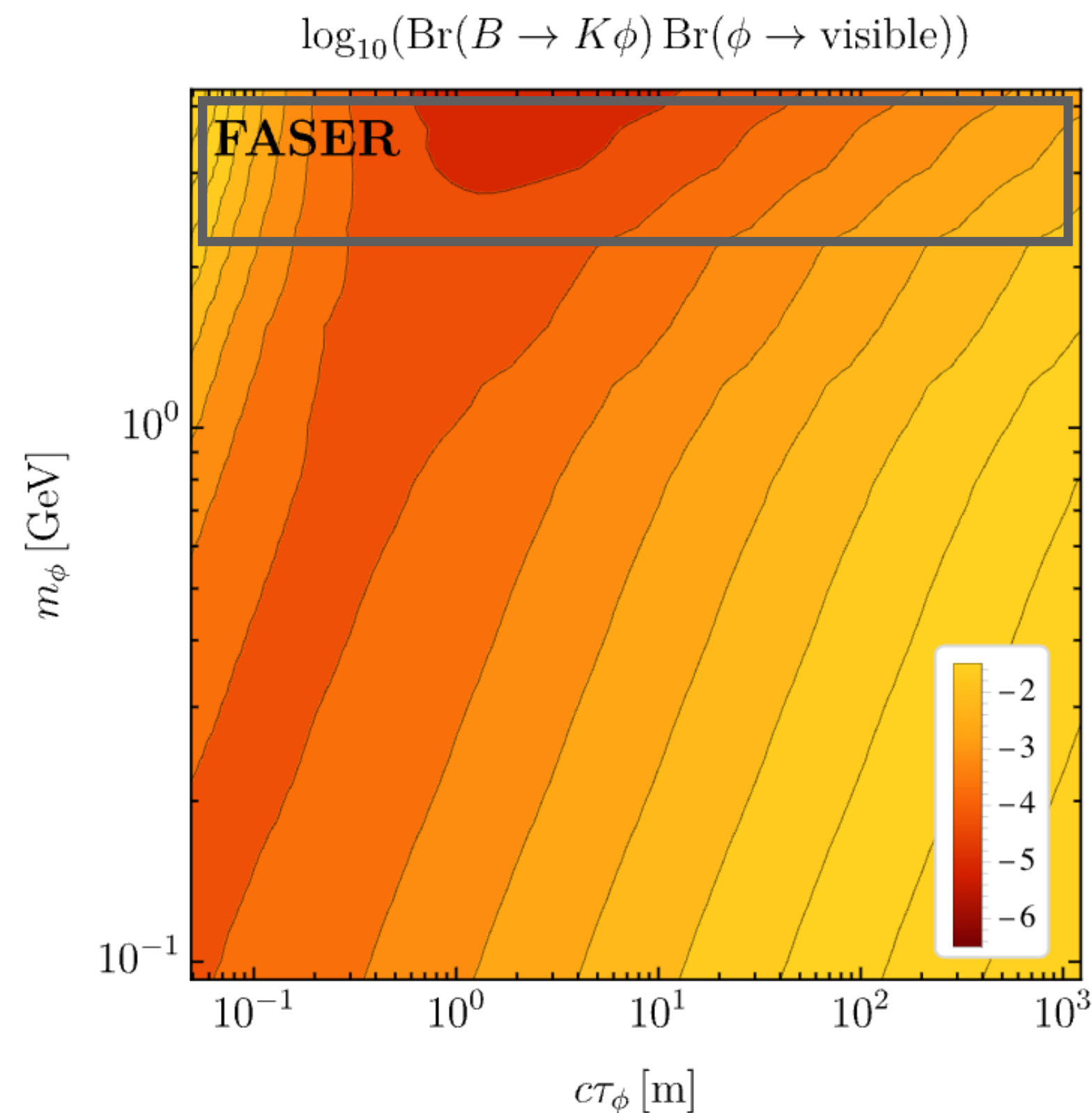
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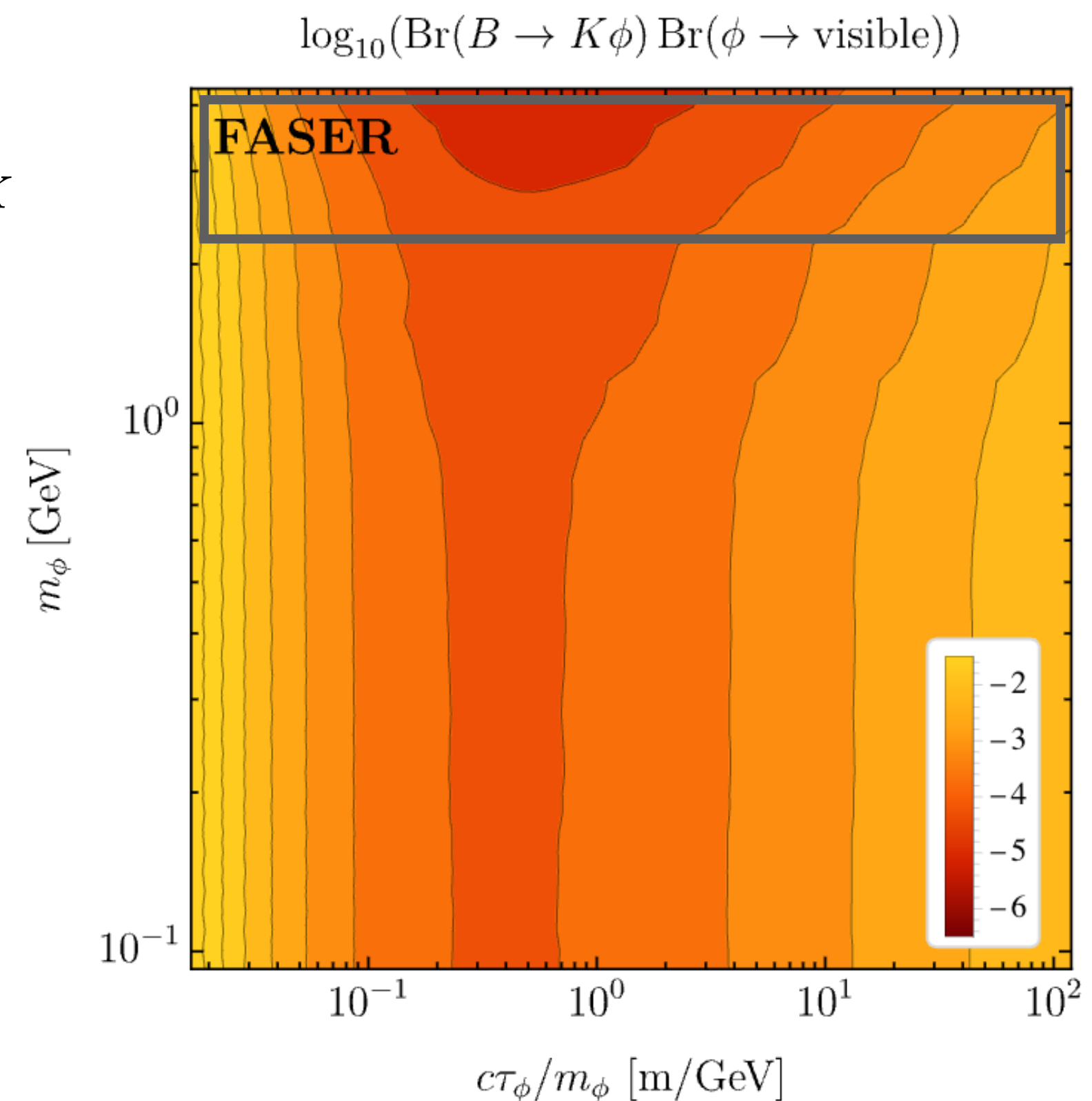
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More colinear
with forward
decaying particle

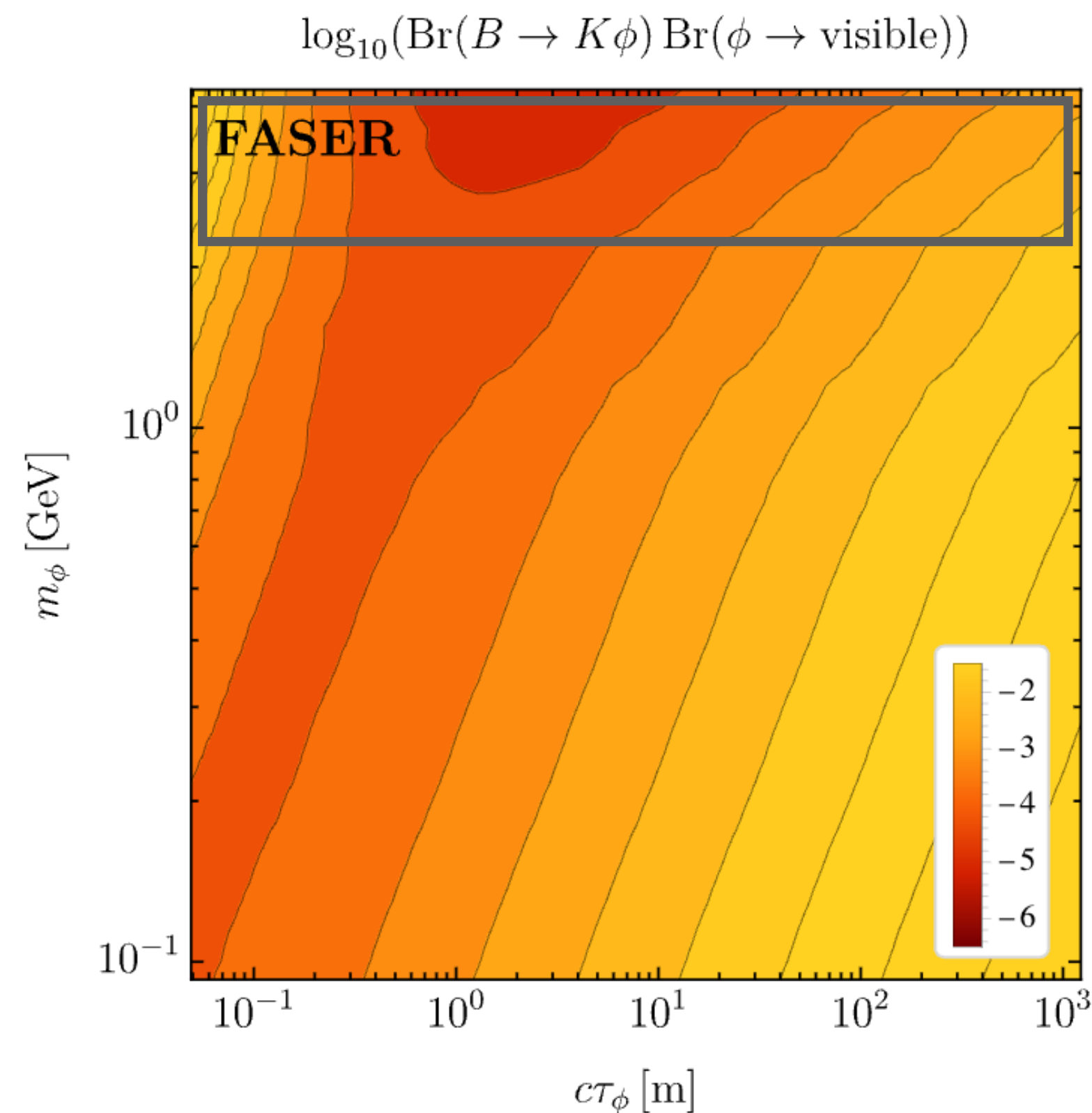
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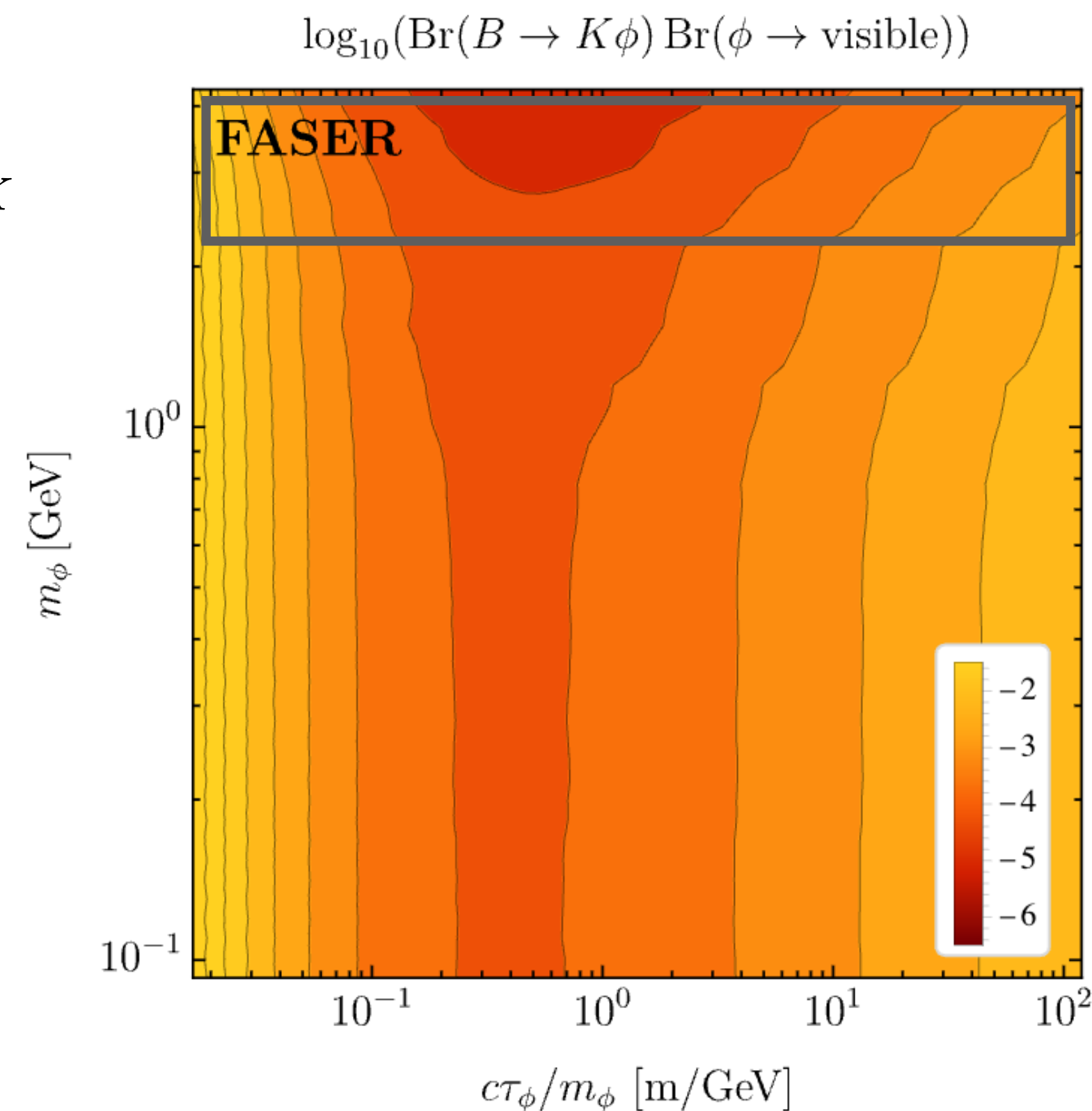
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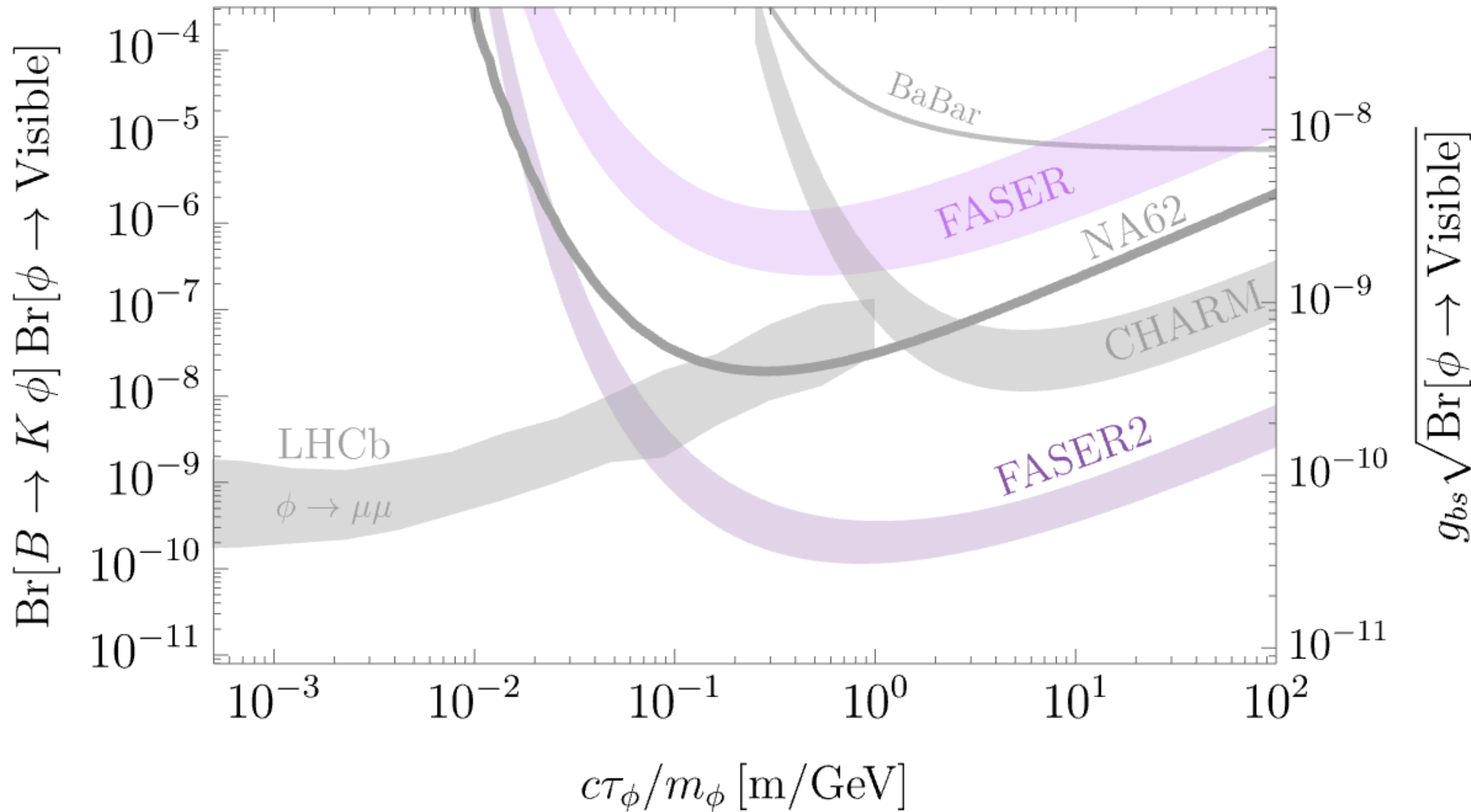
More colinear
with forward
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Improved geometrical
acceptance

Model-independent approach : B meson decays

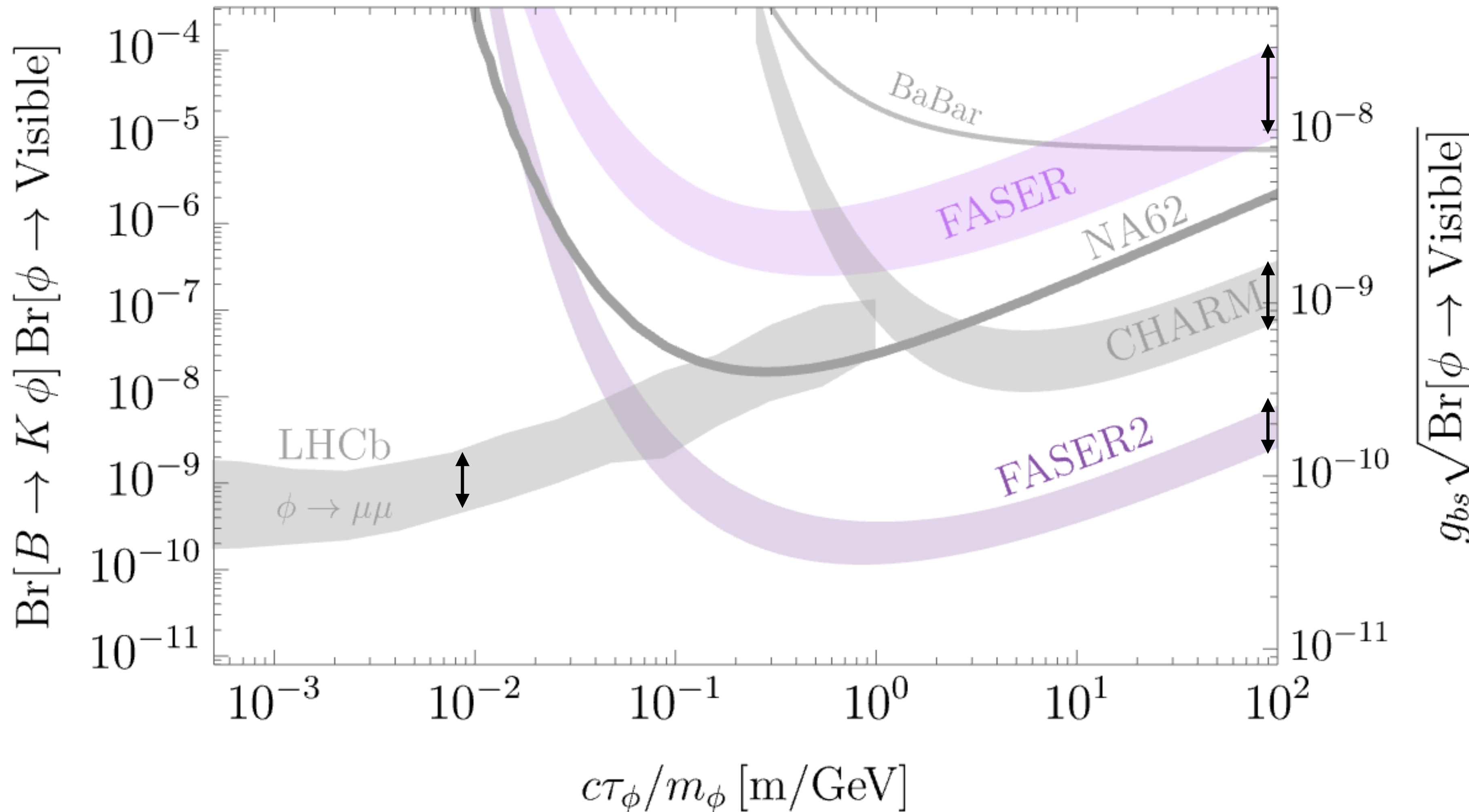
Also: Döbrich et al. 1810.11336



$$\text{Br}(M \rightarrow M' \phi) \approx \frac{g^2 m_M}{32\pi\Gamma_M}$$

Model-independent approach : B meson decays

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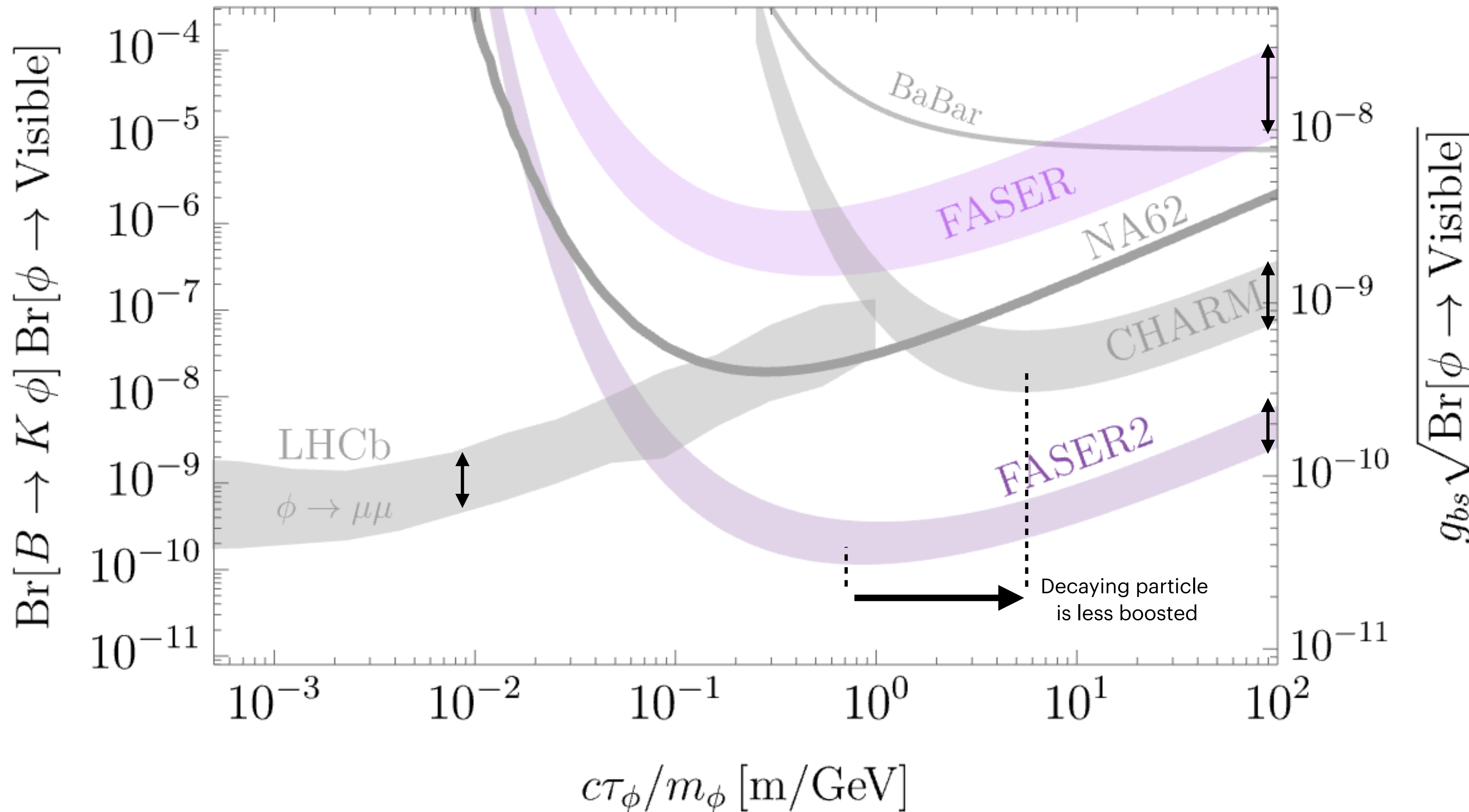


Band width from varying the mass

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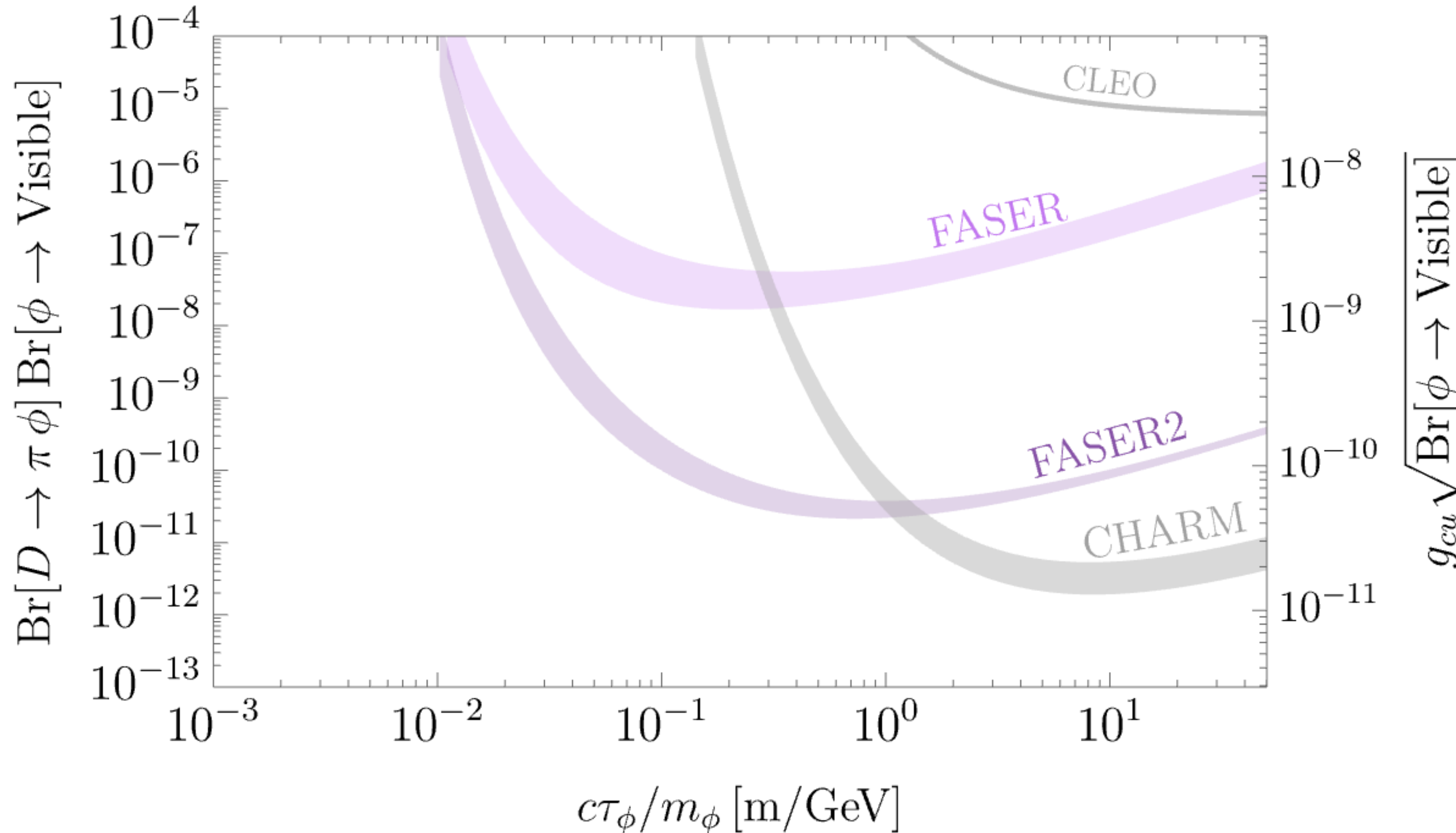
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Band width from varying the mass

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Model-independent approach : D meson decays



**First
model-independent
calculation
for D decays**

CLEO

$D^+ \rightarrow \mu^+ + \text{missing}$

0806.2112

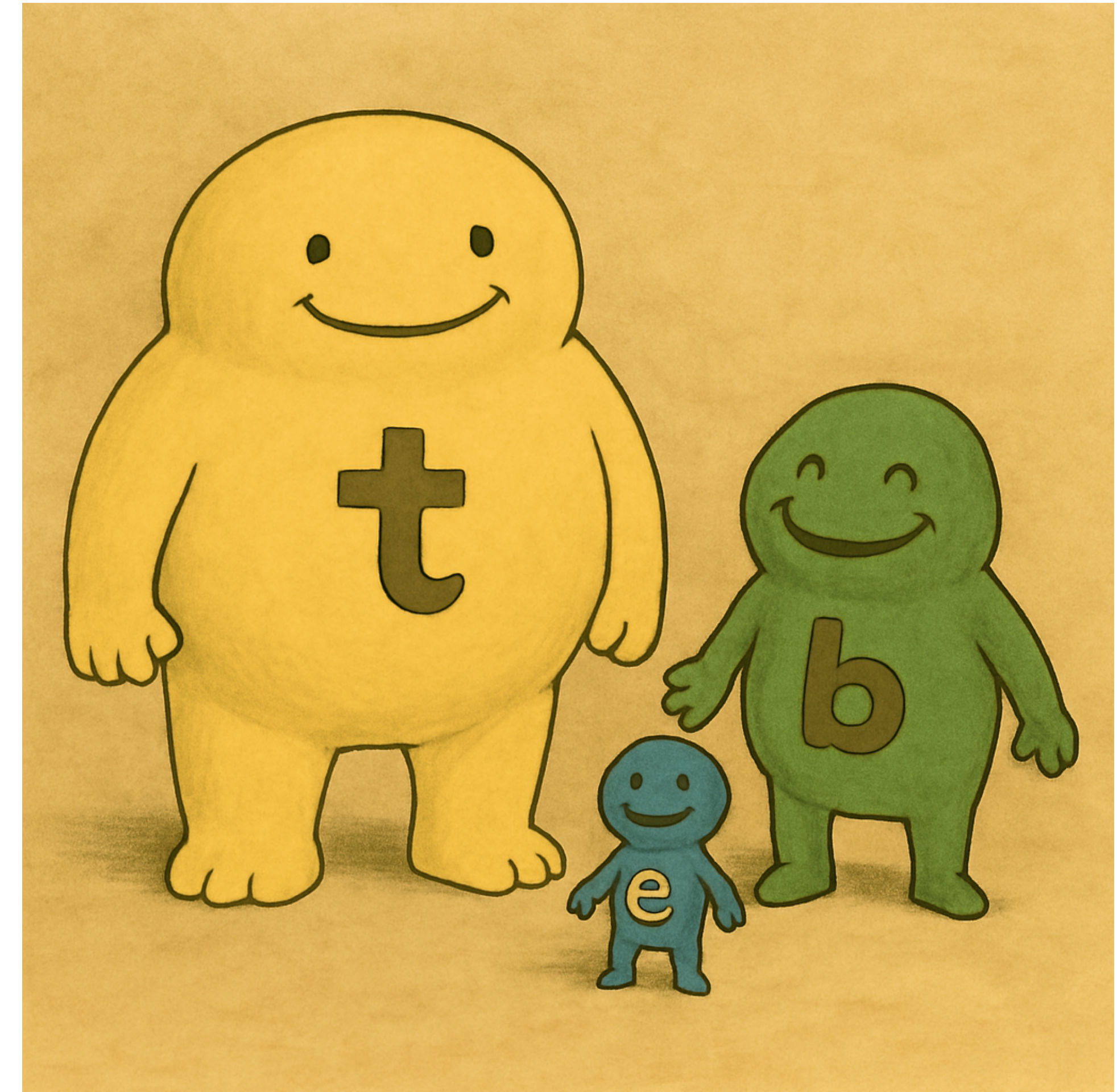
Camalich et al. 2002.04623

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Outline

1. Flavored scalar model ✓
2. Phenomenology ✓
3. Experimental signals @ FASER ✓
4. Model-independent approach ✓
5. Conclusions

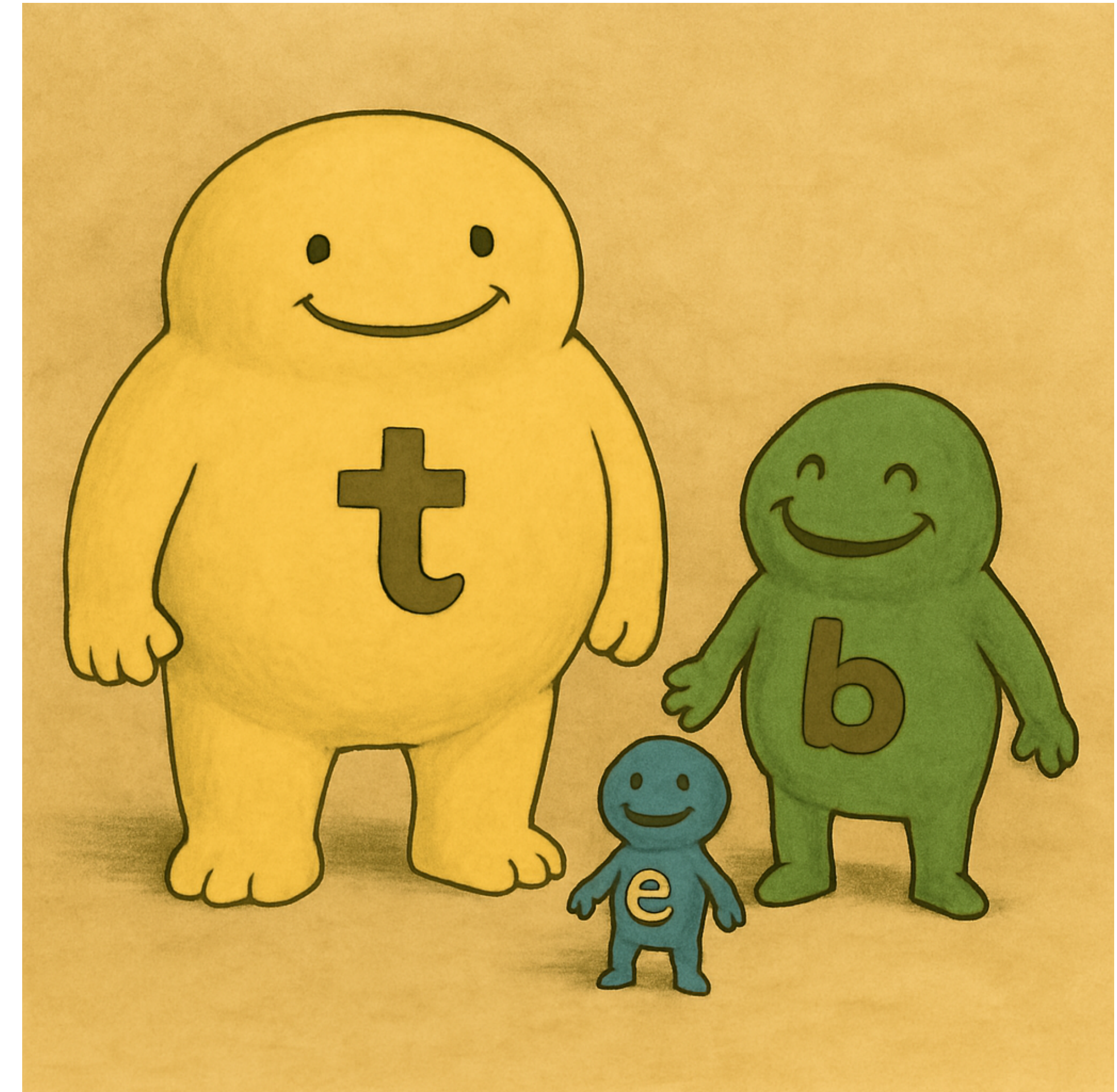
Summary and outlook



Still not to scale

Summary and outlook

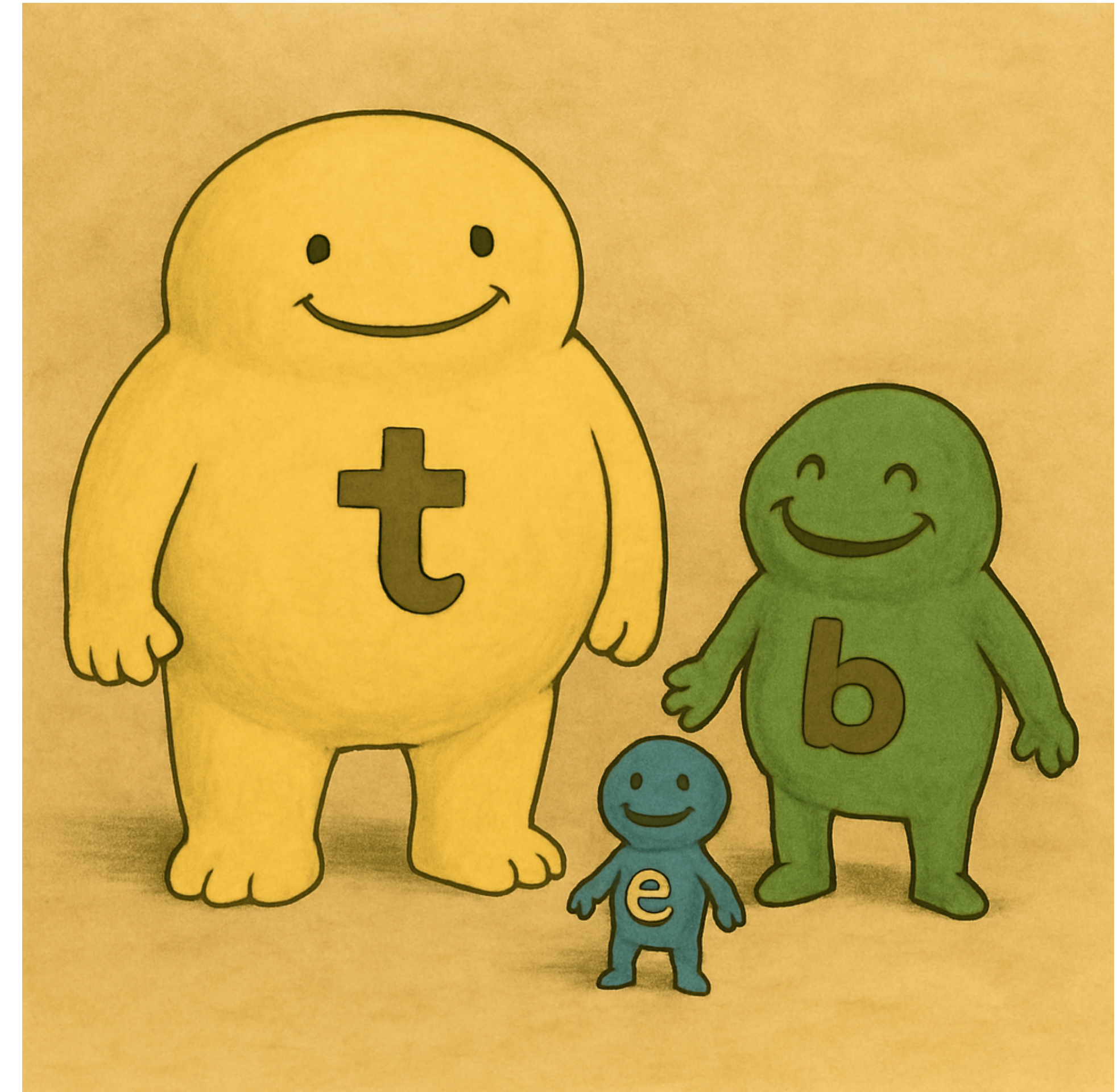
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Still not to scale

Summary and outlook

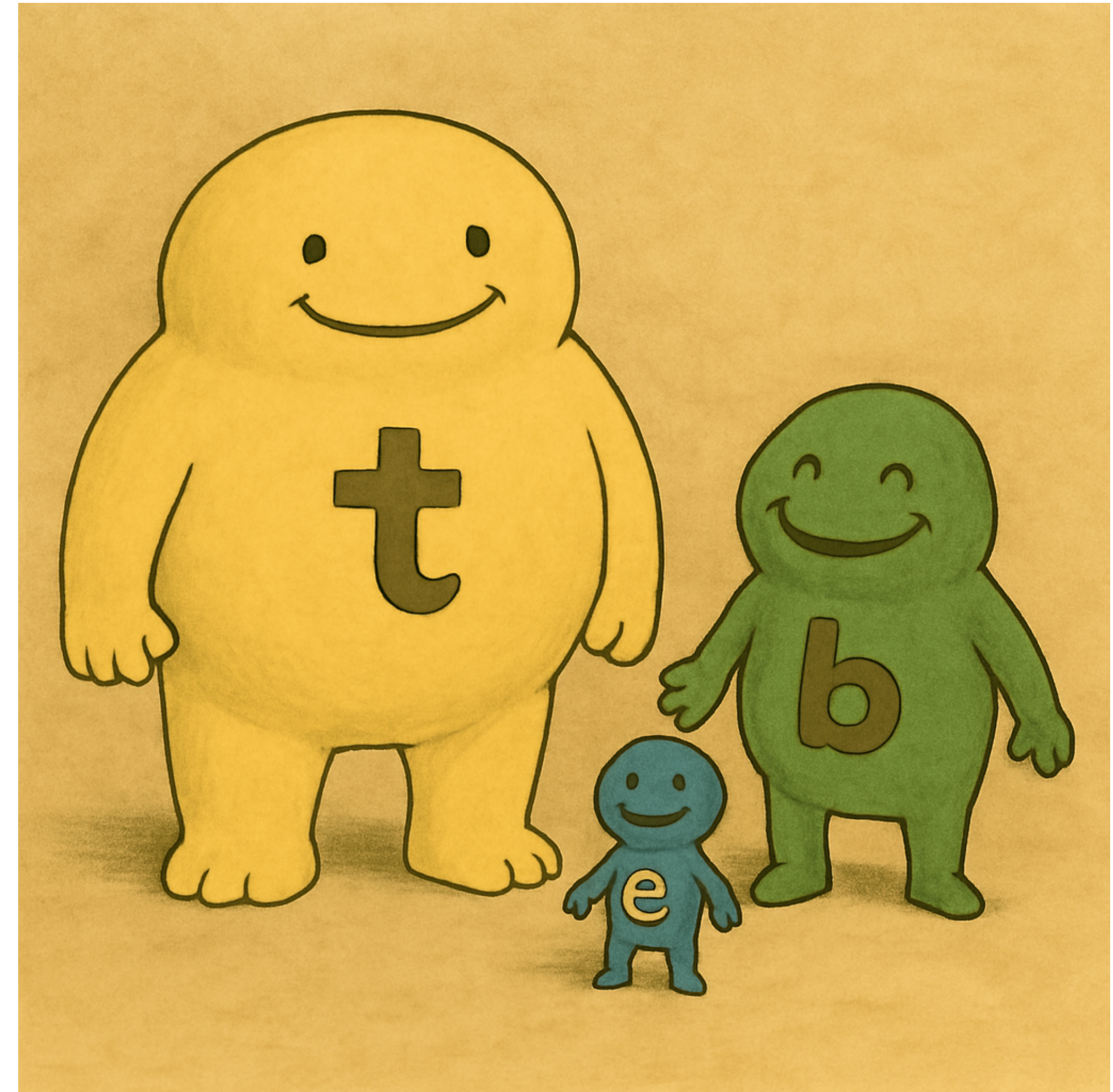
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Still not to scale

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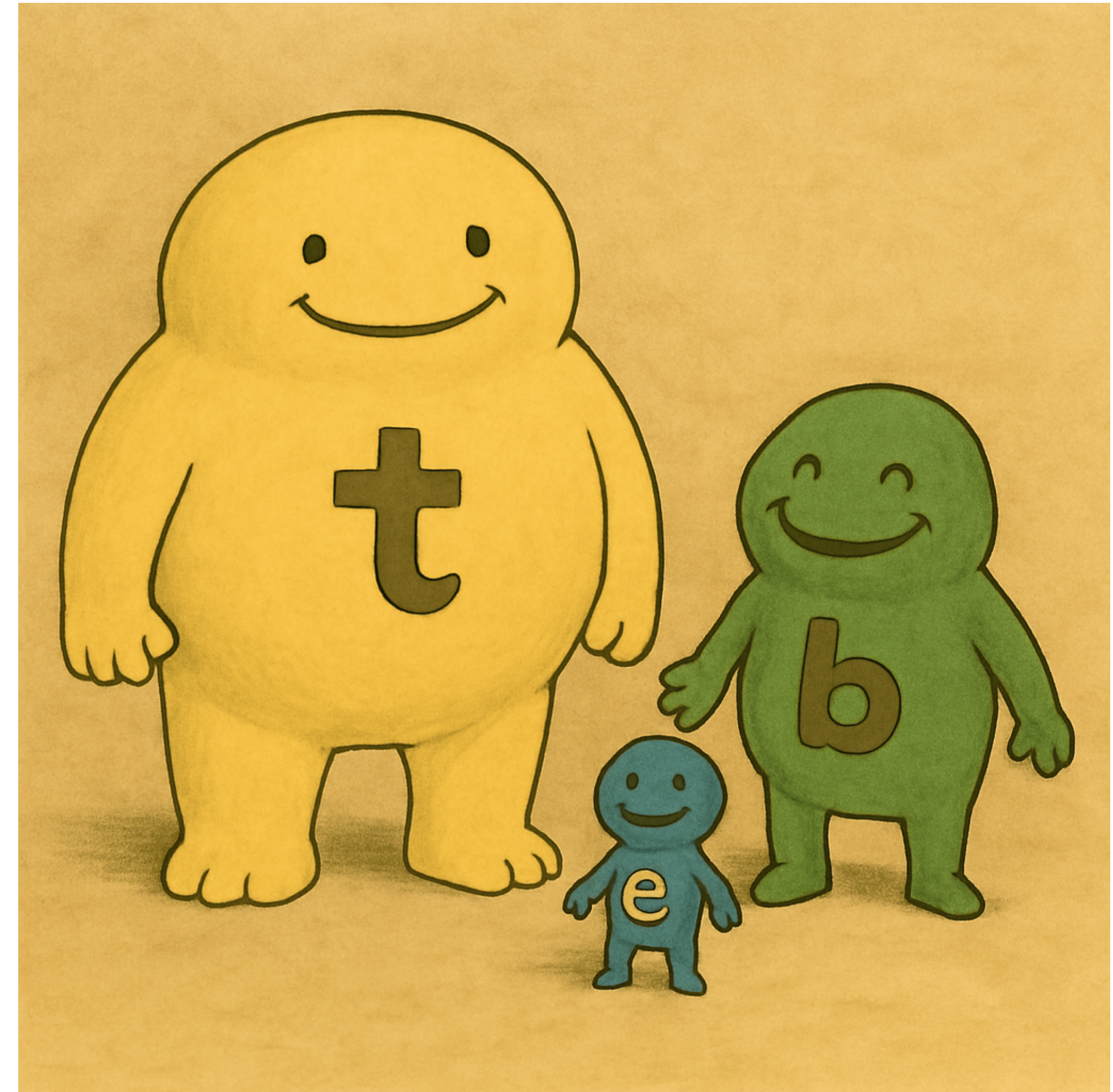
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Still not to scale

Summary and outlook

- Flavored scalar models are well-motivated and have a rich phenomenology beyond the MFV paradigm.
- FASER/2 can probe unexplored parameter space of such models.
- FASER/2 could potentially disentangle MFV from non-MFV scenarios, shedding light on the flavor puzzle.
- Given the vast theoretical landscape, a model-independent approach for experimental constraints is a useful way to compare sensitivities.



Still not to scale

BACKUP

Higgs mixing

$$\mathcal{L}_{\phi f \bar{f}}^\theta = \frac{\phi^{\text{phys}}}{\sqrt{2}} \left[(\varepsilon c_{ij}^u + \theta \hat{Y}_{ij}^u) \bar{u}_i P_R u_j + (\varepsilon c_{ij}^d + \theta \hat{Y}_{ij}^d) \bar{d}_i P_R d_j + (\varepsilon c_{ij}^\ell + \theta \hat{Y}_{ij}^\ell) \bar{\ell}_i P_R \ell_j + \text{h.c.} \right]$$

Diagonal terms are dominated by dim. 5 operator:

$$\Lambda \ll v/\theta \sim (10^5 \text{ GeV})(10^{-4}/\theta)$$

Transitions in the up sector dominate by dim. 5 operator:

$$\Lambda \ll 10^{14} \text{ GeV} \left(\frac{10^{-4}}{\theta} \right) \frac{\text{Max}[c_{12}^u, c_{21}^u]}{y_b^2}$$

Transitions in the down sector dominate by dim. 5 operator:

$$\Lambda \ll 10^{10} \text{ GeV} \left(\frac{10^{-4}}{\theta} \right) \frac{\text{Max}[c_{23}^d, c_{32}^d]}{y_b}$$